EFFECTS OF LONG DURATION EARTHQUAKES ON BRIDGE

STRUCTURES

By

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To the faculty of Washington State University:

The members of the Committee appointed to examine the thesis of BLANDINE VALLE find it satisfactory and recommend that it be accepted.

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ABSTRACT

By Blandine C Valle, M.S. Washington State University December 2005

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The main objective of this research was to assess the response of multi-column bent bridges, with columns expected to behave primarily in shear, subject to longduration earthquake. Recent geological evidence indicates that the potential exists for large earthquakes resulting in long-duration ground motions in the Pacific Northwest due to rupturing of the locked interface between the Juan de Fuca and the North American Plate. Three Washington State Department of Transportation bridges were selected for this study, bridges 5/227, 5/649 and 512/29. All three bridges are located in close proximity to Olympia and Seattle. Ten earthquake records with return periods ranging from 475 to 2475 years were used to study the effect of duration on bridge response; six long-duration and four short-duration.

Since the column aspect ratios were similar for the three bridges (approximately 3), other bridge characteristics were more influential on the variation of the bridge seismic responses. The bridge deck design, monolithic or non-monolithic, and the bridge geometry greatly influenced the behavior. Each bridge was unique enough that in order

to accurately assess the seismic vulnerability of each bridge, nonlinear time history analyses were needed rather than basing predictions merely on bridge member detailing, as is often the case due to limited resources.

In general, the 475-year return period earthquakes induced light to moderate cracking in the column plastic hinge regions for all bridges. The 975-year return period earthquakes created more severe cracking with bearing pad failures in one of the bridges. The 2475-year return period earthquakes induced failures in the center bent columns as well as numerous bearing pad failures for all three bridges. The damage estimations for each earthquake were based on damage recorded in experimental column testing.

Overall, long-duration earthquakes created more damage in the three bridges than short-duration earthquakes. For the smaller earthquakes, the duration had little effect on the bridge response since multiple cycles at low ductility demands did not lead to damage of the columns. As the intensity of the earthquake and the duration increased, damage in the columns increased. Therefore, both earthquake intensity and ground motion duration affect the bridge response; however, large intensity alone can lead to significant demand on the bridges, while duration is not influential on the bridge demand unless the intensity is high as well.

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CHAPTER ONE

INTRODUCTION

1.1 BACKGROUND

Recent geological studies have shown that the Pacific Northwest region may be subjected to earthquakes of large-magnitude and long-duration as the result of rupturing of the locked interface between the Juan de Fuca and the North American Plate. Bridge design has evolved in the past forty years and existing bridges have been left potentially vulnerable due to limited funds for seismic upgrade. For example, transverse reinforcement was typically No. 3 or No. 4 hoops placed at 12 in (30.5 cm) on center in pre-1975 Washington State bridge columns. Today, the code requires a minimum of No. 3 reinforcement bars spaced at 4 in. (10.2 cm) on center. Also, lap splice length has greatly increased from values ranging between 25d_b and 45d_b for columns built before 1975, to a 60d_b minimum splice length since 2003.

1.2 OBJECTIVES

The main goals of this research were to assess multi-column bent, concrete bridges constructed prior to 1975, located in the Seattle/Olympia regions, under longduration seismic loading. A suite of earthquakes were used to simulate a range of possible earthquake excitation. The main objectives included:

 3-D modeling of three existing multi-column bent, concrete bridges in the Seattle/Olympia region

- Non-linear time history analysis of the bridges under short-duration and longduration earthquake loading
- To assess the influence of soil-structure-interaction on the bridge response
- To draw conclusions on the effect of long duration earthquakes on pre-1975
 Washington State bridges.

1.3 <u>SEISMIC ACTIVITY IN THE PACIFIC NORTHWEST</u>

Western Washington State lies above the intersection of two tectonic plates, the North America continental plate and the Juan de Fuca plate, colliding together at a rate of approximately 2 in. (about 5 cm) per year (from *The Pacific Northwest Seismograph Network*). In addition, the Pacific plate forces the Juan de Fuca plate north.

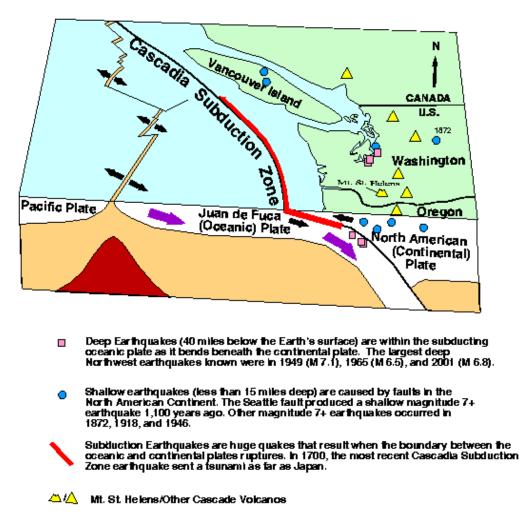


Figure 1.3-1 Cascadia Subduction Zone (from The Pacific Northwest Seismograph Network)

The most damaging earthquakes in Western Washington State in recent years have been the Nisqually Earthquake in 2001 (magnitude 6.8), Sea-Tac in 1965 (magnitude 6.5), and the 1949 Olympia earthquake (magnitude 7.1). They were respectively 52 km, 63 km and 53 km deep beneath the continent (PNSN, 2005). The largest earthquake in Western Washington State since 1790, when historical recording started, occurred in 1872 in the North Cascades with a magnitude of 7.4. Subduction zone earthquakes tend to be the rarest and strongest. Geological evidence shows that this type of earthquake occurred in the region about 300 years ago. Subduction zones around the

world have produced earthquakes of magnitude 8 and higher. Seismologists predict that an earthquake of this magnitude could occur again in the Pacific Northwest.

Since seismic recordings of large subduction zone earthquakes in the Pacific Northwest are not available, earthquakes from other regions of the world were used in this research and scaled to represent possible seismic activity in the Puget Sound region (Stapelton, 2004 and PanGEO Inc., 2005). These earthquakes were the Moquegua, Peru earthquake (2001), the Mexico City, Mexico earthquake (1985), the Kobe, Japan earthquake (1995), the Olympia, Washington earthquake (1949) and the Lloledo, Chile earthquake (1985).

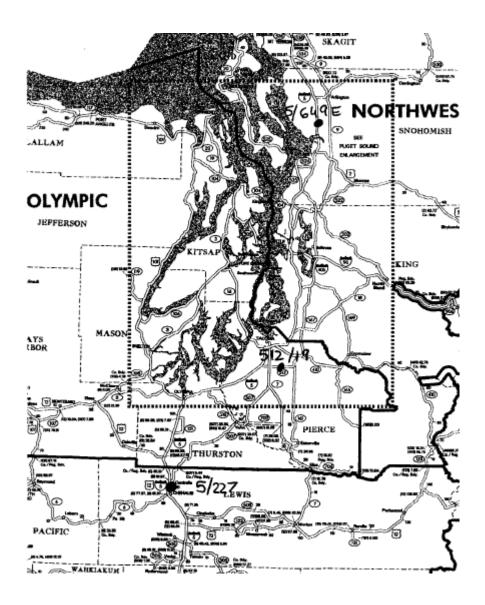


Figure 1.3-2 Map of the Bridge Locations

Bridges 5/227 and 512/19 are located 24 km (15 miles) south and 45 km (28 miles) east respectively of Olympia and bridge 5/649 is situated 56 km (35 miles) north of Seattle. Depending on the location of the bridges, the return periods for a given earthquake vary. The larger Peru and Chile records had a return period of 2475 years or greater and the smaller Peru and Chile records had a return period of 975 years or greater. We will refer to these earthquakes as Peru 2475, Chile 2475 for the large earthquakes and

Peru 975, Chile 975 for the smaller earthquakes throughout the following study. The return periods for the other earthquakes, Olympia, Kobe and Mexico City were determined by PanGeo Inc., a geotechnical subconsultant of WSDOT, and were found to be 975 years and 475 years. The origin of these records will be explained in greater depth in chapter four.

CHAPTER TWO

LITERATURE REVIEW

There are three parameters that are typically used to characterize earthquakes: the magnitude of shaking, the frequency content and the significant duration of motion. The first two have been researched more thoroughly than the last.

2.1 DEFINITION OF EARTHQUAKE DURATION

Several ways to define earthquake duration have been proposed over the last thirty years. Bolt (1973) defined "bracketed duration" as the time between the first and last accelerations of a magnitude higher than 0.05g or 0.1g. In this definition, earthquakes with a peak ground motion (PGA) smaller than 0.05g are considered as having no duration. Other definitions focus on the shape of the record rather than on numerical values. Overall, a single definition of earthquake duration has not been accepted. The most widely accepted is Abrahamson and Silva's (1996) "Arias Duration of Horizontal Strong Shaking Attenuation Relation":

$$Ln(D_{0.05_I}) = Ln \left[\frac{\left(\frac{\Delta\sigma(M)}{10^{1.5M+16.05}}\right)^3}{4.9\cdot10^6\cdot\beta} + Sc_1 + c_2\cdot(r - r_c) \right] + ln \left(\frac{D_{0.05_I}}{D_{0.05_0.75}}\right)$$
for factors in the second s

for ruptures away from fault (> 10 km or 6.2 miles)

$$Ln(D_{0.05_I}) = Ln \left[\frac{\left(\frac{\Delta \sigma(M)}{10^{1.5M + 16.05}} \right)^{3}}{4.9 \cdot 10^{6} \cdot \beta} + Sc_{1} \right] + ln \left(\frac{D_{0.05_I}}{D_{0.05_0.75}} \right)$$

☐ −1]

Where :

 $\rm D_{0.05_I}$ = Arias Duration (sec) from 0.05 to I Normalized Arias Itensity (typically, I=0.95)

$$\Delta \sigma = \exp\left[b_1 + b_2 \cdot (M - 6)\right]$$

M = Moment Magnitude
 $b_1 = 5.204$
 $b_2 = 0.851$
 $\beta = 3.2$
S = 0 for rock sites, or S = 1 for soil sites
 $c_1 = 0.805$
 $c_2 = 0.063$
r = closest distance to the effective fault rupture plane in km
 $r_c = 10$ km
 $\ln\left(\frac{D_{0.05_I}}{D_{0.05_0.75}}\right) = a_1 + a_2 \cdot \ln\left(\frac{1 - 0.05}{1 - 1}\right) + a_3 \cdot \left(\ln\left(\frac{1 - 0.05}{1 - 1}\right)\right)^2$
 $a_1 = -0.532$
 $a_2 = 0.552$
 $a_3 = -0.262$
SE = standard error = 0.493 for I=0.95

Duration also depends on soil conditions. R. Dobry, I. M. Idriss and E. NG (1978) studied the difference in the duration for the 1971 San Fernando horizontal strong ground motion records for a rock site and a soft-to-medium soil site. The following duration plots illustrate the differences between the two.

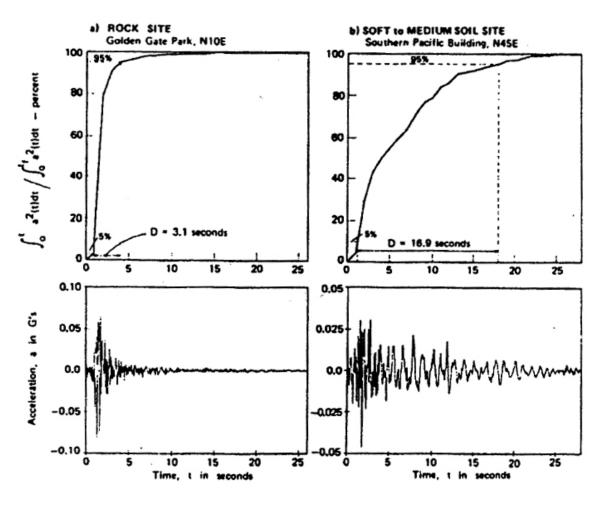


Figure 2.1-1 Difference Between Rock Site and Soil Site Acceleration Spectra

A correlation was found between the duration, D, and the magnitude, M, for rock motions, as illustrated below.

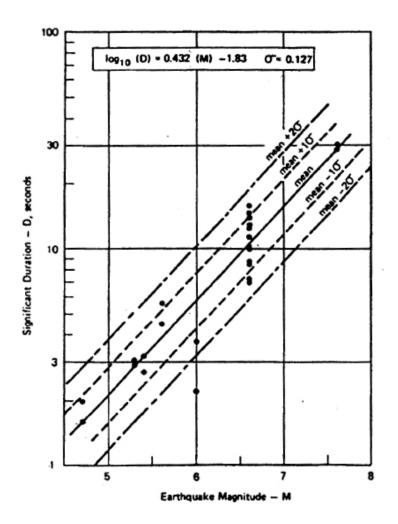


Figure 2.1-2 Duration versus Magnitude for Rock Sites in the Western United States.

The equation developed above is valid only for earthquake magnitudes of 4.5 to 7.6. For higher magnitudes, the duration of rupture at the source, d, increases much more rapidly than the significant duration of the earthquake, D, rendering the logarithmic correlation false. This study assumed a constant velocity of rupture, the dislocation at the source was considered to be an approximately continuous process (Bolt, 1970).

The following conclusion was obtained from the study: "Accelerograms at rock sites have more consistent and reasonably predictable durations, while durations of records on soil show much larger scatter, with the duration of rock being a lower bound."

2.2 DAMAGE INDICES

Lindt *et al.* (2004) studied the effect of earthquake duration on the reliability of structures, especially for the integration of reliability indices in the LRFD code. Lindt investigated the relationship between earthquake duration and very-low-cycle damage estimates through a combination of nonlinear structural dynamics and the theory of order statistics. A suite of ten earthquakes used for this research and were based on the earthquake spectra of three US cities: Los Angeles, Seattle and Boston. The return periods used for the earthquakes were 475 years and 2475 years which correspond to a probability of occurrence of 10% and 2% in 50 years. This research concluded that earthquake duration has a significant effect on the damage of a structure, as the duration increases the reliability index decreases as shown on figure 2.3-1 below.

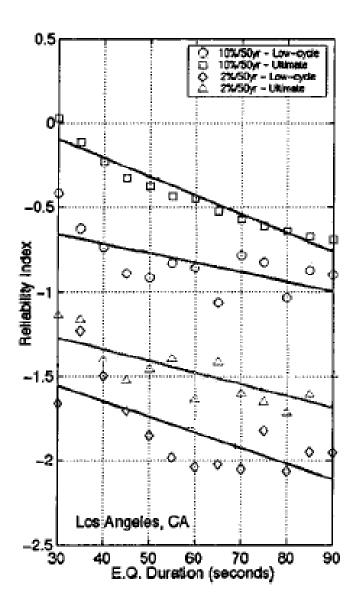


Figure 2.2-1 Reliability Index Versus Earthquake Duration from Lindt et al. (2004)

2.3 <u>EFFECT OF EARTHQUAKE DURATION ON THE DAMAGE IN</u> REINFORCED CONCRETE STRUCTURES

In 1988, Jeong *et al.* conducted a study on the damage observed in reinforced concrete and steel simple structures versus earthquake duration. The damage model used in this research was relatively crude but nevertheless qualitatively correct of the impact of damage on a structure as duration varies. The total damage for varying ductility levels

was calculated with the following equations: $D = \sum_{i} D_{i}$ where $D_{i} = \frac{1}{C}n_{i} \cdot \mu_{i}^{s}$

and n_i: number of cycles

 μ_i : ductility level of cycle i

C and s: positive empirical constants whose values were taken as 416 and 6 respectively for a reinforced concrete structure

Failure occurs when D reaches unity. This model was modified to take the maximum deformation and the absorbed hysteretic energy of the structure into account. Below is the final equation for the accumulative damage in a linear system for a specific earthquake duration.

$$E[D(t_d)] = \frac{-1}{C} \cdot \int_0^{t_d} \int_0^\infty \mu^s \frac{\partial \nu(\mu, t)}{\partial \mu} d\mu \cdot dt$$

where t_d is the duration of the excitation and $v(\mu, t)$ is the average frequency of up-crossings of the level μ .

Figure 2.4-1 below shows the plot of the previous equation for different values of ductility.

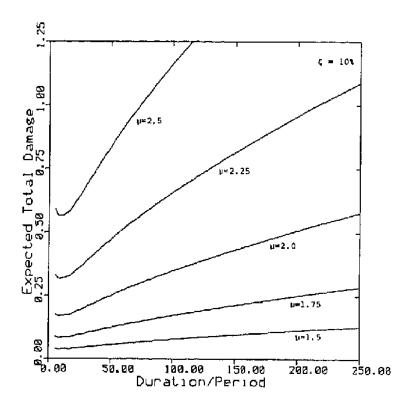


Figure 2.3-1 Expected Damage versus Normalized Duration for Representative Linear Reinforced Concrete Structure

It is clear from the above figure that total damage increases with duration. The slope of increase becomes steeper as the ductility level of the structure increases.

In 1975, Housner concluded that a large acceleration and spectral value but small duration earthquake will cause little structural damage (Housner, 1975). However, more recent studies have shown opposite trends. Jeong *et al.* (1988) showed that duration and ductility greatly affect structural damage and should therefore be taken into account when designing in seismic regions. Moreover, the study showed that for an increasing number of cycles for a given earthquake model, structural damage increases. Jeong *et al.*'s study was based on analytical excitations and not actual earthquake records.

CHAPTER THREE

BRIDGE MODELING

3.1 BRIDGE DESCRIPTIONS

3.1.1 Bridge 5/227

• <u>Geographical Location</u>

Copyright & 1999 W SDOT TDO Interchange Venez. SR 005 - National Ave/Chamber W ay NOT TO SCALE Not for use for engineering or other purposes requiring dimensional accuracy

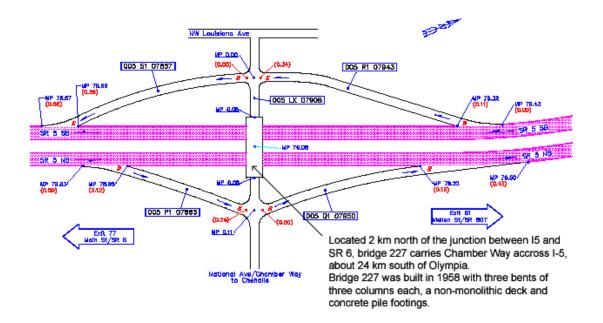


Figure 3.1.1-1 Bridge 5/227 Location

Bridge Properties

The four span bridge has a total length of 53.24 m (184.50 ft). The outer spans are each 13.64 m (44.75 ft) long, the middle-west span is 15.7 m (51.50 ft) long and the

middle-east span is 13.26 m (43.50 ft) long. The bridge elevation and plan views are shown in figures 3.1.1-2 and 3.1.1-3.

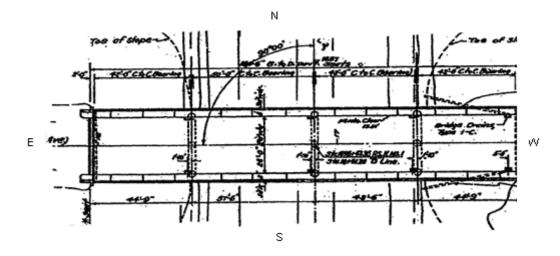


Figure 3.1.1-2 Bridge 5/227 Plan View

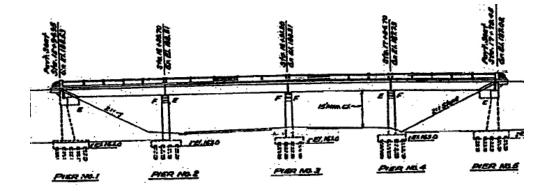


Figure 3.1.1-3 Bridge 5/227 Elevation View

The deck is supported by six 50 ft series standard WSDOT I-girders running longitudinally under each span. The girders are 1.8 m (5 ft, 11 in) on center and are preand post-tensioned (see figure 3.1.1-4). The girders support a 14 cm (5.5 in) thick reinforced concrete slab.

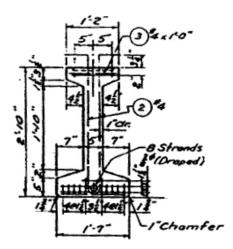


Figure 3.1.1-4 Bridge 5/227 50 ft. Series Girder

At each bent, a 91.44 cm (3 ft) by 1.22 m (4 ft) transverse crossbeam distributes the bridge loads to the three columns. The outer columns of each bent are of equal heights and the middle columns are slightly smaller. For the east bent, the outer columns are 5.68 m (18.64 ft) high and the middle columns are 5.53 m (18.14 ft) high. The middle bent outer and inner columns are 5.83 m (19.12 ft) and 5.68 m (18.62 ft) high respectively. The west bent is comprised of 5.92 m (19.42 ft) high outer columns, and a 5.77 m (18.92 ft) high inner column. The columns are 0.91 m (3 ft) in diameter with a cover of 9.2 cm ($3^{5/8}$ in), reinforced by No. 3 hoops spaced 30.48 cm (12 in) on center. Longitudinal reinforcement is comprised of eight equally spaced No. 10 bars. The lap splice length is 20d_b or 66 cm (2ft, 2in) along the base of each column.

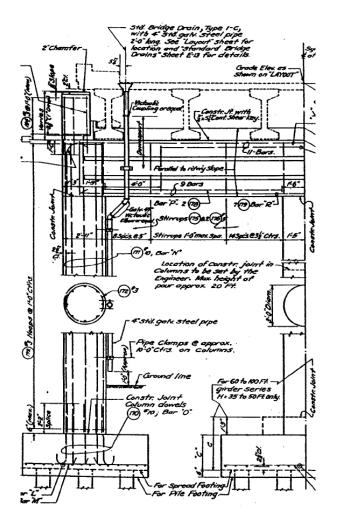


Figure 3.1.1-5 Bridge 5/227 Column Detail

The spread footings are supported by concrete piles. The exterior footings are 76.2 cm (2.5 ft) deep, 1.83 m (6 ft) wide (along the transverse direction of the bridge) and 3.66 m (12 ft) long. The interior footings are 91.44 cm (3 ft) deep, 2.74 m (9 ft) wide and 3.66 m (12 ft) long. The reinforcement for the exterior footings is a grillage of ten no. 9 bars spaced at 17.78 cm (7 in) on center along the length of the footing. For the interior footings, fourteen no. 9 bars spaced at 20.32 cm (8 in) on center longitudinally and twenty no. 6 bars spaced at 17.78 cm (7 in) on center in the transverse direction make up

the reinforcement. The piles form two rows of three along the length of the exterior footings, and three rows of three longitudinally as well under the interior footings as shown in figure 3.1.1-6 below.

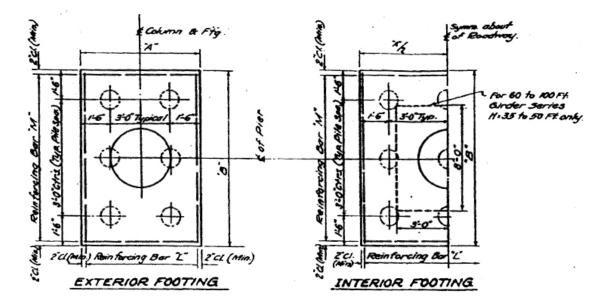


Figure 3.1.1-6 Bridge 5/227 Intermediate Bent Footings

Rubber expansion joints are situated at each bent and at the abutments. They are 5.08 cm (2 in) wide and run the width of the roadway.

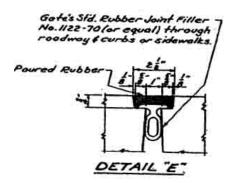


Figure 3.1.1-7 Bridge 5/227 Expansion Joint Detail

The end bents run across the width of the bridge, are 2m (6 ft, 6.5 in) deep and 30.48 cm (1 ft) long for the top half and 91.44 cm (3 ft) long for the bottom half.

Transverse and longitudinal reinforcements are placed throughout the cross-section as displayed in figure 3.1.1-8. Sub-ground columns support the abutments and run about 6.1 m (20 ft) deep below the abutment. The columns are tapered along the depth and are anchored down by a 3.7 m (12 ft) by 4.6 m (15 ft) by 84 cm (2.75 ft) reinforced concrete block. Four rows of five concrete piles support the footings as detailed in figure 3.1.1-8.

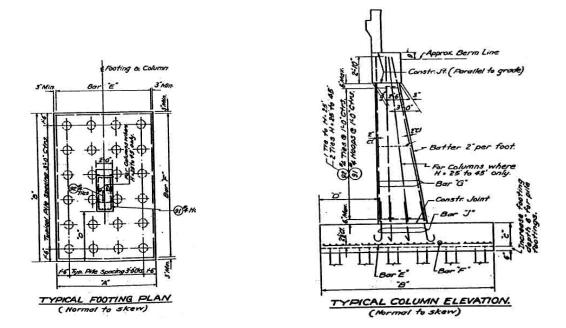


Figure 3.1.1-8 Bridge 5/227 Abutment Sub-Ground Column and Footing

• Bridge Material Properties

Table 3.1.1-1 Bridge 5/227 Material Properties

Material Properties	
Steel Yield Strength	44 ksi (303.5 MPa)
Steel Ultimate Strength	75 ksi (517.24 MPa)
Concrete Strength after 28 days	4 ksi (27.58 MPa)

3.1.2. Bridge 5/649

Geographical Location •

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H: 58 005 - 58 529

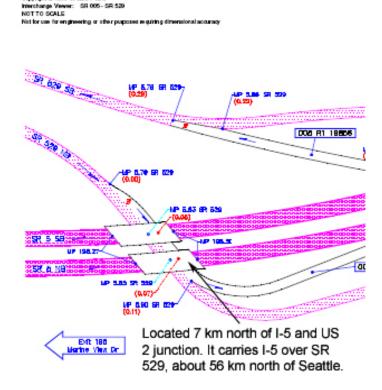


Figure 3.1.2-1 Bridge 5/649 Location

Bridge 5/649 is made up of two independent bridges. The east bridge is 4.88 m (16 ft) longer than the west bridge and therefore will be more prone to damage than the west bridge in the event of an earthquake, which is why the modeling was limited to the east bridge.

Bridge Properties •

Bridge 5/649 is made up of two bents with three columns each, supported by treated timber pile footings. The deck is 74.68 m (245 ft) long divided into three spans: the north ramp which is 23.5 m (77 ft) long, the middle span 29.3 m (96 ft) long and the south ramp 21.95 m (72 ft) long. The bridge carries a 22.5 m (73.8 ft) wide roadway (dimension taken along the back of the pavement seat). The bridge has a 45 degree skew and no curvature.

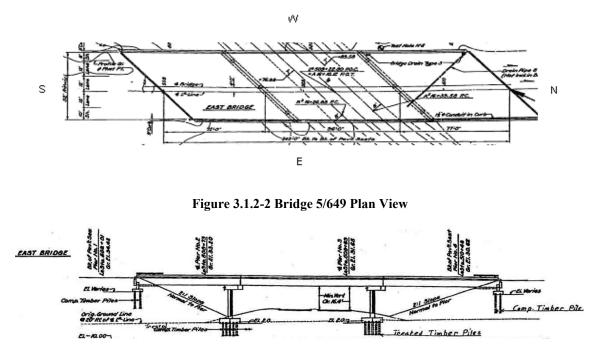


Figure 3.1.2-3 Bridge 5/649 Elevation View

The non-monolithic deck includes a 16.5 cm (6.50 in) thick reinforced concrete slab resting on a series of pre- and post-tensioned I-girders detailed in figure 3.1.2-4 below. The girder layout varies for each span. The south ramp is supported by six girders spaced at 4.3 m (14 ft, 7/8 in) on center, the middle span counts seven girders spaced at 3 m (9 ft, 11 in) on center and the north ramp has five girders spaced at 4.2 m (13 ft, 8 in) on center. The girders are reinforced by no. 4 bars longitudinally and no. 4 stirrups in the transverse direction.

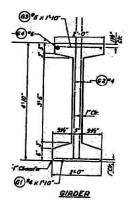


Figure 3.1.2-4 Bridge 5/649 Girder Detail

The girders rest on crossbeams that are 1.22 m (4 ft) by 1 m (3.25 ft) reinforced concrete rectangular beams than run 22.35 m (73.33 ft) across the width of the bridge.

The bridge has a downward slope creating a difference in the column heights. The north bent has three columns: the north-east column measuring 5.41 m (17.74 ft) high, the north-middle column at 5.23 m (17.15 ft) high and the north-west column at 5 m (16.35 ft) high. The south bent has a similar configuration with slightly taller columns: the south-east column is 5.9 m (19.23 ft) high, the south-middle is 5.7 m (18.7 ft) high and the south-west is 5.5 m (17.98 ft) high. Each column is reinforced longitudinally by eleven evenly spaced no. 9 bars and in the traverse direction by no. 3 hoops spaced at 30.48 cm (12 in) on center. The lap splice length is 1 m (3 ft, 4 in) which represents 35 d_b.

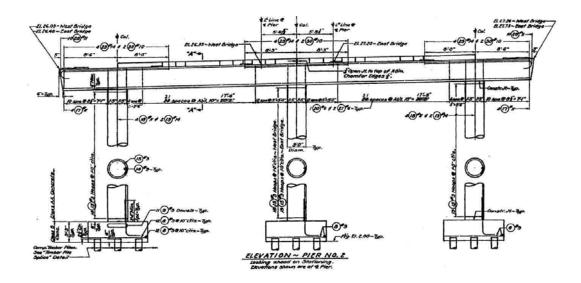


Figure 3.1.2-5 Bridge 5/649 Column Detail

Each column rests on concrete spread footings with treated timber piles. The footings are 2.9 m (9.5 ft) squares, 1 m (3.25 ft) deep. The timber piles are arranged in a grid of three rows of three.

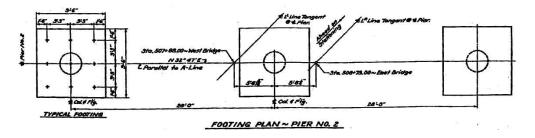


Figure 3.1.2-6 Bridge 5/649 Footing Detail

The expansion joints at each bent and at the abutments contribute to a release of energy in the longitudinal direction during seismic activity. The rubber joints are 3.17 cm (1.25 in) wide.

The abutments are inverted T-beams about 22.25 m (73 ft) long, 1.98 m (6.5 ft) wide and 1.98 m (6.5 ft) high. The stems are cut-out to support the girders and provide

transverse girder stops in both directions for each girder. Two rows of ten concrete piles spaced in the transverse direction at 2.36 m (7.75 ft) on center, support each abutment.

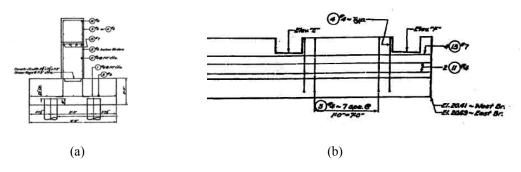


Figure 3.1.2-7 Bridge 5/649 Abutment Footing detail: (a) Cross-section, (b) Elevation

• Bridge Material Properties

Table 3.1.2-1 Bridge 5/649 Material Properties

Material Properties	
Steel Yield Strength	44 ksi (303.5 MPa)
Steel Ultimate Strength	75 ksi (517.24 MPa)
Concrete Strength after 28 days	4 ksi (27.58 MPa)

3.1.3 Bridge 512/19

• <u>Geographical Location</u>



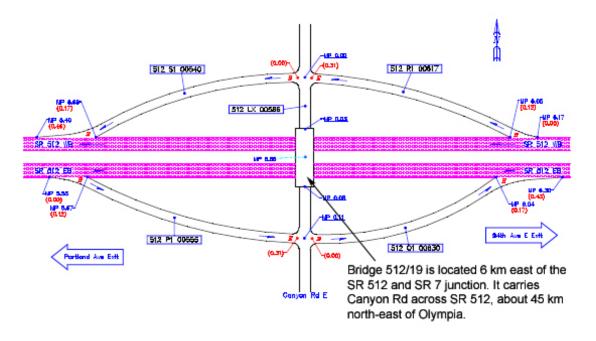


Figure 3.1.3-1 Bridge 512/19 Intersection

Bridge Properties

This bridge is the largest of all three bridges. The roadway is 23.5 m (77 ft) wide and 75.6 m (248 ft) long. The roadway rests on three bents of four columns each anchored into the ground by concrete spread footings. The deck is monolithic and has a slight skew of about 3 degrees.

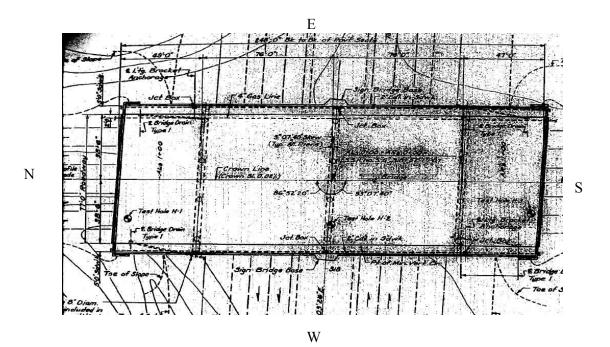


Figure 3.1.3-2 Bridge 512/19 Plan View

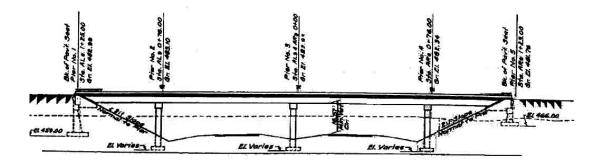


Figure 3.1.3-3 Bridge 512/19 Elevation View

The bridge is made up of four spans: the north ramp is 15 m (49 ft) long, the two middle spans are 23.16 m (76 ft) long and the south ramp is 14.33 m (47 ft) long. The slab is 16.51 cm (6.5 in) thick and is supported by twelve I-girders spaced evenly at 2.23 m (7 ft, 4 in) apart. The girders are 1.27 m (4 ft, 2 in) tall. The bottom flange is reinforced by no. 4 bars and the top flange by no. 5 bars. The stirrups are no. 4 bars.

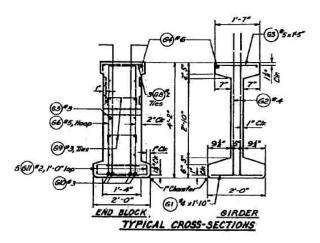


Figure 3.1.3-4 Bridge 512/19 Girder Detail

The girders rest on crossbeams at intermediate piers. These crossbeams are 1.1 m (3.5 ft) square reinforced concrete beams that run 23.47 m (77 ft) across the bridge. The crossbeams join the columns and form the bents supporting the bridge. The columns all have the same height of 6.13 m (20.1 ft). The columns are 91.44 cm (3 ft) in diameter and are reinforced longitudinally by eleven evenly spaced no. 9 bars and by no. 3 hoops spaced 30.48 cm (12 in) on center. Lap splice length is 35 d_b, which totals 1 m (3 ft, 4 in).

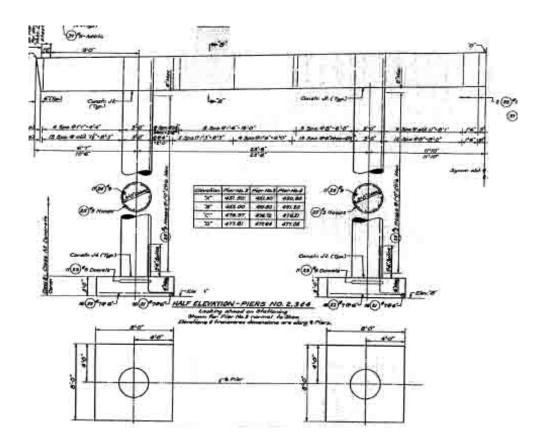


Figure 3.1.3-5 Bridge 512/19 Column Detail

The abutments are reinforced concrete piers supported by sub-ground columns of different heights. The north abutment is the deepest one at 7 m (23 ft) deep from the top of the deck, and the south abutment is 4.88 m (16 ft) deep from the top of the deck. They are L-shaped beams 2.5 m (8 ft, 2 in) high and 30.48 cm (1 ft) wide for the stem and 1.13 m (3 ft, 9 in) for the seat. The abutments are anchored into the ground by spread footings that are 2.13 m (7 ft) by 3.66 m (12 ft) by 61 cm (2 ft) concrete blocks for the north abutment and 1.83 m (6 ft) by 3.05 m (10 ft) by 61 cm (2 ft) deep reinforced concrete blocks for the south abutment.

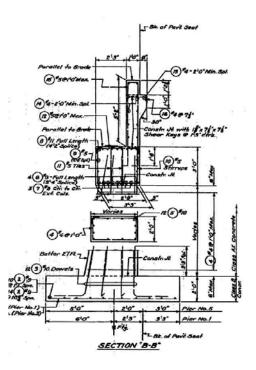


Figure 3.1.3-6 Bridge 512/19 Abutment Cross-section

The abutments were built to provide transverse support to the girders through girder stops. Four girder stops are positioned on both abutments, two in each direction. They are 45.72 cm (1.5 ft) by 50.8 cm (1 ft, 8 in) by 22.86 cm (9 in) high concrete blocks poured once the girders are in place. Figure 3.1.3-7 illustrates the locations of the girder stops along the abutments as well as a plan view.

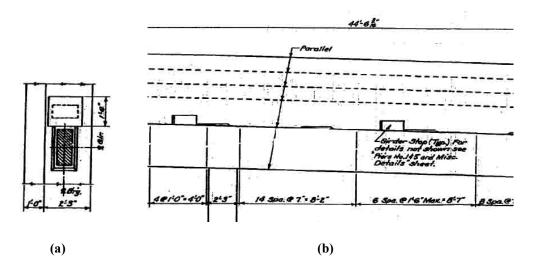


Figure 3.1.3-7 Bridge 512/19 Girder Stop : (a) Plan View and (b) Locations

<u>Bridge Material Properties</u>

Material Properties	
Steel Yield Strength	44 ksi (303.5 MPa)
Steel Ultimate Strength	75 ksi (517.24 MPa)
Concrete Strength after 28 days	4 ksi (27.58 MPa)

Table 3.1.3-1 Bridge 512/19 Material Properties

3.2 BRIDGE CALIBRATION

3.2.1 Jaradat Specimens

In order to model the bridge columns, it was necessary to compare the model to experimental data. A previous WSU graduate student, Jaradat (1996), tested several columns in the laboratory at 1/3 scale. The one that best fit the existing bridges was specimen T2. The concrete compressive strength of the bridges is specified in the plans as 4000 psi. An increase of 1.5 was recommended by WSDOT and Priestley (1991) to account for the natural gain in strength over the last 40 to 50 years.

Table 3.2.1-1 below is a presentation of the test specimen's properties compared to the bridge column properties.

	Jaradat Specimen T2	Bridge5/649	Bridge 5/227	Bridge 512/19
Material Properties				
Steel Yield Strength	371 MPa (53.8 ksi)	303 MPa (44 ksi)	303 MPa (44 ksi)	303 MPa (44 ksi)
Steel Ultimate Strength	578 MPa (83.9 ksi)	517 MPa (75 ksi)	517 MPa (75 ksi)	517 MPa (75 ksi)
Concrete Strength after 28 days	29 MPa (4.2 ksi)	41 MPa (6 ksi)	41 MPa (6 ksi)	41 MPa (6 ksi)
Geometric properties				
Column length	177.8 cm (70 in)	5.2 - 6.1 m (204-240 in)	5.4 - 5.9 m (211-233 in)	6.1 m (241 in)
Column diameter	25.4 cm (10 in)	91.4 cm (36 in)	91.4 cm (36 in)	91.4 cm (36 in)
Reinforcement Properties				
Longitudinal reinforcement ratio	0.011	0.0113	0.011	0.0113
Transverse reinforcement ratio	0.00194	0.00194	0.00194	0.00194
Longitudinal bars	8 #3	11 #9	8 #10	11 #9
Hoops	9 gauge (3.2 in o.c.)	#3 (12 in sp)	#3 (12 in sp)	#3 (12 in sp)
Lap splice	20 db	35 db	20 db	35 db

 Table 3.2.1-1 Jaradat Specimen and Existing Bridge Properties

Specimen T2 was tested under cyclic loading with a peak lateral load of 35.6 kN (8.0 kips) and an axial load of 84.5 kN (19 kips) to represent the dead loads applied to the columns. Figure 3.2.1-1 shows the hysteresis curves obtained for specimen T2.

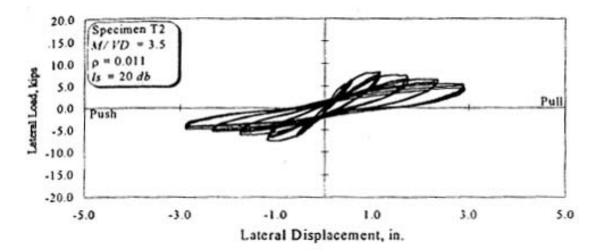


Figure 3.2.1-1 Specimen T2 Lateral Load-Displacement Hysteresis Curve

An envelope representing a force-displacement pushover curve for the specimen was extracted from this hysteresis. This envelope was used to calibrate each column of the existing bridges.

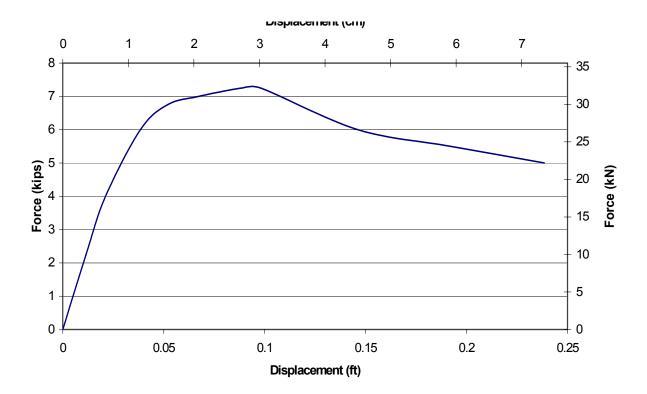


Figure 3.2.1-2 Specimen T2 Force-Displacement Envelope of Specimen T2

3.2.2 Scaling

Jaradat (1996) tested several columns under cyclic loading. These columns were scaled down to be conducted in a laboratory. Therefore, the results needed to be scaled up to fit the analytical assessment of the columns in the existing bridge. The material properties for the test and the bridge are different; therefore, each column of the bridge was modeled with the same material properties as the test column in order to compare the force-displacement prediction to the test results. Once the behavior of each column of the bridge approached the specimen's, the entire bridge model was run with the existing material properties of the bridge. In the following equations, subscript "ex" specifies the test specimen and "mod" the bridge model. Since the length and the diameter of the columns aren't scaled linearly, it is necessary to differentiate the two dimensions. • Scaling the Forces and Moments:

The internal forces of the column can be defined as follows:

$$F_{ex} = \frac{M_{ex}}{L_{ex}} \text{ with } M_{ex} = A_{s.ex} f_y \left(D_{ex} - \frac{a}{2} \right)$$
 (For the test data)
$$F_{\text{mod}} = \frac{M_{\text{mod}}}{L_{\text{mod}}} \text{ with } M_{\text{mod}} = A_{s.\text{mod}} f_y \left(D_{\text{mod}} - \frac{a}{2} \right)$$
 (For the model data)

Therefore to scale the forces, the moments must be scaled. The first term is the steel reinforcement area, which can be scaled as follows:

$$A_{s.\,\mathrm{mod}} = \left(\frac{D_{\mathrm{mod}}}{D_{ex}}\right)^2 \cdot A_{s.ex}$$

The steel yield strength (f_y) is identical for each column in the scaling process. The second term is a function of the column diameter and the distance to the neutral axis. To be as exact as possible in the scaling process, two moment-curvature analyses were run. Since the steel reinforcement area and yield strength of both the specimen and the bridge column are known, a plot of $\left(D_{ex} - \frac{a}{2}\right)$ vs. $\left(D_{mod} - \frac{a}{2}\right)$ was drawn.

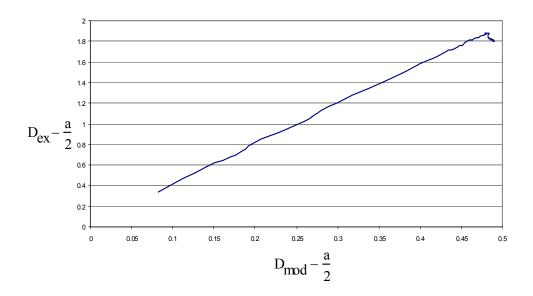


Figure 3.2.2-1 Relationship Between "D-a/2" Experimental and Model

The graph clearly shows that both quantities vary linearly with a slope of 0.259. The ratio of column diameters in this case is: $\frac{D_{ex}}{D_{mod}} = \frac{10}{36} = 0.278$

Therefore, the last term in the moment equation can be scaled as such:

$$D_{\text{mod}} - \frac{a}{2} = \frac{D_{\text{mod}}}{D_{ex}} \cdot \left(D_{ex} - \frac{a}{2} \right)$$

Using the two previous equations, the moment at the base of the model column can be expressed as a function of the moment at the base of the specimen.

$$M_{\rm mod} = \left(\frac{D_{\rm mod}}{D_{ex}}\right)^3 \cdot M_{ex}$$

The same factor can be used to scale the forces, taking the column lengths into account:

$$F_{\text{mod}} = \left(\frac{D_{\text{mod}}}{D_{ex}}\right)^3 \cdot \frac{L_{ex}}{L_{\text{mod}}} \cdot F_{ex}$$

Therefore the moment varies with the diameter cubed and the force varies with the diameter cubed times the ratio of lengths.

• Scaling the Displacements

For the displacements, the following equations were used:

$$\Delta_{y.ex} = \frac{\phi_{y.ex} \cdot L_{ex}^2}{6} \text{ with } \phi_{y.ex} = 2.25 \frac{\varepsilon_y}{D_{ex}}$$

$$\Delta_{y.\text{mod}} = \frac{\phi_{y.\text{mod}} \cdot L_{\text{mod}}^2}{6} \text{ with } \phi_{y.\text{mod}} = 2.25 \frac{\varepsilon_y}{D_{\text{mod}}}$$

These equations can be combined to express the model displacements as a function of the specimen displacements. The curvature will vary with the inverse of the diameter and the displacement will vary with the length squared.

$$\Delta_{y.\,\mathrm{mod}} = \frac{D_{ex}}{D_{\mathrm{mod}}} \left(\frac{L_{\mathrm{mod}}^2}{L_{ex}^2}\right) \cdot \Delta_{y.ex}$$

However, for a displacement larger than the yield displacement, the equations differ. There is an additional term, Δ_{p} which can be calculated using the following equation:

$$\Delta_p = \left(\frac{M_u}{M_n} - 1\right) \cdot \Delta_y + L_p \cdot \left(\phi_u - \phi_y\right) \cdot \left(L - \frac{L_p}{2}\right)$$

Where, M_u is the ultimate moment, M_n the moment at yield, Φ_u the ultimate curvature and L_p the plastic hinge length of the column :

In US units:
$$L_p = 0.08 \cdot \frac{L}{2} + 0.15 \cdot f_y \cdot d_b$$

In metric units: $L_p = 0.08 \cdot \frac{L}{2} + 0.22 \cdot f_y \cdot d_b$

The deck is assumed to be infinitely rigid which makes the column react as if it were fixed at the base and constrained with a roller at the free end, making it behave in double bending. This is why half the length of the column is used to compute L_p .

 Δ_y has already been factored. For the second term of the equation, the factored term is the following:

$$\frac{L_{p.\text{mod}} \cdot \left(\phi_u - \phi_y\right)_{\text{mod}} \cdot \left(L_{\text{mod}} - \frac{L_{p.ex}}{2}\right)}{L_{p.ex} \cdot \left(\phi_u - \phi_y\right)_{ex} \cdot \left(L_{ex} - \frac{L_{p.\text{mod}}}{2}\right)}$$

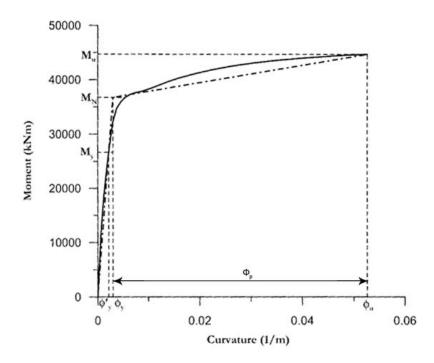
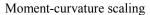


Figure 3.2.2-2 Bilinear Relationship Between Moment and Curvature

To correctly determine how to scale $\Phi_u - \Phi_y$, a moment-curvature analysis was run, identical to the one used to determine the scaling factors for the moment values.



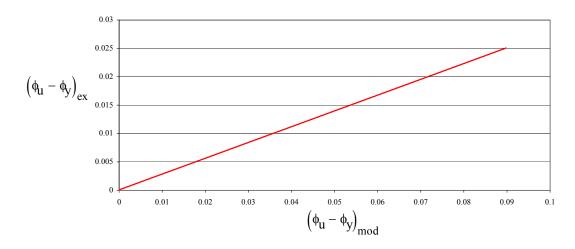


Figure 3.2.2-3 Linear Relationship Between Φ_u - Φ_y Factor

The plot illustrates the linear relationship between both plastic curvatures. The slope in this case is of 3.593, which is comparable to a scaling factor of: $\frac{D_{\text{mod}}}{D_{ex}} = \frac{36}{10} = 3.6$

Therefore, to correctly scale up the displacements these are the equations used:

For
$$\Delta \leq \Delta_{y}$$
 use $\Delta_{\text{mod}} = \frac{D_{ex}}{D_{\text{mod}}} \cdot \left(\frac{L_{\text{mod}}^{2}}{L_{ex}^{2}}\right) \cdot \Delta_{ex}$
For $\Delta \geq \Delta_{y}$ use $\Delta_{\text{mod}} = \frac{D_{ex}}{D_{\text{mod}}} \cdot \left(\frac{L_{\text{mod}}^{2}}{L_{ex}^{2}}\right) \cdot \Delta_{ex} + \frac{L_{p.\text{mod}} \cdot D_{ex} \cdot \left(L_{\text{mod}} - \frac{L_{p.ex}}{2}\right)}{L_{p.ex} \cdot D_{\text{mod}} \cdot \left(L_{ex} - \frac{L_{p.\text{mod}}}{2}\right)} \cdot \left(\Delta_{ex} - \Delta_{y.ex}\right)$

The last component to factor is the axial load. The axial load varies with the cross-section of the column, therefore with the diameter squared:

$$P_{\rm mod} = \left(\frac{D_{\rm mod}}{D_{ex}}\right)^2 \cdot P_{ex}$$

See Appendix A-1 for an example of the scaling up of the center column of the center bent of Bridge 5/227 fitted column to Jaradat T2 specimen scaled up.

3.2.3 Modeling

In order to determine the properties of the columns, a moment/curvature analysis was run to determine the values at actual yield, idealized yield and at failure.

With the values obtained the effective moment of inertia of the column can be

determined: $I_{eff} = \frac{M_n}{E_c \Phi_y}$ where Mn is the moment at idealized yield and ϕ_y is the

curvature at idealized yield.

However, this inertia value doesn't represent the inertia of the actual bridge columns. Longitudinal reinforcement of the column penetrates into the footing and in the deck as detailed in figure 3.2.3-3 below.

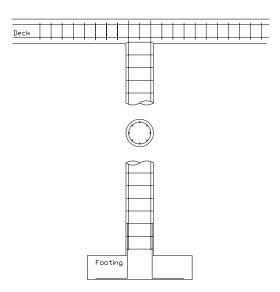


Figure 3.2.3-1 Column Reinforcement Pattern

The effect of the reinforcement penetration can be added to the clear height of the column: $L' = L + 2 \cdot L_{sp}$

Where L is the clear height, the strain penetration term is defined by $L_{sp} = 0.15 \cdot f_y \cdot d_b$,

 f_y is the reinforcing steel yield strength and d_{b_i} the diameter of the longitudinal bars.

Running a pushover analysis with these two different lengths shows how the strain penetration affects the yield force and the inertia of the column:

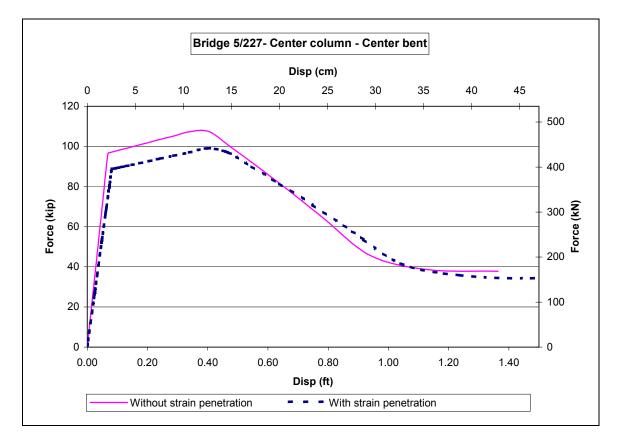


Figure 3.2.3-2 Comparison Between Force-Displacement Curves with Strain Penetration and Without

The stiffness of the column, k, can be found using the following equation:

$$k = 12 \cdot E_c \cdot \frac{I}{L^3}.$$

To match the test data, the model column and the scaled test column must have approximately the same stiffness. Therefore, the final moment of inertia of the column

can be calculated as follows:
$$I = k_{test} \cdot \frac{L^3}{12 \cdot E_c}$$

See Appendix A-2 for a plot of a fitted column to Jaradat T2 specimen scaled up and the input files for each bridge.

• <u>Calculating the Spring Values</u>

The existing soil properties of each bridge are unknown. However, a previous WSU graduate student, Cody Cox (2005), has done an extensive study of the possible soil conditions in the Olympia region. The spring stiffness values for bridges 227, 512 and 649 were determined after comparison with Cody's bridges.

The soil properties for Bridge 5/227 have already been calculated by Cody using several different programs.

Bridge 5/649 presented similarities with bridge 826. They both had timber pile footings and the abutments were approximately the same height, however, the overall width of the bridges differed. Soil properties depend mainly on soil pressure surrounding the footing. Soil pressure varies in a non-linear manner with the depth of the footing but is assumed to be constant throughout the width of the footing. Therefore the assumption that the soil stiffness values at the abutments varied linearly with the width of the abutment was made.

Bridge 512/19 presented similarities with bridge 518. Both bridges were built on spread footings, however the abutment height and overall width of the bridges varied. As for Bridge 5/649, the spring values at the abutments were scaled linearly with the width

of the bridge. Regarding the abutment height, it is known that the deeper the footing, the stiffer the spring model should be. However, this relationship is not linear, nor does it follow any type of mathematical equation. Looking through Cody's work on abutment stiffness, the relationship was dependent on several factors: the dimensions of the spread footings, the material properties of the bridge as well as two factors alpha and beta different for each spring direction. These two factors varied with the ratio length by width of the footings.

	Translat	tion	Translation		Translation		Rocking		Rocking		Rotatio	on
	X Direct	tion	on Y Direction		Z Direction		about X Dir.		about Y Dir.		about Z	Dir.
L/B	alpha	beta	alpha	beta	alpha	beta	alpha	beta	alpha	beta	alpha	beta
0.194	1.025	1.420	1.025	1.420	1.035	1.125	1.050	1.700	1.050	1.150	1.050	1.150
1.263	1.030	1.480	1.030	1.480	1.035	1.100	1.050	1.700	1.050	1.750	1.050	1.750
1.412	1.040	1.500	1.025	1.500	1.040	1.100	1.060	1.700	1.060	1.750	1.060	2.100
1.600	1.050	1.520	1.060	1.520	1.060	1.110	1.060	1.740	1.060	1.760	1.060	2.200
1.667	1.055	1.480	1.060	1.480	1.060	1.100	1.060	1.700	1.060	1.750	1.060	1.900
0.600	1.025	1.450	1.025	1.450	1.035	1.100	1.050	1.700	1.050	1.380	1.050	1.380

Table 3.2.3-1 Calculation Factors for Estimating Soil Spring Stiffness

With these values were calculated the spring stiffness at each abutment in all six directions. Since the spring values were calculated with approximate soil properties, a range of soil elastic modulus were used to model each bridge. These values are presented below in metric units (for US units see Appendix A-3).

		Tra	nslational Spri	ings	R	otational Spring	ls	
Bridge 512/19	Es (MN/m2)	K11 (Trans) MN/m	K22 (Long.) MN/m	K33 (Vert.) MN/m	K44 (Trans.) MN/m/rad	K55 (Long.) MN/m/rad	K66 (Vert.) MN/m/rad	
	47.88	2.0427E+03	2.0427E+03	2.1346E+03	5.9570E+04	1.6292E+05	1.2418E+05	
North Abut	287.28		1.2256E+04		3.5742E+05	9.7754E+05	7.4510E+05	
	861.84		3.6768E+04		1.0723E+06	2.9326E+06	2.2353E+06	
	47.88		2.3082E+02	2.3851E+02	1.0903E+04	6.6909E+03	1.1950E+04	
North Pier	287.28	1.3849E+03	1.3849E+03	1.4311E+03	6.5417E+04	4.0145E+04	7.1701E+04	
	861.84	4.1547E+03	4.1547E+03	4.2932E+03	1.9625E+05	1.2044E+05	2.1510E+05	
	47.88	2.3845E+02	2.3845E+02	2.5094E+02	1.1739E+04	8.5124E+03	1.1385E+04	
Center Pier	287.28	1.4307E+03	1.4307E+03	1.5056E+03	7.0437E+04	5.1074E+04	6.8312E+04	
	861.84	4.2920E+03	4.2920E+03	4.5169E+03	2.1131E+05	1.5322E+05	2.0494E+05	
	47.88	2.2182E+02	2.2182E+02	2.3043E+02	1.0159E+04	5.0775E+03	1.0759E+04	
South Pier	287.28		1.3309E+03		6.0957E+04	3.0465E+04	6.4554E+04	
	861.84	3.9927E+03	3.9927E+03	4.1477E+03	1.8287E+05	9.1395E+04	1.9366E+05	
	47.88	8.2237E+02	8.2237E+02	8.5937E+02	2.3983E+04	6.5593E+04	4.9996E+04	
South Abut	287.28	4.9342E+03	4.9342E+03	5.1562E+03	1.4390E+05	3.9356E+05	2.9998E+05	
	861.84	1.4803E+04	1.4803E+04	1.5469E+04	4.3169E+05	1.1807E+06	8.9993E+05	
Bridge 5/227	Es (MN/m2)	Tra	nslational Spri	ings	Rotational Springs			
	0.24		1.2372E+03		2.0087E+05	2.0096E+05	4.5472E+02	
West Abut	47.88		2.1598E+03		2.5356E+05	2.7206E+05	9.0945E+04	
	287.28	6.7512E+03	6.7961E+03	1.0426E+04	5.1836E+05	6.2934E+05	5.4567E+05	
	861.84		1.7923E+04	2.1952E+04	1.1539E+06	1.4868E+06	1.6370E+06	
	0.24	2.8936E+02	2.8936E+02	1.3613E+03	7.7936E+03	7.7740E+03	6.4175E+01	
West Pier	47.88	5.3621E+02	5.3621E+02	1.6247E+03	1.9522E+04	1.5598E+04	1.2835E+04	
West Fiel	287.28	1.7766E+03	1.7766E+03	2.9486E+03	7.8461E+04	5.4912E+04	7.7010E+04	
	861.84	4.7536E+03	4.7536E+03	6.1259E+03	2.1991E+05	1.4927E+05	2.3103E+05	
	0.24	2.8936E+02	2.8936E+02	1.3613E+03	7.7936E+03	7.7740E+03	6.4175E+01	
Center Pier	47.88		5.3621E+02	1.6247E+03	1.9522E+04	1.5598E+04	1.2835E+04	
	287.28	1.7766E+03	1.7766E+03	2.9486E+03	7.8461E+04	5.4912E+04	7.7010E+04	
	861.84		4.7536E+03	6.1259E+03	2.1991E+05	1.4927E+05	2.3103E+05	
	0.24		2.8936E+02	1.3613E+03	7.7936E+03	7.7740E+03	6.4175E+01	
East Pier	47.88		5.3621E+02	1.6247E+03	1.9522E+04	1.5598E+04	1.2835E+04	
	287.28		1.7766E+03		7.8461E+04	5.4912E+04	7.7010E+04	
	861.84			6.1259E+03	2.1991E+05	1.4927E+05	2.3103E+05	
	0.24		1.2373E+03	4.6677E+03	2.0087E+05	2.0096E+05	4.5472E+02	
East Abut	47.88		2.1598E+03	5.6232E+03	2.5356E+05	2.7206E+05	9.0945E+04	
	287.28		6.7961E+03		5.1836E+05	6.2934E+05	5.4567E+05	
	861.84	1.7966E+04	1.7923E+04	2.1952E+04	1.1539E+06	1.4868E+06	1.6370E+06	

Table 3.2.3-2 Spring Values for Each Bridge

Bridge 5/649	Es (MN/m2)	Tra	nslational Spr	ings	Rotational Springs			
	47.88	1.0839E+03	1.1804E+03	2.6482E+03	8.9691E+03	1.4740E+05	1.1481E+05	
South Abut	287.28	2.7672E+03	2.8637E+03	4.6792E+03	5.1353E+04	8.8195E+05	6.8887E+05	
	861.84	6.8071E+03	6.9036E+03	9.5536E+03	1.5308E+05	2.6449E+06	2.0666E+06	
	47.88	4.9103E+02	4.9103E+02	9.2741E+02	1.7840E+04	1.7840E+04	2.4969E+04	
South Pier	287.28	1.9461E+03	1.9461E+03	2.4257E+03	1.0666E+05	1.0666E+05	1.4981E+05	
	861.84	5.4383E+03	5.4383E+03	6.0216E+03	3.1984E+05	3.1984E+05	4.4944E+05	
	47.88	3.0897E+02	3.0897E+02	9.2741E+02	1.7808E+04	1.7808E+04	2.4969E+04	
North Pier	287.28	1.7641E+03	1.7641E+03	2.4257E+03	1.0663E+05	1.0663E+05	1.4981E+05	
	861.84	5.2563E+03	5.2563E+03	6.0216E+03	3.1980E+05	3.1980E+05	4.4944E+05	
	47.88	1.2430E+03	1.3395E+03	2.8724E+03	9.0303E+03	1.4746E+05	1.1481E+05	
North Abut	287.28	2.9263E+03	3.0228E+03	4.9034E+03	5.1415E+04	8.8201E+05	6.8887E+05	
	861.84	6.9662E+03	7.0627E+03	9.7778E+03	1.5314E+05	2.6449E+06	2.0666E+06	

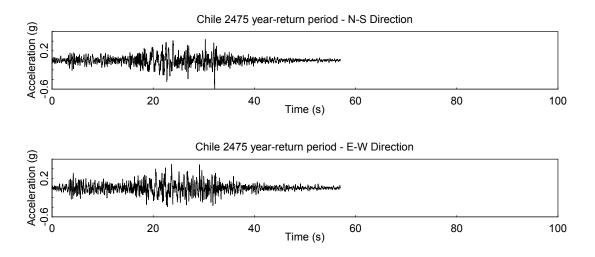
CHAPTER FOUR

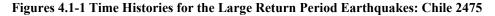
SEISMIC ANALYSIS

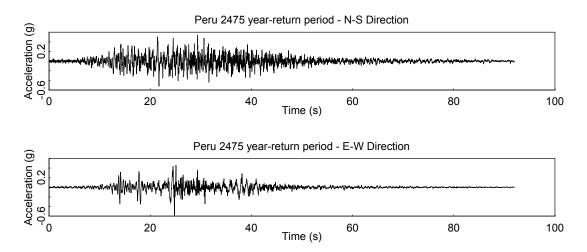
4.1 SEISMIC EXCITATIONS

Ten seismic excitations were used to assess the bridges: four short-duration and six long-duration motions. The short-duration motions were the Olympia and Kobe excitations, with the Kobe excitation being also a near-fault motion. The long-duration motions were the Mexico, Peru and Chile excitations. Figures 4.1-1 to 4.1-10 show the time histories for the longitudinal and transverse directions of these earthquakes. The Peru and Chile earthquake time histories were generated by modifying the ground motions from South American, inter-plate, subduction zone earthquakes to fit a target acceleration spectrum for the Seattle area. The spectrum was derived from the Atkinson and Boore (2003) relationship which includes several terms including soil classification and a near-source saturation term.

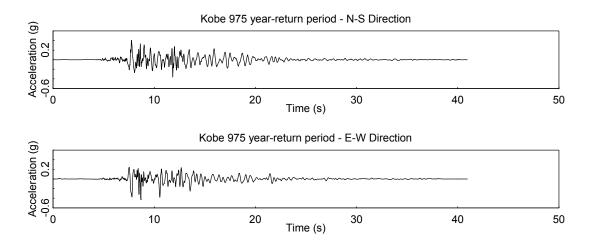
The other six earthquakes (Olympia, Mexico and Kobe, both 475 and 975-year return periods), were provided by WSDOT. These three time histories were modified by PanGeo Inc., a geotechnical subconsultant of WSDOT for The Aurora Avenue bridge retrofit project in Seattle. Probalistic and deterministic approaches were used to develop the ground motion. They relied on several design requirement criteria (The current WSDOT (500-yr return period), CalTrans (1000 year), UBC (1000 year) and the 2000 IBC (2500 year)) for the probalistic approach.



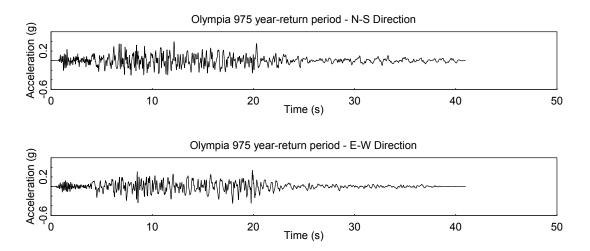


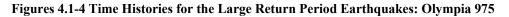


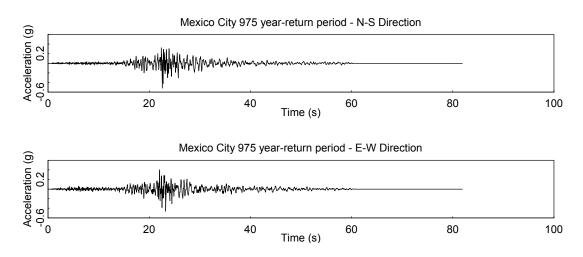
Figures 4.1-2 Time Histories for the Large Return Period Earthquakes: Peru 2475



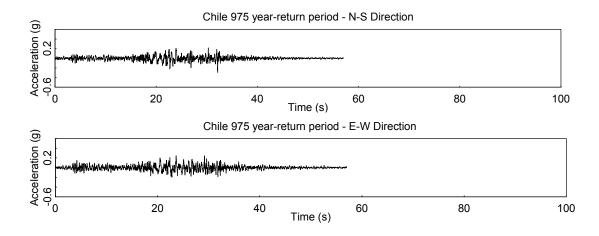
Figures 4.1-3 Time Histories for the Large Return Period Earthquakes: Kobe 975



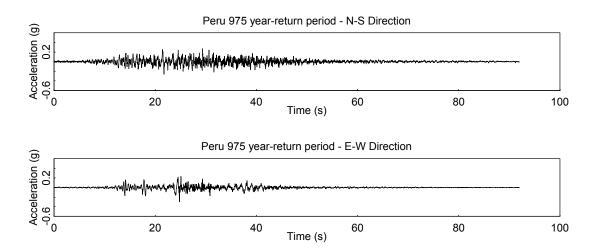




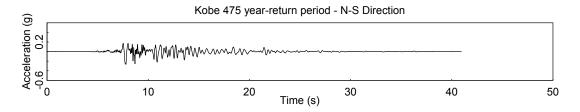
Figures 4.1-5 Time Histories for the Large Return Period Earthquakes: Mexico City 975

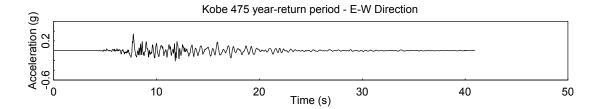


Figures 4.1-6 Time Histories for the Small Return Period Earthquakes: Chile 975

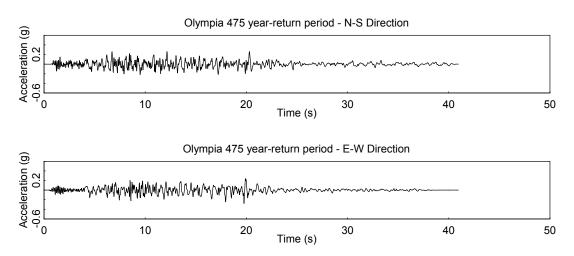




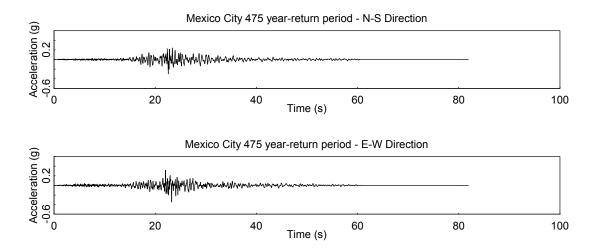




Figures 4.1-8 Time Histories for the Small Return Period Earthquakes: Kobe 475



Figures 4.1-9 Time Histories for the Small Return Period Earthquakes: Olympia 475



Figures 4.1-10 Time Histories for the Small Return Period Earthquakes: Mexico City 475

A typical way of characterizing a bridge's response under seismic loading is to use acceleration and displacement spectra, which in this case were created using the software SPECTRA (Carr, 2004). The vertical excitation being a linear scaled version of the highest between the transverse and the longitudinal directions, it would be redundant to display it. Figures 4.1-11 to 4.1-16 show the acceleration and displacement spectra for each earthquake.

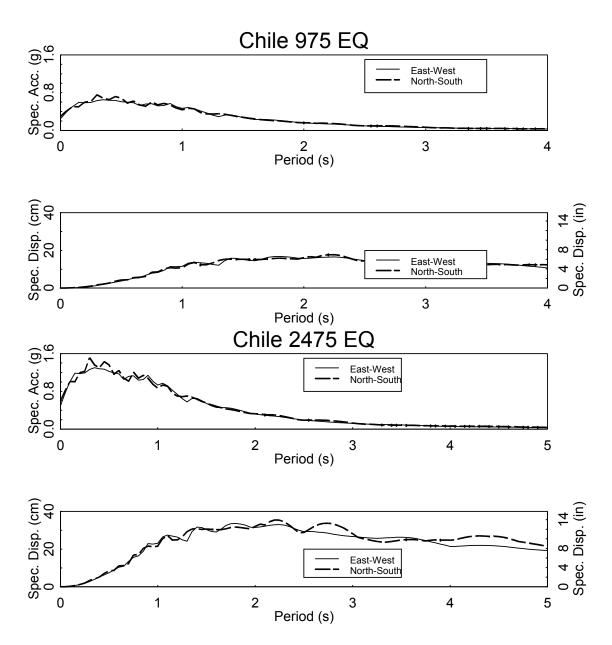


Figure 4.1-11 ARS and DRS for Chile 975 and 2475 Earthquakes

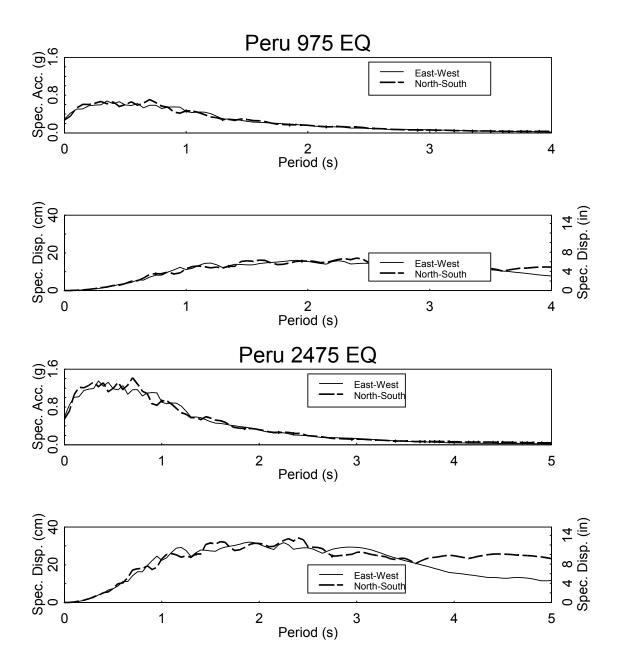


Figure 4.1-12 ARS and DRS for Peru 975 and 2475 Earthquakes

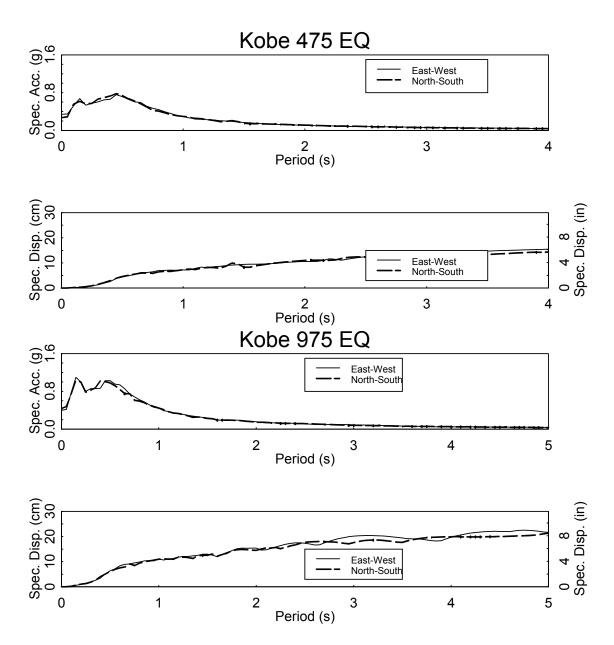


Figure 4.1-13 ARS and DRS for Kobe 475 and 975 Earthquakes

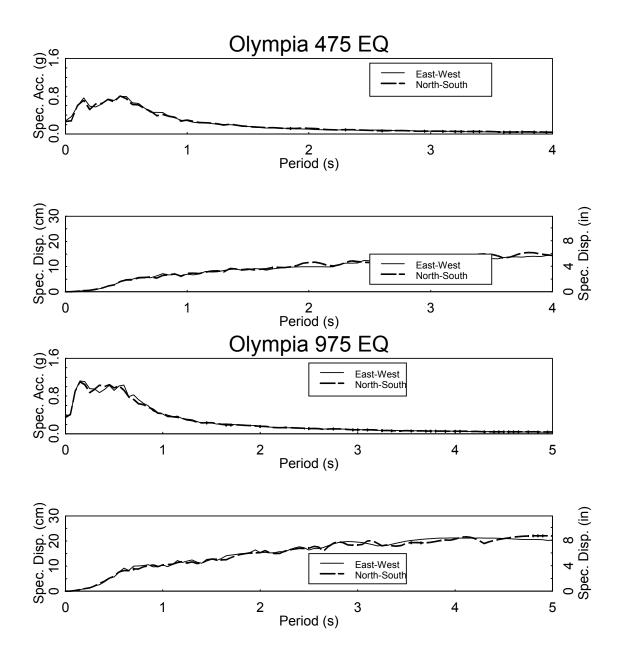


Figure 4.1-14 ARS and DRS for Olympia 475 and 975 Earthquakes

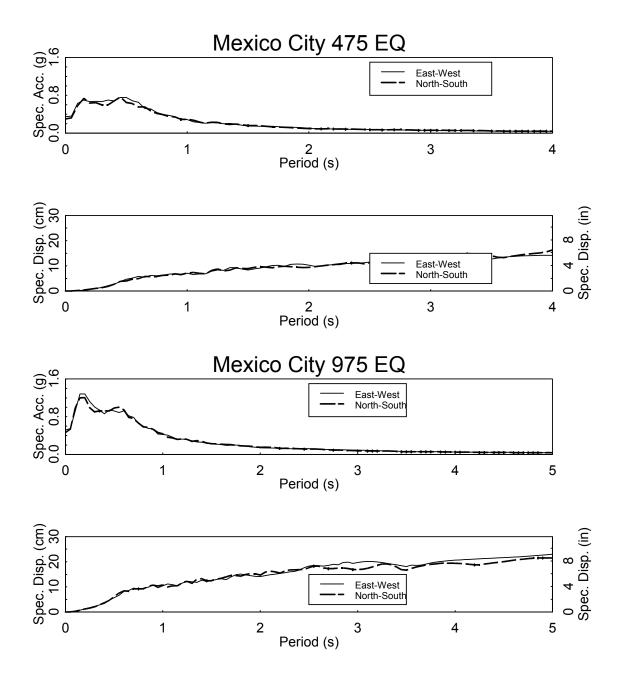


Figure 4.1-15 ARS and DRS for Mexico City 475 and 975 Earthquakes

It is interesting to note that the displacement spectra for the Olympia, Kobe and Mexico earthquake have a displacement that increases with the period. However, the Chile and Peru earthquakes reach a peak displacement at around 1.5 to 2.5 second periods and then displacement is reduced as the period increases.

		Lg Dir.	Tr Dir.		Longitudina	Dir.			Transverse	Dir.	
Bridge		Period	Period	Mean	S		SD	Mean	S		SD
model	Es (ksf - MPa)	(s)	(s)	period	S_{A} (g)		(cm)	period	S_{A} (g)		(cm)
mouor		(0)	(0)	(s)	_		(011)	(s)			(011)
					East-West				North-South		
	6000 - 287.3	0.33	0.39		Kobe 475	0.65	1.98		Kobe 475	0.73	2.90
					Kobe 975	0.86	2.74		Kobe 975	1.02	3.96
	10000 001 0				Mexico 475	0.69	2.29		Mexico 475	0.68	2.74
5/227	18000 - 861.8	0.33	0.39		Mexico 975	0.90	3.05		Mexico 975	0.92	3.51
5/227				0.37	Olympia 475	0.73	2.29	0.40	Olympia 475	0.68	2.59
	Fixed / Dellar	0.50	0.38		Olympia 975	0.90	3.05		Olympia 975	1.00	3.96
	Fixed / Roller	0.53	0.38		Peru 975	0.65	4.88 4.27		Peru 975	0.66	5.49
					Peru 2475 Chilo 975	1.30 0.65			Peru 2475 Chilo 975	0.65	4.88 2.44
					Chile 975 Chile 2475	1.30	1.83 4.27		Chile 975 Chile 2475	1.29	4.88
					North-South		4.27		East-West	-	4.00
	6000 - 287.3	0.53	0.27		Kobe 475	0.62	5.05		Kobe 475	0.66	2.59
	0000 - 207.3	0.55	0.27		Kobe 975	0.02	7.47		Kobe 975	0.00	2.39
512/19					Mexico 475	0.55	4.92		Mexico 475	0.68	2.69
	18000 - 861.8	0.53	0.27		Mexico 975	0.95	8.41		Mexico 975	0.86	3.66
	10000 001.0	0.00	0.27		Olympia 475	0.62	4.88		Olympia 475	0.71	2.71
				0.58	Olympia 975	0.95	8.23	0.39	Olympia 975	0.94	3.72
	Fixed	0.69	0.62		Peru 975	0.63	4.93		Peru 975	0.62	2.59
					Peru 2475	1.22	10.42		Peru 2475	1.24	4.91
					Chile 975	0.62	5.52		Chile 975	0.65	2.59
					Chile 2475	1.20	10.40		Chile 2475	1.28	5.01
					North-South	Dir.			East-West	Dir.	
	6000 - 287.3	0.53	0.62		Kobe 475	0.62	5.49		Kobe 475	0.58	5.79
					Kobe 975	0.83	7.32		Kobe 975	0.89	8.53
					Mexico 475	0.55	4.72		Mexico 475	0.58	5.49
5/649 -	18000 - 861.8	0.53	0.61		Mexico 975	0.92	8.23		Mexico 975	0.87	8.23
without				0.60	Olympia 475	0.61	5.49	0.62	Olympia 475	0.60	5.79
skew					Olympia 975	0.92	8.23		Olympia 975	0.90	8.53
	Fixed / Roller	0.81	0.62		Peru 975	0.59	4.88		Peru 975	0.58	5.49
					Peru 2475	1.17	10.97		Peru 2475	1.15	10.67
					Chile 975	0.62	5.49		Chile 975	0.57	4.88
					Chile 2475	1.24	10.67		Chile 2475	1.13	10.36
	<u> </u>	0.01	0.00		North-South		0.40		East-West		F 70
	6000 - 287.3	0.61	0.62		Kobe 475	0.49	6.40		Kobe 475	0.60	5.79
					Kobe 975	0.75	8.99		Kobe 975	0.94	8.53
5/640	10000 001 0	0.61	0.61		Mexico 475	0.47	5.79		Mexico 475	0.65	
5/649 - with skew	18000 - 861.8	0.61	0.61		Mexico 975	0.75	8.53		Mexico 975	0.92	8.23
				000	Olympia 475	0.48	5.79	0.62	Olympia 475	0.65	5.79
SKEW	Fixed / Roller	0.81	0.62		Olympia 975	0.73	8.53 7.92		Olympia 975 Peru 975	1.03	8.53
		0.01	0.02		Peru 975 Peru 2475	1.42	15.24			0.63	5.49 10.67
					Peru 2475 Chile 975	0.51	5.94		Peru 2475 Chile 975	0.59	4.88
					Chile 975 Chile 2475	1.02	11.89		Chile 975 Chile 2475	1.17	4.00
					Unite 2473	1.02	11.09			1.17	10.50

Table 4.1-1 Bridge Periods, Spectral Accelerations and Spectral Displacement Values

Table 4.1-1 shows the spectral accelerations for all four bridge models for a mean period. Since the bridges are not oriented the same way, the east-west direction earthquakes correspond to the longitudinal direction for Bridge 5/227, and transverse

direction for Bridges 512/19 and 5/649. Similarly, the north-south direction earthquakes correspond to the transverse direction for Bridge 5/227 and longitudinal direction for Bridges 512/19 and 5/649. It can be seen that the Peru 2475 earthquake will pose the largest demand for all bridge models.

The Nisqually earthquake of 2001 had a moment magnitude of 6.8. Figure 4.1-16 shows the acceleration response spectra (ARS) for the Nisqually earthquake at two different locations as well as the acceleration spectra for the Peru 2475 and the Olympia 975 earthquakes. The Olympia DNR building was the location where the highest peak ground acceleration was recorded (374.4 cm/s²). The SeaTac fire station is a better location for an estimate of the ground motions that loaded the three bridges modeled in this study. Based on the target acceleration spectra for the Seattle area, the Nisqually earthquake at the SeaTac fire station has a return period that can be estimated at approximately 475 years depending on the location and based on a structure with a period of 0.5 seconds. The ground motion recorded at the Olympia DNR building has a return period of approximately 975 years (based on the USGS target acceleration spectra for the Seattle and Olympia regions, 2003).

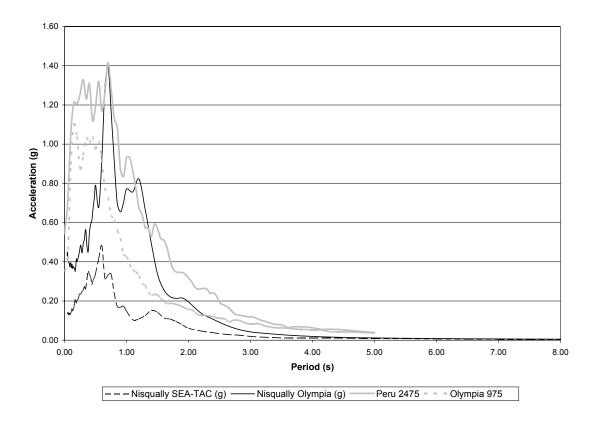


Figure 4.1-16 ARS for the 2001 Nisqually, Peru 2475 and Olympia 975 Earthquakes

CHAPTER FIVE

BRIDGE 5/649 SKEW COMPARISON

5.1 BRIDGE 5/649 SKEW OR STRAIGHT MODEL

Modeling a structure requires that simplifications be made in describing the elements. Cox (2005) compared the response of a spine bridge model and a grillage bridge model. He concluded that although the global bridge response varied between the two models, the changes were not significant when the deck was modeled as a spine versus a grillage. A similar study was conducted in this research to determine if the skew of a bridge deck significantly influenced the overall response of the bridge. Bridge 5/649 was modeled in two different ways as illustrated below. The existing bridge was built with a 45° skew. Dimensions were taken parallel to the skew so that the length of the bents in both models was identical.

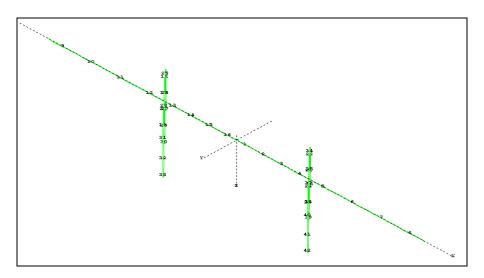


Figure 5.1-1 5/649 Bridge Spine Model with Skew

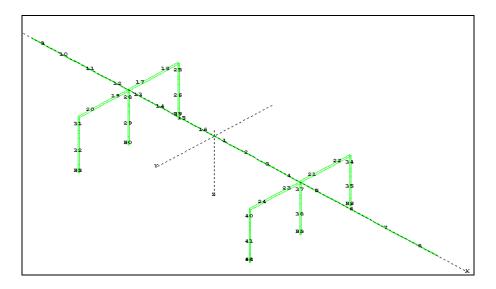


Figure 5.1-2 5/649 Bridge Spine Model without Skew

5.1.1 <u>Maximum Demands</u>

To evaluate the difference in behaviors of the models, several parameters were studied: the maximum total shear in the columns (V), the maximum relative displacement at the top of the columns (Δ), the maximum moments at the top and at the bottom of he columns (M) and the maximum curvature at the top of the columns (Φ). Both models were run under two earthquakes, Olympia 975 and Peru 2475, for this comparison. Two different boundary conditions were used in the models: the spring values for an elastic modulus of 287.3 MPa (6000 ksf) and 861.9 MPa (18000 ksf). Tables 5.1.1-1 and -2 present the results obtained.

With skew								
Bent 649 - O - 283.7 649 - O - 861.9 649 - O - fixed								
	Max	Δ (cm)						
North - East	8.24	8.92	8.02					
North - Center	7.38	7.49	8.02					
North - West	7.33	7.35	8.02					
South - East	8.28	8.55	10.05					
South - Center	8.27	8.27	10.05					
South - West	8.26	8.17	10.06					
	Max '	V (kN)						
North - East	271	272	331					
North - Center	200	205	245					
North - West	323	455	404					
South - East	282	298	333					
South - Center	170	225	263					
South - West	315	316	402					

Table 5.1.1-1 Bridge 5/649 Displacement and Shear Force Demands Due to the Olympia 975Earthquake

Without skew								
Bent 649 - O - 283.7 649 - O - 861.9 649 - O - fixe								
	Max Δ (cm)							
North - East	7.88	7.79	8.67					
North - Center	7.46	7.45	8.10					
North - West	7.08	7.15	7.56					
South - East	8.08	8.73	11.06					
South - Center	8.09	8.73	10.59					
South - West	8.09	8.74	10.15					
	Max '	V (kN)						
North - East	282	282	353					
North - Center	203	200	257					
North - West	309	318	374					
South - East	287	294	359					
South - Center	183	188	267					
South - West	311	327	403					

The maximum variation in displacement demands between the skewed and the straight model occurred for the fixed model, at the east column of the south bent (9%).

The shear demands varied by 43% for the 861.9 MPa elastic soil modulus value model,

between the skewed and the straight model at the west column of the north bent.

With skew					
Bent	649 - P - 283.7	649 - P - 861.9	649 - P - fixed		
	Max	∆ (cm)			
North - East	17.70	18.48	20.17		
North - Center	17.54	17.37	20.08		
North - West	17.41	16.61	19.99		
South - East	16.46	17.14	22.32		
South - Center	17.32	16.58	22.25		
South - West	18.22	17.11	22.20		
	Max	V (kN)			
North - East	522	537	715		
North - Center	455	552	755		
North - West	584	634	836		
South - East	389	421	584		
South - Center	377	420	613		
South - West	509	487	759		

Table 5.1.1-2 Bridge 5/649 Displacement and Shear Force Demands Due to the Peru 2475Earthquake

Without skew							
Bent	649 - P - 283.7	649 - P - 861.9	649 - P - fixed				
	Max Δ (cm)						
North - East	17.11	18.13	23.13				
North - Center	17.00	18.13	19.78				
North - West	16.89	18.13	16.63				
South - East	17.19	18.16	22.40				
South - Center	17.00	17.61	21.39				
South - West	17.10 17.27		20.39				
	Max V	V (kN)					
North - East	474	519	747				
North - Center	453	568	699				
North - West	568	640	773				
South - East	428	458	622				
South - Center	433	420	564				
South - West	532	464	657				

The variation in demands was larger for the Peru 2475 earthquake. There was an increase of 20%, approximately 3.3 cm (1.3 in), in displacement demands for the west column of the north bent, between the skew and straight models. There was a 15% increase, approximately 102 kN (23 kips), in the shear force demands between the skewed and straight fixed column base/roller abutment models at the south bent, west column.

5.1.2 Hysteresis Curves

Another way to compare the effect of the skew on the response of the bridge is to study the force versus displacement hysteresis curves for both models. Below are displayed the hysteresis curves for the bridge with two different soil types and two earthquakes. The column with the highest demand is displayed, the center column of the south bent.

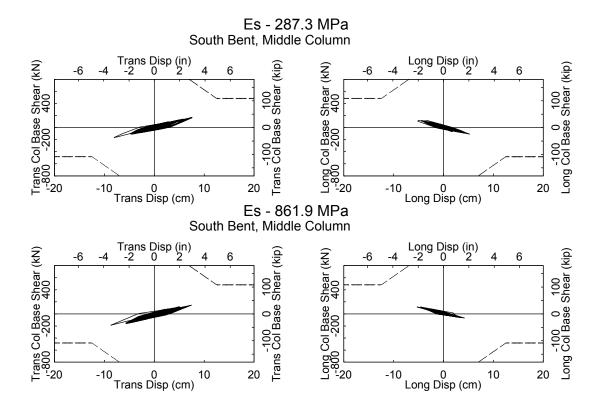


Figure 5.1.2-1 South Bent, Center Column: Hysteresis Curves for Bridge 5/649 – Without Skew; Olympia 975 EQ; Es=47.9 MPa (1000ksf); 861.9 MPa (18000 ksf)

Es - 287.3 MPa South Bent, Middle Column

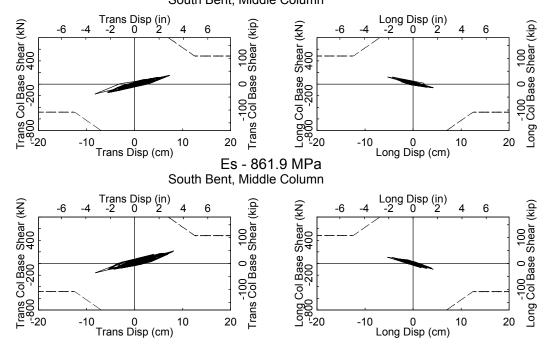


Figure 5.1.2-2 South Bent, Center Column: Hysteresis Curves for Bridge 5/649 - With Skew; Olympia 975 EQ; Es=287.3 MPa (6000 ksf); 861.9 MPa (18000 ksf)

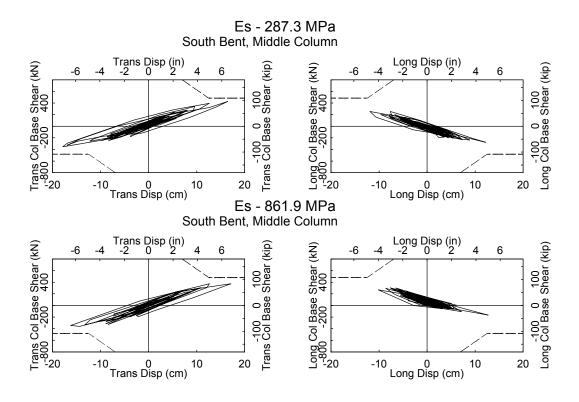


Figure 5.1.2-3 South Bent, Center Column: Hysteresis Curves for Bridge 5/649 - Without Skew; Peru 2475 EQ; Es=47.9 MPa (1000ksf); 861.9 MPa (18000 ksf)

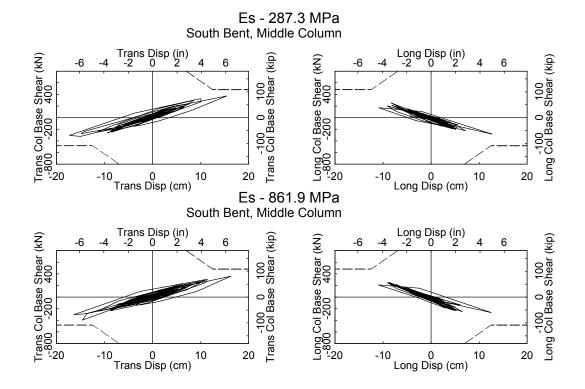


Figure 5.1.2-4 South Bent, Center Column: Hysteresis Curves for Bridge 5/649 - With Skew; Peru 2475 EQ; Es=287.3 MPa (6000 ksf); 861.9 MPa (18000 ksf)

The general shape of the hysteresis curves is the same for both models.

5.1.3 <u>Time History Comparison</u>

Another way to compare the response of a bridge under earthquake loading is to investigate the relative displacement between the column tops and column bottoms versus time. Below are plotted the relative displacement versus time for the Olympia 975 and Peru 2475 earthquakes, for the middle column of the south bent, for the two soil spring elastic modulus values of 287.3 MPa and 861.9 MPa.

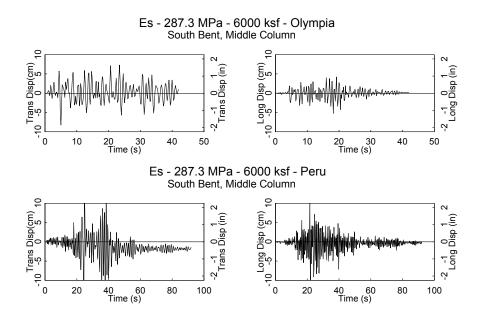


Figure 5.1.3-1 Displacement Versus Time for the Olympia 975 and Peru 2475 Earthquakes, 287.3 MPa Spring Models With Skew

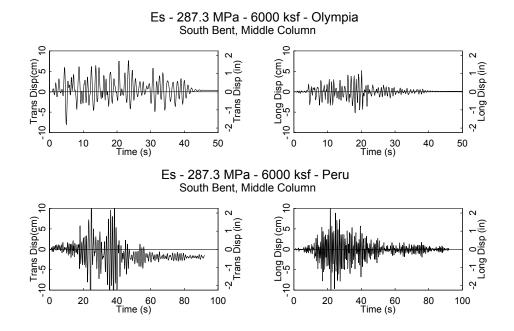


Figure 5.1.3-2 Displacement Versus Time for the Olympia 975 and Peru 2475 Earthquakes, 287.3 MPa Spring Models Without Skew

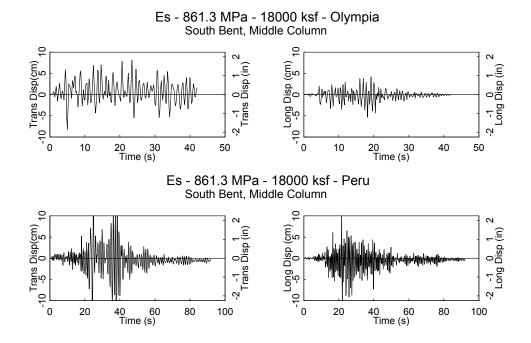


Figure 5.1.3-3 Displacement Versus Time for the Olympia 975 and Peru 2475 Earthquakes, 861.9 MPa Spring Models With Skew

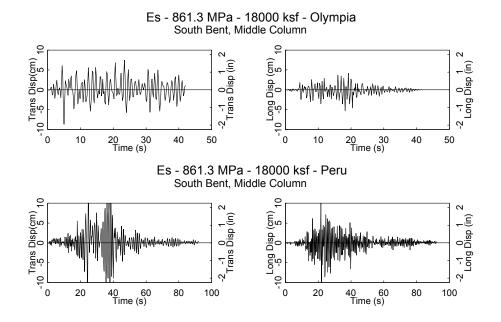


Figure 5.1.3-4 Displacement Versus Time for the Olympia 975 and Peru 2475 Earthquakes, 861.9 MPa Spring Models Without Skew

The plots of transverse and longitudinal displacement versus time show that the differences between the skew model and the non-skew model of Bridge 5/649 are not significant. However, the maximum displacement and shear demands are significant, approximately 20% and 40% variation respectively. For Bridge 5/649, the skew affected the bridge response enough that modeling the skew is necessary to assess successfully the seismic response of the bridge. In addition, further investigations are needed to draw a general conclusion as to how important an existing bridge skew is to the overall behavior of the bridge.

CHAPTER SIX

BRIDGE RESPONSE

The main goal of this research was to assess the response of multicolumn bent prestressed concrete bridges subject to long-duration earthquake excitations. Ten earthquake records were used to evaluate the bridge response (see Chapter four). To avoid numerous pages of data, selected results will be displayed. However, conclusions will be drawn based on all the analyses. The maximum demands obtained and the forcedisplacement hysteresis curves are presented below. The following notations are used in the tables and figures in this chapter: Δ (cm) represents the relative displacement between the top and bottom of the column, V (kN) is the shear in the column, M top (kN-m) is the moment at the top of the column, M bot (kN-m) is the moment at the bottom of the column, and Φ top (1/m) is the curvature at the top of the column. When comparing analyses, the percentile indicates the variation between the considered model and the model with the lowest soil spring stiffnesses.

6.1 BRIDGE 5/227

Bridge 5/227 has three bents with three columns per bent, a non-monolithic deck and spread footings resting on concrete piles. In an effort to assess the bridge's seismic vulnerability, the maximum demands obtained during the analysis of Bridge 5/227 under the Olympia 975 earthquake and the Peru 2475 earthquake are presented in tables 6.1-1

and 6.1-3 for soil springs based on a soil modulus of elasticity of 287.3 MPa (6000 ksf),

861.9 MPa (18000 ksf) and fixed-column/roller-abutment boundary condition.

Bent	227 - O - 283.7	227 - O - 861.9	227 - O - fixed			
$Max \Delta (cm)$						
West - South	3.07	6.23	11.01			
West - Center	2.70	5.99	10.88			
West - North	2.38	5.79	10.80			
Center - South	5.37	7.59	7.79			
Center - Center	4.24	7.59	5.41			
Center - North	3.92	7.59	7.73			
East - South	1.72	5.06	3.00			
East - Center	2.10	5.06	3.00			
East - North	2.10	5.06	3.00			
	Max V	/ (kN)				
West - South	378	307	652			
West - Center	388	251	686			
West - North	378	307	669			
Center - South	391	321	628			
Center - Center	412	274	685			
Center - North	391	321	538			
East - South	308	280	456			
East - Center	334	291	496			
East - North	308	280	456			

Table 6.1-1 Maximum Earthquake Demands for Bridge 5/227 Subject to the Olympia 975 Loading

The bridge displacements increased as the soil spring stiffness increased. There was a 144% (approximately 3.41 cm, 1.34 in) increase in the displacement demands between the two spring models at the west bent. Similarly, a 355% increase in displacement in the east bent occurred between the 287.3 MPa model and the fixed condition model, which corresponds to an increase of approximately 6.5 cm (2.6 in). There was approximately a 20% variation in the shear demands between both spring models and a 60% variation between the 861.9 MPa spring model and the fixed column base model.

The bearing pad displacements can be found in Table 6.1-2 below. Each gap between consecutive deck slabs at the intermediate bents is filled by a rubber bearing pad that was modeled as two springs with identical stiffnesses. Table 6.1-2 summarizes the relative displacements between the deck and the middle of the bearing pad for the intermediate bents and the relative displacement between the deck and the abutment. These results show a significant increase in the bearing pad displacement between the west bent and the west abutment (+215%) for the fixed model.

Bearing Pad disp (cm)					
	227 - O - 283.7	227 - O - 861.9	227 - O - fixed		
West Abut	2.38	2.91	5.66		
West bent west pad	1.28	1.15	1.79		
West bent east pad	1.94	1.36	1.17		
Center bent west pad	1.21	1.57	1.62		
Center bent east pad	1.02	1.11	1.46		
East bent west pad	2.16	1.76	1.40		
East bent east pad	0.77	1.26	1.71		
East Abut	1.93	2.33	5.47		

Table 6.1-2 Maximum Bearing Pad Displacements for Bridge 5/227 Subject to the Olympia 975 Earthquake

Failure in the bearing pads was defined by a bearing pad displacement greater than 3.66 cm (1.44 in.) (Cox, 2005). Bridge 5/227 bearing pads failed at the abutments under the Olympia 975 earthquake for the fixed column base boundary conditions.

Bent	Bent 227 - P - 283.7 227 - P - 861.9					
$Max \Delta (cm)$						
West - South	9.58	7.53	16.07			
West - Center	9.58	7.53	13.95			
West - North	9.58	7.53	13.88			
Center - South	11.87	13.66	13.57			
Center - Center	11.96	13.66	13.61			
Center - North	12.06	13.66	14.72			
East - South	8.13	4.43	12.85			
East - Center	8.13	4.41	12.68			
East - North	8.13	4.48	12.50			
	Max V	/ (kN)				
West - South	364	355	431			
West - Center	425	347	452			
West - North	364	355	425			
Center - South	403	380	436			
Center - Center	422	414	476			
Center - North	403	380	432			
East - South	429	341	425			
East - Center	422	481	440			
East - North	429	369	431			

Table 6.1-3 Maximum Earthquake demands for Bridge 5/227 Subject to the Peru 2475 Loading

The Peru 2475 earthquake is a larger magnitude and longer duration earthquake than Olympia 975. The displacements obtained during the analysis, were highest in the center bent. The displacements in the center bent increased by 45% (+ 3.5 cm, 1.4 in) between the two spring models and by 55% (+ 4.4 cm, 1.7 in) between the lowest spring value and the fixed column base model. The base shear demands varied by approximately 15% between the two spring models, and 8% between the lowest spring model and fixed column base model.

Bearing Pad disp (cm)							
227 - P - 287.3 227 - P - 861.9 227 - P - fixed							
West Abut	3.07	3.81	15.01				
West bent west pad	1.67	1.33	2.44				
West bent east pad	2.87	2.59	1.76				
Center bent west pad	2.07	1.63	2.53				
Center bent east pad	2.12	1.86	1.81				
East bent west pad	2.66	2.30	2.68				
East bent east pad	1.62	1.15	2.45				
East Abut	3.01	2.57	15.10				

Table 6.1-4 Maximum Bearing Pad Displacements for Bridge 5/227 Subject to the Peru 2475Earthquake

The bearing pad displacements were similar for both spring models and there was a slight increase in the displacements at the abutments versus the displacements at the bents. Failure occurs at the west abutment under Peru loading for the highest soil spring stiffness model. However in the fixed model, the displacements at the abutments increased by 400% (+12.5 cm) between the bent bearing pad and the abutment bearing pad. This jump in values at the abutments for the fixed models indicates that there is failure of the bearing pad in the abutment and possibly pounding of the deck into the abutment. Below is the summary of the pounding of the deck for all three models under the Peru 2475 earthquake. The difference in displacement between the west side and the east side of each bearing pad was compared to the width of the bearing to determine if pounding occurred or not. Below is a table summarizing these results:

Table 6.1-5 Pounding in the Deck and	Abutments for Bridge 5/227 with	1 the 287.3 MPa Soil Values

Bent	disp end 1 (ft)	disp end 2 (ft)	time	max disp (ft)	max disp (cm)	
West abt	-2.67E-03	-8.63E-02	15.2	0.08632	2.6310336	
West abt	-3.74E-03	-1.17E-01	17.8	0.1169	3.563112	
West bent	-4.46E-02	-1.53E-01	18.4	0.1525	4.6482	
Center bent		no pounding				
East bent	1.14E-01	3.25E-02	14.4	0.1135	3.45948	
East abt	9.68E-02	2.73E-03	18.6	0.09678	2.9498544	

Bent	disp end 1 (ft)	disp end 2 (ft)	time	max disp (ft)	max disp (cm)	
West abt	-3.11E-04	-8.29E-02	15.2	0.08291	2.5270968	
West abt	-3.66E-04	-9.43E-02	17.8	0.09429	2.8739592	
West bent		no pounding				
Center bent		no pounding				
East bent	1.22E-01	3.46E-02	14.4	0.1224	3.730752	
East abt	no pounding					

Table 6.1-6 Pounding in the Deck and Abutments for Bridge 5/227 with the 861.9 MPa Soil Values

 Table 6.1-7 Pounding in the Deck and Abutments for Bridge 5/227 with Fixed Column Base

 Boundary Conditions

Bent	times	disp end 1 (ft)	disp end 2 (ft)	time	max disp (ft)	max disp (cm)
West abt	12 times	0.00E+00	-4.32E-01	24.6	0.4324	13.179552
West bent		no pounding				
Center bent			no pounding			
East bent		no pounding				
East abt	43 times	3.76E-01	0.00E+00	25	3.76E-01	11.472672

For the spring models, pounding occurred only once or twice and at the outer bents and abutments. The maximum displacements reached by those two models were 4.65 cm (1.8 in) for the lowest spring value at the west bent, and 3.73 cm (1.5 in) at the east bent for the 861.9 MPa soil elastic modulus value. However, the fixed boundary condition model did result in numerous poundings in both abutments, the maximum displacements being 13.2 cm (5.2 in) for the west abutment and 11.5 cm (4.5 in) at the east abutment.

Figures 6.1-1 to 6.1-7 represent the force-displacement hysteresis curves for the column with the largest demands, the center column of the center bent, under different earthquake loadings. The dotted line located in the corners of the graphs represents the column shear capacity envelope. The capacity envelopes were calculated using equations developed by Kowalsky and Priestley (2000).

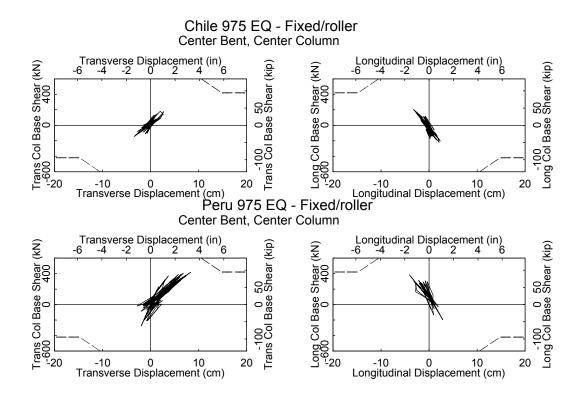


Figure 6.1-1 Center Bent, Center Column: Hysteresis Curves for Bridge 5/227; Chile 975 and Peru 975 EQ; Fixed Column Bases/Roller Abutment Boundary Conditions

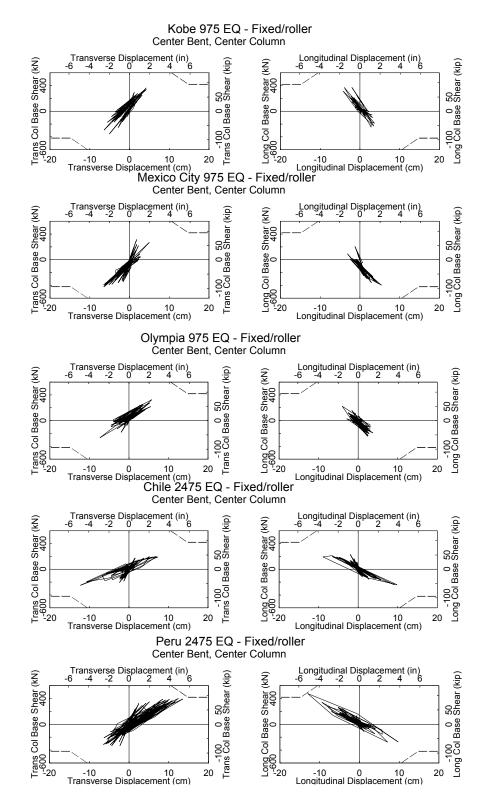


Figure 6.1-2 Center Bent, Center Column: Hysteresis Curves for Bridge 5/227; Kobe 975 EQ, Mexico City 975 EQ; Olympia 975 EQ; Chile 2475 EQ and Peru 2475 EQ; Fixed Column Bases/Roller Abutment Boundary Conditions

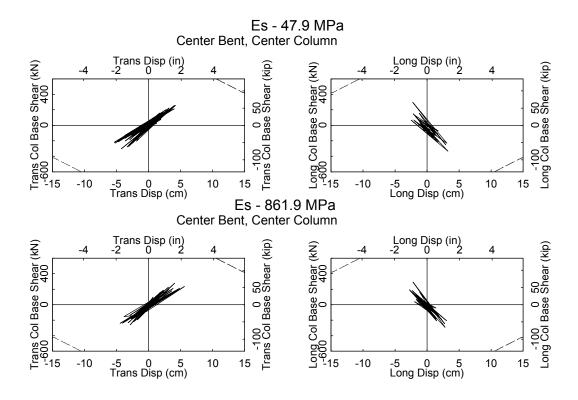


Figure 6.1-3 Center Bent, Center Column: Hysteresis Curves for Bridge 5/227; Kobe 975 EQ; Es=47.9 MPa (1000ksf); 861.9 MPa (18000 ksf)

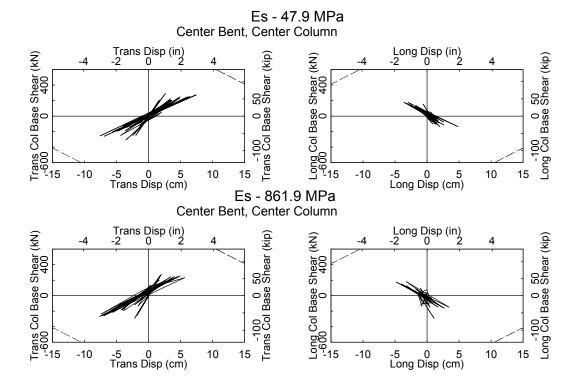


Figure 6.1-4 Center Bent, Center Column: Hysteresis Curves for Bridge 5/227; Mexico City 975 EQ; Es= 47.9 MPa (1000ksf); 861.9 MPa (18000 ksf)

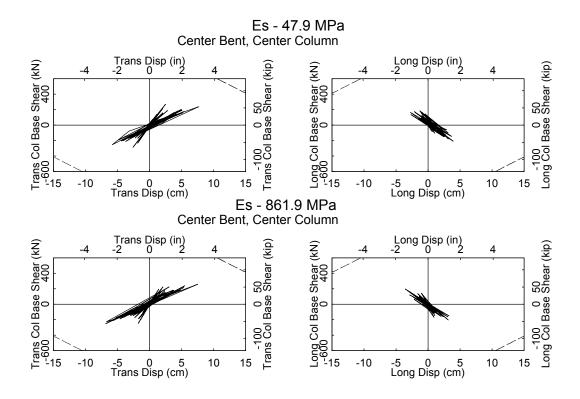


Figure 6.1-5 Center Bent, Center Column: Hysteresis Curves for Bridge 5/227; Olympia 975 EQ; Es=47.9 MPa (1000ksf); 861.9 MPa (18000 ksf)

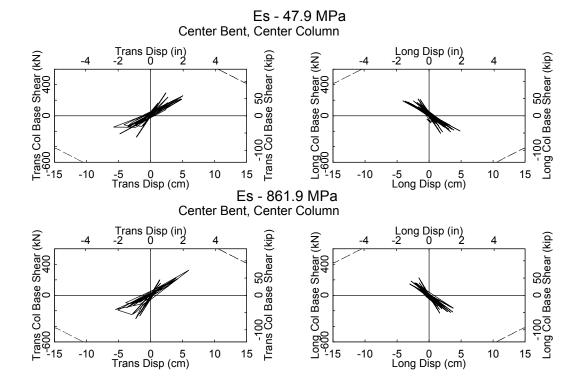


Figure 6.1-6 Center Bent, Center Column: Hysteresis Curves for Bridge 5/227; Chile 2475 EQ; Es=47.9 MPa (1000ksf); 861.9 MPa (18000 ksf)

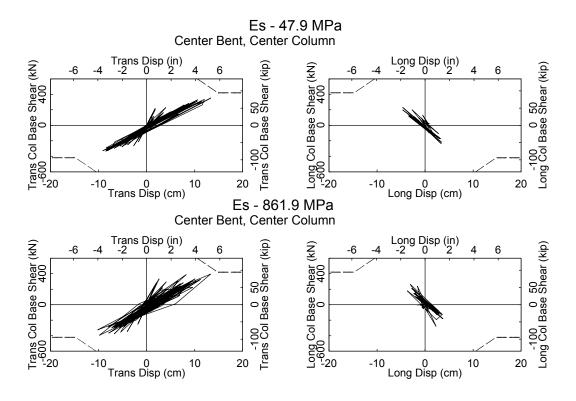


Figure 6.1-7 Center Bent, Center Column: Hysteresis Curves for Bridge 5/227; Peru 2475 EQ; Es=47.9 MPa (1000ksf); 861.9 MPa (18000 ksf)

The overall shape of the hysteresis curves did not vary significantly with the foundation spring stiffness values. The transverse direction of the bridge experienced a higher demand than that of the longitudinal, largely due to the non-monolithic deck. Yielding of the columns tended to occur at a smaller displacement for the fixed-column base/roller-abutment models than for the soil spring models for all excitations. This was due to the spring flexibility at the column base absorbing some of the rotational demand of the column for a given relative displacement demand.

Both the Peru 975 and 2475 earthquakes produce high demands in the center column of the center bent with fixed-column base/roller-abutment boundary conditions, coming relatively close to failing the column. The column almost fails under all three

boundary conditions when the bridge is subject to Peru 2475, and comes close to failing for the fixed-base column model, subject to Peru 975.

To estimate the potential damage in the columns, the number of cycles reaching a given ductility was determined and compared to test results obtained by Jaradat (1996). The maximum displacement demands were predicted for the center column of the center bent under the Peru 2475 earthquake. Figures 6.1-8 and 6.1-9 show the displacement time histories for this column with the soil spring boundary conditions.

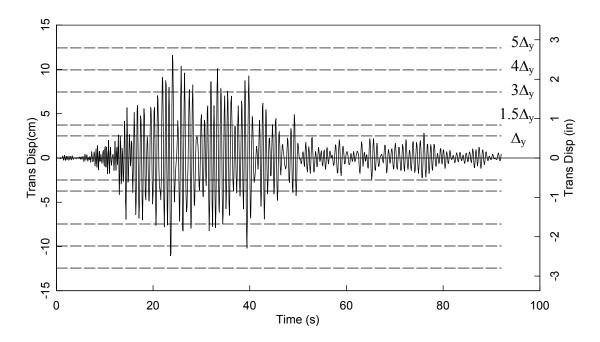


Figure 6.1-8 Center Bent, Center Column: Displacement Time History for Bridge 5/227; Peru 2475 EQ; Es=287.3 MPa

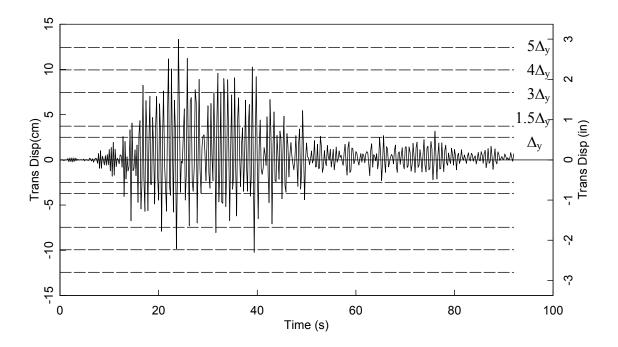


Figure 6.1-9 Center Bent, Center Column: Displacement Time History for Bridge 5/227; Peru 2475 EQ; Es=861.9 MPa

The following damage was observed for Jaradat's test column. At a ductility level of 3 Δ_y , six half-cycles occurred. Vertical cracks in the bottom splice region and circumferential cracks in the top hinging region appeared. After six half-cycles at a ductility level of 4 Δ_y , spalling in both top and bottom hinging regions was observed and after six half-cycles at 5 Δ_y , longitudinal bar buckling in the top hinging region occurred.

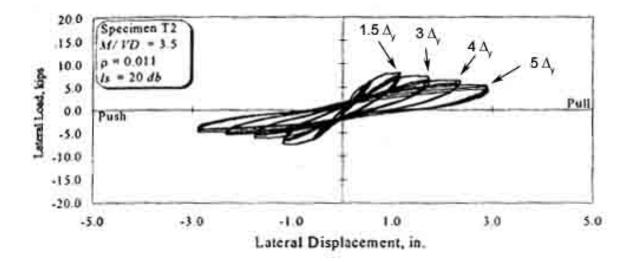


Figure 6.1-10 Specimen T2 Lateral Load-Displacement Hysteresis Curve



Figure 6.1-11 Spalling of the Concrete (Stapelton, 2004)



Figure 6.1-12 Vertical Cracks at Tension Face (Stapelton, 2004)

For the center column of Bridge 5/227, approximately 20 half-cycles occurred at a ductility level of 3 Δ_y , therefore damage in this column can be expected to include large vertical cracks in the bottom splice region and circumferential cracks in the top hinging region. 5 half-cycles at a ductility level of 4 Δ_y would produce moderate spalling in both top and bottom hinging regions. Due to the numerous cycles at 3 Δ_y coupled with the cycles at 4 Δ_y , failure of Bridge 5/227 columns is likely under the Peru 2475 earthquake. Similar damage was predicted for the 861.9 MPa soil elastic modulus model.

The shear force demand in the girders at the abutments was also investigated. Bridge 5/227 has two girder stops at each bent and abutment, resisting displacements in the transverse direction. Due to previous problems with bridge girders, a check was made to determine if the shear forces coming into the girder stops would cause a shear failure in the web of the prestressed I-girders supporting the deck. The results indicated that the shear capacity of the girder webs is approximately 1312 kN (295 kips) and the maximum shear force under Chile 2475 loading was approximately 338 kN (91 kips) in the west abutment for the lowest spring stiffness (Es = 47.9 MPa). The shear force calculations can be found in Appendix 4.

The shear force demand/capacity ratio in the column footings was also investigated. The shear forces in the footing act as a combination of longitudinal and transverse forces, creating a resultant force acting at a given angle depending on the magnitudes of the forces. The shear force demand was studied independently for both directions in this research. The maximum shear demands in the footings for both the longitudinal and transverse directions were extracted from the analyses and can be found in Appendix 4. Longitudinal shear force demands for Bridge 5/227 in the column footings were of 476 kN (107 kips). The footing capacity is 2185 kN (492 kips) or four times higher than the demands. Transverse shear force demands were maximum for a value 417 kN (94 kips) and the capacity in the transverse direction for the footing was 1641 kN (369 kips), sufficient to support the shear forces. However, studies have shown that the joint shear strength was often a cause of brittle failure in the column/footing connection (McLean, 1999). Due to the significantly low shear forces in the column footings, this failure mode was not investigated in this research but should however be taken into consideration as a potential governing failure mode for future studies.

6.2 BRIDGE 512/19

Bridge 512/19 is the largest of all three bridges. It is made of three bents of four columns each, a 77ft long monolithic deck, and it rests on spread footings without piles. The analysis showed that the two center columns were subjected to the most demands, the results will therefore concentrate on those two columns. Table 6.2-1 presents the maximum values obtained in the analysis:

Bent	512 - O - 283.7	512 - O - 861.9	512 - O - fixed	
Max Δ (cm)				
North - East	8.06	8.01	9.60	
North - Middle East	6.61	6.53	7.91	
North - Middle West	6.09	6.14	8.14	
North - West	7.26	7.09	9.65	
Center - East	9.10	9.43	9.87	
Center - Middle East	9.13	9.42	9.84	
Center - Middle West	9.16	9.41	9.81	
Center - West	9.20	9.40	9.78	
South - East	7.26	7.13	9.57	
South - Middle East	6.08	6.16	8.07	
South - Middle West	6.22	6.49	7.92	
South - West	7.74	8.05	9.70	
Max V (kN)				
North - East	219	230	253	
North - Middle East	198	230	305	
North - Middle West	219	215	397	
North - West	222	372	257	
Center - East	241	239	227	
Center - Middle East	238	244	229	
Center - Middle West	250	243	227	
Center - West	239	235	228	
South - East	234	331	268	
South - Middle East	211	215	253	
South - Middle West	205	211	352	
South - West	212	265	253	

Table 6.2-1 Maximum Earthquake demands for Bridge 512/19 Subject to the Olympia 975 Loading

The maximum displacements were found at the center bent, center columns. The displacements were similar for the two spring models and increased for the fixed column base model (maximum increase of 30%). There was a slight increase in shear force demands between the 287.3 MPa soil modulus model and the fixed column base/roller abutment model, for the south bent, middle-east column.

Bent	512 - P - 283.7	512 - P - 861.9	512 - P - fixed	
Max Δ (cm)				
North - East	15.07	14.24	22.19	
North - Middle East	14.04	12.51	19.73	
North - Middle West	13.02	12.04	17.30	
North - West	15.60	14.88	16.88	
Center - East	19.19	18.59	20.50	
Center - Middle East	19.17	18.58	20.53	
Center - Middle West	19.15	18.58	20.56	
Center - West	19.12	18.57	20.58	
South - East	15.35	14.63	16.83	
South - Middle East	12.95	11.70	17.23	
South - Middle West	14.06	12.47	19.72	
South - West	15.18	13.93	22.24	
Max V (kN)				
North - East	359	334	450	
North - Middle East	338	304	423	
North - Middle West	352	334	370	
North - West	409	375	350	
Center - East	366	393	420	
Center - Middle East	395	360	423	
Center - Middle West	428	398	419	
Center - West	418	372	421	
South - East	416	305	352	
South - Middle East	509	263	389	
South - Middle West	400	306	419	
South - West	380	322	434	

Table 6.2-2 Maximum Earthquake Demands for Bridge 512/19 Subject to the Peru 2475 Loading

Bridge 512/19 behaved similarly under Peru 2475 but with larger demands. Displacements were maximum in the center bent for all three models. The largest increase (approximately 45%) in displacement occurred at the north and south bents, between the 287.3 MPa model and the fixed columns base/roller abutment model. There was a moderate increase in the shear force demands (25%) between the lowest spring model and fixed column base model. Pounding of the deck at the abutments was not an issue for this bridge. The hysteresis curves for Bridge 512/19 spring and fixed column base models under Chile 975, Peru 975, Kobe 975, Mexico City 975, Olympia 975, Chile 2475 and Peru 2475 can be found in figures 6.2-2 through 6.2-10.

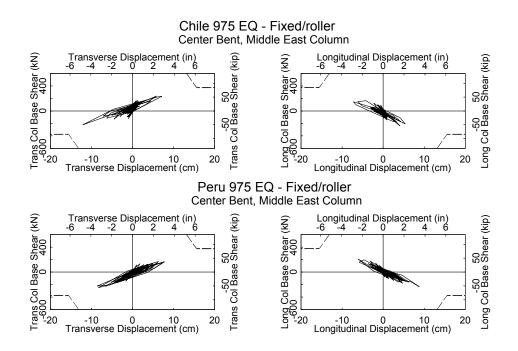


Figure 6.2-1 Center Bent, Middle East Column: Hysteresis Curves for Bridge 512/19; Chile 975 EQ and Peru 975 EQ; Fixed Column Base/Roller Abutment Boundary Conditions

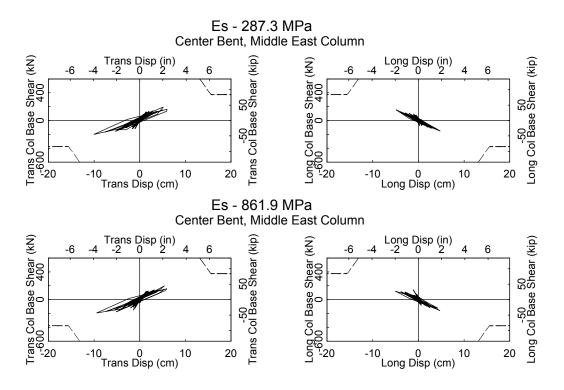


Figure 6.2-2 Center Bent, Middle East Column: Hysteresis Curves for Bridge 512/19; Chile 975 EQ; Es=47.9 MN/m² (1000ksf); 861.9 MN/m² (18000 ksf)

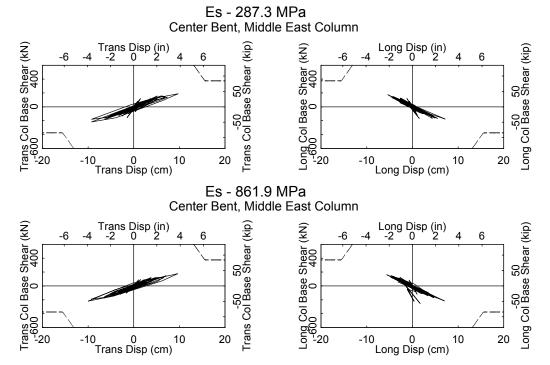


Figure 6.2-3 Center Bent, Middle East Column: Hysteresis Curves for Bridge 512/19; Peru 975 EQ; Es=47.9 MN/m² (1000ksf); 861.9 MN/m² (18000 ksf)

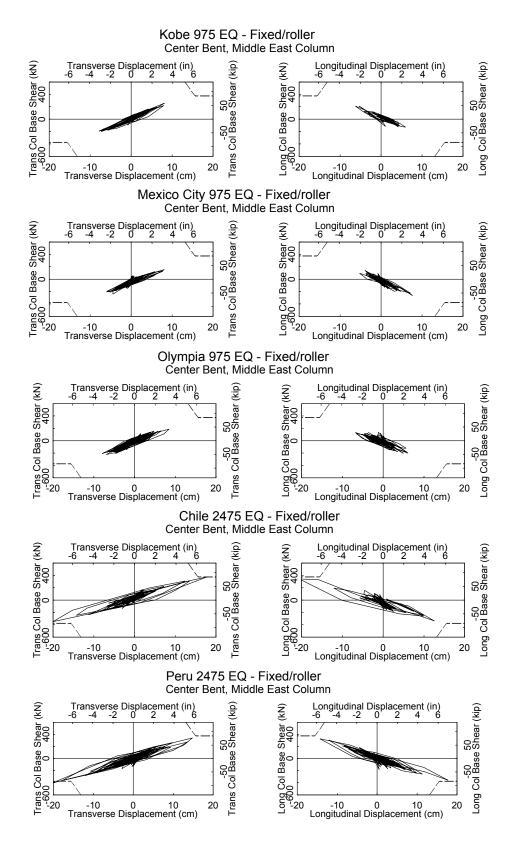


Figure 6.2-4 Center Bent, Middle East Column: Hysteresis Curves for Bridge 512/19; Kobe 975 EQ, Mexico City 975 EQ, Olympia 975 EQ, Chile 2475 EQ and Peru 2475 EQ; Fixed Column Base/Roller Abutment Boundary Conditions

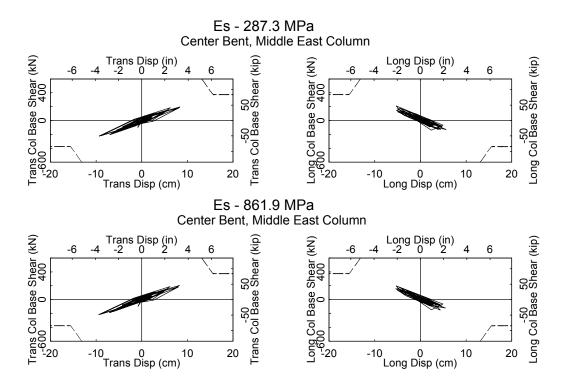


Figure 6.2-5 Center Bent, Middle East Column: Hysteresis Curves for Bridge 512/19; Kobe 975 EQ; Es=287.3 MN/m² (6000 ksf); 861.9 MN/m² (18000 ksf)

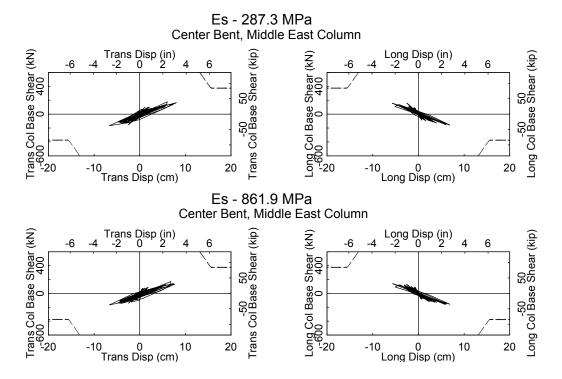


Figure 6.2-6 Center Bent, Middle East Column: Hysteresis Curves for Bridge 512/19; Mexico City 975 EQ; Es=287.3 MPa (6000 ksf); 861.9 MPa (18000 ksf)

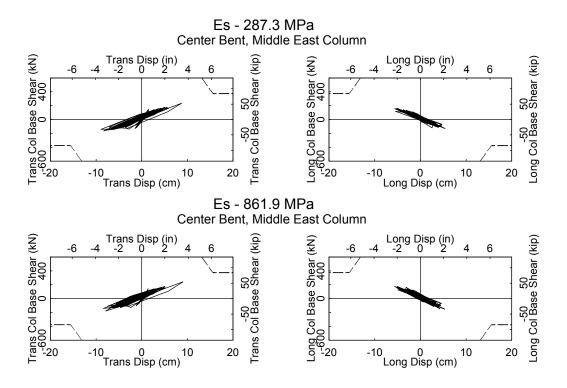


Figure 6.2-7 Center Bent, Middle East Column: Hysteresis Curves for Bridge 512/19; Olympia 975 EQ; Es=287.3 MN/m² (6000 ksf); 861.89 MN/m² (18000 ksf)

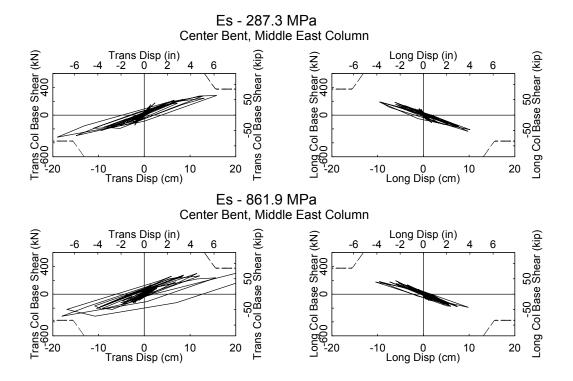


Figure 6.2-8 Center Bent, Middle East Column: Hysteresis Curves for Bridge 512/19; Chile 2475 EQ; Es=287.3 MN/m² (6000 ksf); 861.9 MN/m² (18000 ksf)

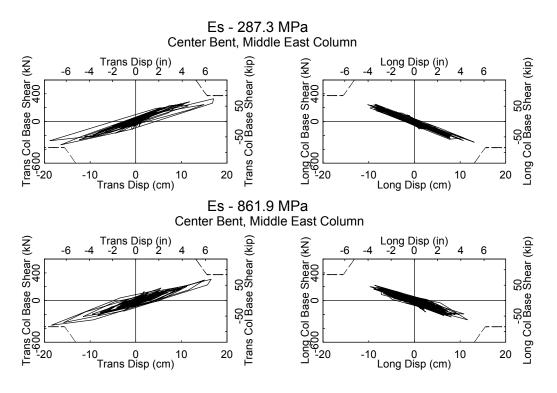


Figure 6.2-9 Center Bent, Middle East Column: Hysteresis Curves for Bridge 512/19; Peru 2475 EQ; Es=287.3 MN/m² (6000 ksf); 861.9 Pa (18000 ksf)

The column shear in the transverse direction comes very close to failure under Peru 2475 and Chile 2475 for all three stiffness values. The general shape of the hysteresis curves was not affected by the variation in spring values. Bridge 512/19's middle-east column of the center bent fails in shear under Peru 2475 and comes close to failing under Chile 2475 and Peru 975 for all boundary conditions.

As for Bridge 227, the damage in the columns was estimated based on Jaradat's (1996) test results. The maximum demands were predicted for the center bent, middleeast column under the Peru 2475 for all spring models. Below are presented the displacement time-histories for both soil spring boundary conditions under the Peru 2475 earthquake.

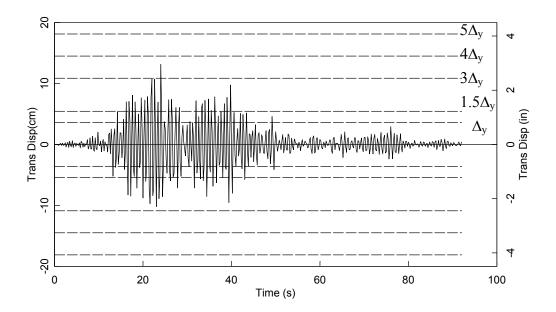


Figure 6.2-10 Center Bent, Middle East Column: Displacement Time History for Bridge 512/19; Peru 2475 EQ; Es=287.3 MPa

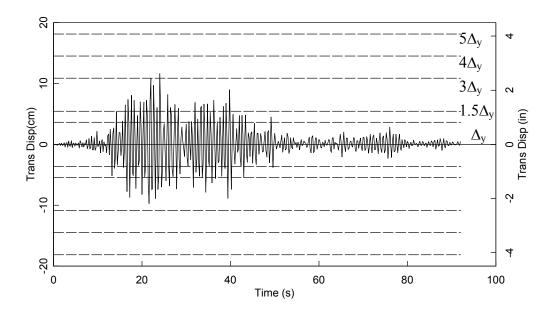


Figure 6.2-11 Center Bent, Middle East Column: Displacement Time History for Bridge 512/19; Peru 2475 EQ; Es=861.9 MPa

The soft soil spring model time history shows that one half-cycle nearly reaches a ductility level of 4 Δ_y , while a few half cycles nearly reach 3 Δ_y . Damage in the columns can be expected to include vertical cracks and spalling in the hinging regions. Due to the

small number of high ductility demand cycles, damage can be expected to be lighter than for Bridge 227. However, the proximity of the force/displacement hysteresis curves to the column shear capacity envelope highlights the probability of column failure.

Shear in the prestressed I-girders was investigated for Bridge 512/19. Four girder stops were constructed on each abutment, two in each direction. The shear capacity of the girder webs was 2096 kN (451 kips). The maximum shear force was at the north abutment under the Peru 2475 earthquake loading and was 1372 kN (308 kips) per girder stop. The shear in the footings was the highest in the fixed condition model under the Peru 2475 earthquake loading. The maximum value was approximately 404 kN (91 kips) in the transverse direction and 365 kN (82 kips) in the longitudinal direction. The shear capacity of the footing was calculated at 972 kN (219 kips), more than twice the highest shear demand. Shear failure in the girder webs and at the column footings is not an issue for Bridge 512/19. The shear demand calculations are detailed in Appendix 4. As for Bridge 227, the shear force demands in the column footings were low enough that column/footing joint failure was not studied.

The previous analyses show that spring values have a significant effect on the displacements in the bridge. The fixed column base model creates the highest shear and displacements demands for all earthquake loadings. Under the Peru 2475 and Chile 2475 earthquakes, Bridge 512/19 column hysteresis demands come to close to or exceed the shear failure envelope for all three spring models. The three 975-year return earthquakes, Olympia, Kobe and Mexico City, produced similar hysteresis responses, with Mexico City having slightly lower displacement demands than the other two.

6.3 <u>BRIDGE 5/649</u>

Bridge 5/649 has a 74.7 m (245 ft) long non-monolithic deck, two bents with three columns per bent, resting on spread footings supported by timber piles. It was determined in chapter four that the skew had a significant effect on the behavior of the bridge and could not be neglected in the modeling process. The following maximum demands were obtained during the analysis of Bridge 5/649.

Bent	649 - O - 283.7	649 - O - 861.9	649 - O - fixed							
Max Δ (cm)										
North - East	8.24	8.92	8.02							
North - Center	7.38	7.49	8.02							
North - West	7.33	7.35	8.02							
South - East	8.28	8.55	10.05							
South - Center	8.27	8.27	10.05							
South - West	8.26	8.17	10.06							
	Max	V (kN)								
North - East	271	272	331							
North - Center	200	205	245							
North - West	323	455	404							
South - East	282	298	333							
South - Center	170	225	263							
South - West	315	316	402							

Table 6.3-1 Maximum Earthquake demands for Bridge 5/649 Subject to the Olympia 975 Loading

The displacement demands slightly varied with the increase of stiffness, the highest variation occurring between the 287.3 MPa elastic modulus value model and the fixed model for the east column of the south bent (+22% or +1.8 cm, 0.71 in). The shear demands followed the same trend as the displacements. A significant 82 % increase was found in the longitudinal shear demands between the spring values for the east column of the south bent. However, in all other columns for all three models, the variation was not significant under the Olympia 975 earthquake.

Bent	649 - P - 283.7	649 - P - 861.9	649 - P - fixed						
$Max \Delta (cm)$									
North - East	17.70	18.48	20.17						
North - Center	17.54	17.37	20.08						
North - West	17.41	16.61	19.99						
South - East	16.46	17.14	22.32						
South - Center	17.32	16.58	22.25						
South - West	18.22	17.11	22.20						
	Max	V (kN)							
North - East	522	537	715						
North - Center	455	552	755						
North - West	584	634	836						
South - East	389	421	584						
South - Center	377	420	613						
South - West	509	487	759						

Table 6.3-2 Maximum Earthquake demands for Bridge 5/649 Subject to the Peru 2475 Loading

The displacement demands under the Peru 2475 loading follows the same trends as for the Olympia 975 loading. There were small variations between the two spring models. The displacements increased by a maximum of 35% between the lowest spring model and the fixed column base model at the south bent, east column. Shear forces were highest for the columns that were fixed at the base, with an average increase of 60% between the spring soil conditions and the fixed column base/roller abutment boundary condition models.

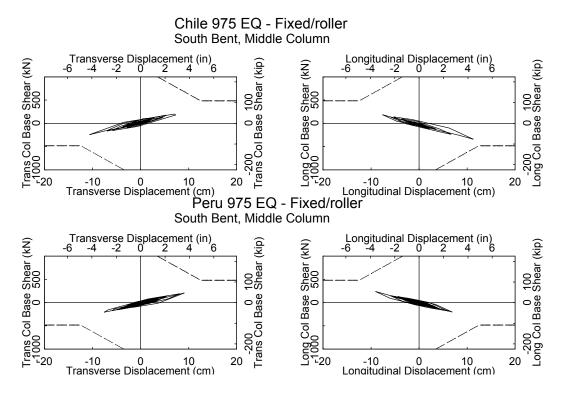


Figure 6.3-1 South Bent, Center Column: Hysteresis Curves for Bridge 5/649 E; Chile 975 EQ, Peru 975 EQ; Fixed Column Bases/Roller Abutment Boundary Conditions

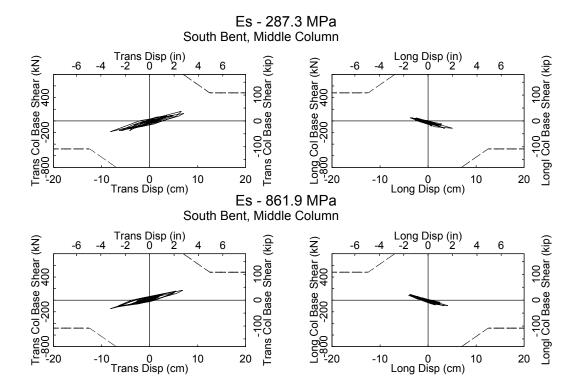


Figure 6.3-2 South Bent, Center Column: Hysteresis Curves for Bridge 5/649E; Chile 975 EQ; Es=287.3 MPa (6000 ksf); 861.9 MPa (18000 ksf)

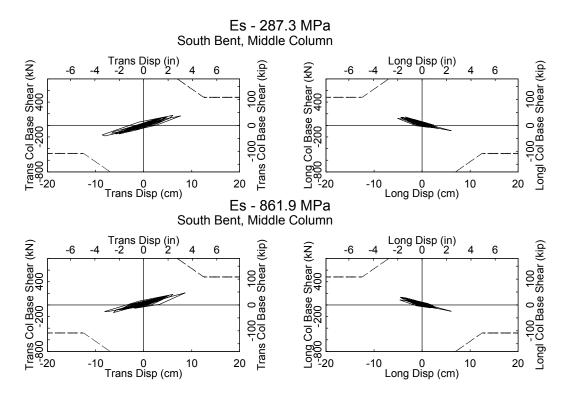


Figure 6.3-3 South Bent, Center Column: Hysteresis Curves for Bridge 5/649E; Peru 975 EQ; Es=287.3 MPa (6000 ksf); 861.9 MPa (18000 ksf)

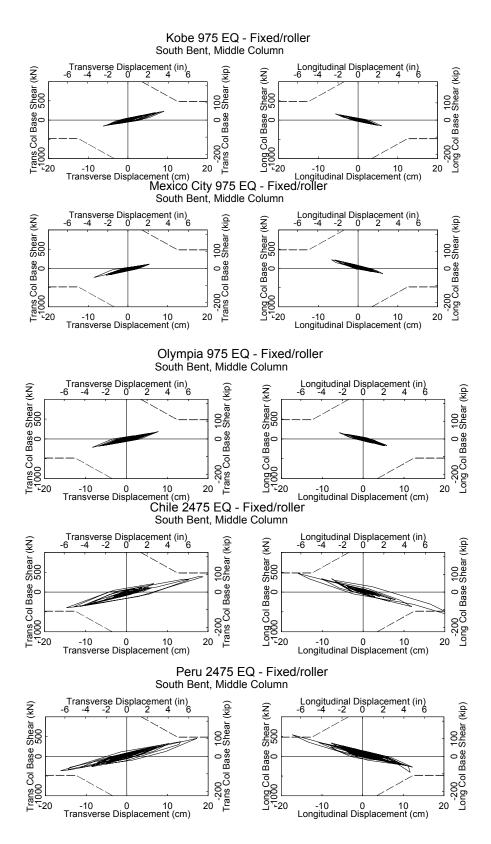


Figure 6.3-4 South Bent, Center Column: Hysteresis Curves for Bridge 5/649 E; Kobe 975 EQ, Mexico City 975 EQ, Olympia 975 EQ, Chile 2475 EQ and Peru 2475 EQ; Fixed Column Base/Roller Abutment Boundary Conditions

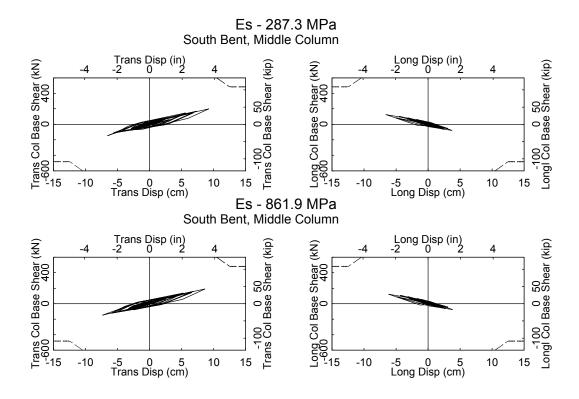


Figure 6.3-5 South Bent, Center Column: Hysteresis Curves for Bridge 5/649E; Kobe 975 EQ; Es=287.3 MPa (6000 ksf); 861.9 MPa (18000 ksf)

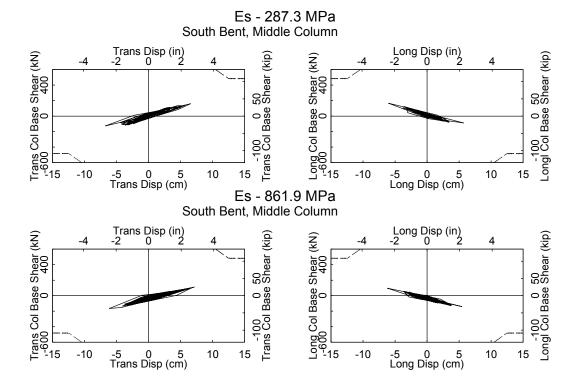


Figure 6.3-6 South Bent, Center Column: Hysteresis Curves for Bridge 5/649E; Mexico City 975 EQ; Es=287.3 MPa (6000 ksf); 861.9 MPa (18000 ksf)

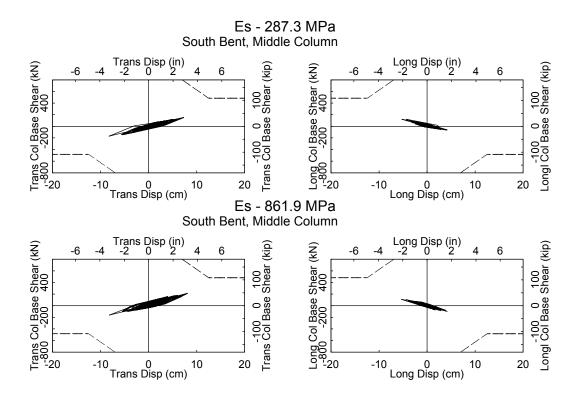


Figure 6.3-7 South Bent, Center Column: Hysteresis Curves for Bridge 5/649E; Olympia 975 EQ; Es=287.3 MPa (6000 ksf); 861.9 MPa (18000 ksf)

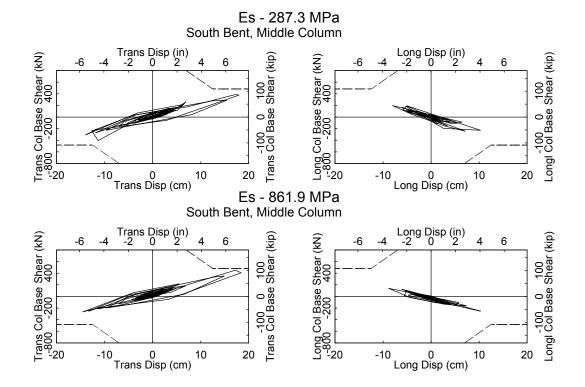


Figure 6.3-8 South Bent, Center Column: Hysteresis Curves for Bridge 5/649E; Chile 2475 EQ; Es=287.3 MPa (6000 ksf); 861.9 MPa (18000 ksf)

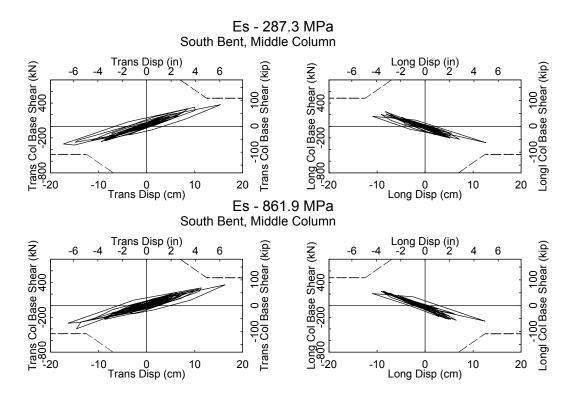


Figure 6.3-9 South Bent, Center Column: Hysteresis Curves for Bridge 5/649E; Peru 2475 EQ; Es=287.3 MPa (6000 ksf); 861.9 MPa (18000 ksf)

The hysteresis curves show that column shear failure is likely to occur under the Chile 2475 earthquake for the 861.9 MPa elastic modulus value model, and comes close to failure for the other boundary conditions under the Chile 2475 earthquake as well as all models under the Peru 2475 earthquake. The hysteresis curves all have similar shapes with larger demands in the transverse direction than in the longitudinal direction.

Displacement time-histories for the Peru 2475 earthquake are shown in figures 6.3-10 and 6.3-11 below. A half cycle occurred at a ductility value almost reaching $4\Delta_y$ indicating that moderate spalling in the hinging region is expected. In addition, the proximity of the force/displacement hysteresis curves to the column shear capacity envelope highlights the probability of column failure.

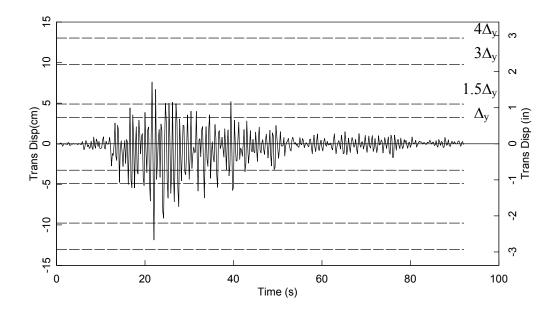


Figure 6.3-10 South Bent, Center Column: Displacement Time History for Bridge 5/649E; Peru 2475 EQ; Es=287.3 MPa

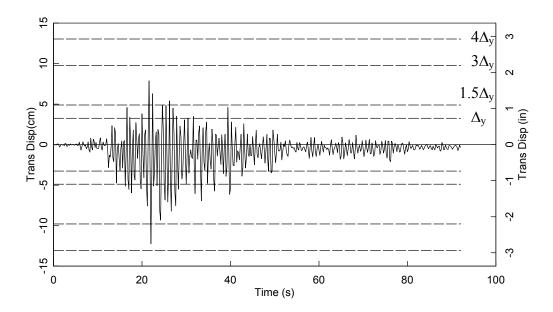


Figure 6.3-11 South Bent, Center Column: Displacement Time History Bridge 5/649E; Peru 2475 EQ; Es=861.9 MPa

The shear force demands in the girder webs at the abutments and in the column footings were investigated for this bridge. The abutments and intermediate bents were

built with girder stops on both sides of the I-girders; reducing the transverse force significantly in each girder stop compared to the other two bridges. Therefore, the shear accumulated in each girder web was low and shear failure of the I-girders was not predicted.

The maximum shear force in the column footings was reached for the Chile 2475 earthquake. The shear force demand value was 632 kN (142 kips) in the longitudinal direction and 452 kN (102 kips) in the transverse direction. The shear capacity of the footing is 1876 kN (422 kips) in both directions. Shear failure was not predicted in the column footings or at the abutments. In addition, column/footing joint failure was not investigated here due to the significantly low shear force demands in the footings.

CHAPTER SEVEN

CONCLUSIONS

Recent geological evidence indicates that the potential exists for large earthquakes in the Pacific Northwest as a result of rupturing of the locked interface between the Juan de Fuca and the North American Plate, resulting in long-duration ground motions. To investigate bridge response to long-duration motions, three multi-column bent prestressed concrete bridges, with columns expected to behave primarily in shear, were selected in consultation with the Washington State Department of Transportation (WSDOT). Each bridge is characteristic of pre-1975 WSDOT design specifications and is located in close proximity to Olympia or Seattle. Nonlinear time history analyses were performed using the finite element analysis program, RUAUMOKO 3D, to assess the seismic vulnerability of the bridges. Ten earthquake excitations, six long-duration (Mexico City, Mexico (1985), Lloledo, Chile (1985) and Moquegua, Peru (2001)) and four short duration (Olympia, Washington (1949) and Kobe, Japan (1995)) were modified to fit a target acceleration spectrum for the Seattle area. As a point of reference, the 2001 Nisqually (M=6.8) earthquake was estimated to have a return period between 475 and 2475 years depending on the location in the Puget Sound region and the structure period of interest.

In general, the three bridges experienced light cracking in the column plastic hinge regions under the 475-year return period earthquakes. The 975-year return period earthquakes increased the column damage. In addition, pounding of the expansion joints led to bearing pad failures. Failure of the columns in the center bents of all bridges was predicted by the hysteretic analyses under the 2475-year return period earthquakes, however, displacement time-histories showed that only a small number of cycles reached a ductility level that could lead to failure. For Bridge 5/227, damage was expected to be more significant than for the other two bridges due to a larger number of high-ductility-demand cycles. The damage estimations were based on damage recorded in experimental column testing (Jaradat, 1996).

The column aspect ratios ranged from 2.7 - 3.2 for Bridge 5/649 to 3.4 for Bridge 512/19 to 3 - 3.2 for Bridge 5/227. The largest displacement demands occurred in Bridges 512/19 and 5/649; the lowest displacement demands occurred in Bridge 5/227. The shear demands in the columns were highest for Bridge 5/649 and lowest for Bridge 5/227. Since the column aspect ratios were similar for the three bridges, other bridge characteristics were more influential on the variation of the bridge responses. The bridge deck design, monolithic or non-monolithic, and the bridge geometry greatly influenced the bridge responses. Despite the monolithic deck in Bridge 512/19, the transverse displacement demands were high, especially in the center bent, due to the large longitudinal stiffness of the bridge. Each bridge seismic vulnerability, nonlinear time history analyses were needed rather than basing predictions merely on bridge member detailing, as is often the case due to limited resources.

Shear force demands in the column footings was investigated in this research for all three bridges. It was predicted by the analyses that the footings would not fail in shear. However, studies have shown that the joint shear strength was often a cause of brittle failure in the column/footing connection (McLean, 1999). Due to the significantly low shear forces in the column footings, this failure mode was not investigated in this research but should however be taken into consideration as a potential governing failure mode for future studies.

Modeling the soil-structure interaction was necessary to obtain realistic results and to accurately predict the behavior of the bridges. The trends in the displacement and shear force demands varied with each bridge as the soil-structure-interaction parameters varied. However, the global seismic assessment of the bridges was not altered due to variation in the soil-structure-interaction. Conversely, a significant difference in behavior occurred when the footing and abutment soil-structure-interaction conditions were changed from spring boundary conditions to fixed column base and roller abutment boundary conditions. Displacement and force demands changed for all three bridges, leading to inaccurate results that were either overly conservative or unconservative.

The effect of a 45 degree skew on the overall behavior of bridge 5/649 was also investigated. There was a change of approximately 20% in the displacement and 40% in the shear force demands between the skew and non-skew models. The rest of the bridge response variables did not vary as significantly. Overall, the skew had a large enough effect on the bridge response that it needed to be considered in the modeling process. This particular study was based on the behavior of one bridge. Expanding the study to several bridges with different skew angles is needed to generalize the results and conclusions.

Overall, long-duration earthquakes created more damage in the three bridges than short-duration earthquakes. For the smaller earthquakes, the duration had little effect on the bridge response since multiple cycles at low ductility demands did not lead to damage of the columns. Without significant ductility demands, the duration of the earthquake was of little significance. As the intensity of the earthquake increases, the duration tends to increase as well. Therefore, both earthquake intensity and ground motion duration affect the bridge response; however, large intensity alone can lead to significant demand on the bridges, while duration is not influential on the bridge demand unless the intensity is high as well.

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APPENDIX A-1

Bridge 5/227 – inner column, center bent:

Scaling from Experimental Data to Model:

$$\begin{aligned} \text{aspect ratio of exp:} \quad & \frac{L_{ex}}{D_{ex}} = a_{ex} \qquad L_{ex} := \frac{70}{24} \qquad D_{ex} := \frac{10}{12} \\ \text{aspect ratio of model:} \quad & \frac{L_{mod}}{D_{mod}} = a_{mod} \qquad L_{mod} := \frac{18.62}{2} \qquad D_{mod} := 3 \\ \hline \text{Forces and moments:} \\ F_{ex} &= \frac{M_{ex}}{L_{ex}} \qquad \text{with} \qquad M_{ex} = A_{s,ex} \cdot f_{y} \cdot \left(D_{ex} - \frac{a}{2} \right) \\ F_{mod} &= \frac{M_{mod}}{L_{mod}} \qquad \text{with} \qquad M_{mod} = A_{s,mod} \cdot f_{y} \cdot \left(D_{mod} - \frac{a}{2} \right) \\ A_{s,mod} &= \left(\frac{D_{mod}}{D_{ex}} \right)^{2} \cdot A_{s,ex} \\ D_{mod} - \frac{a}{2} &= \frac{D_{mod}}{D_{ex}} \left(D_{ex} - \frac{a}{2} \right) \\ M_{mod} &= \left(\frac{D_{mod}}{D_{ex}} \right)^{2} \cdot A_{s,ex} \cdot f_{y} \cdot \left[\frac{D_{mod}}{D_{ex}} \left(D_{ex} - \frac{a}{2} \right) \right] \\ M_{mod} &= \left(\frac{D_{mod}}{D_{ex}} \right)^{2} \cdot A_{s,ex} \cdot f_{y} \cdot \left[\frac{D_{mod}}{D_{ex}} \left(D_{ex} - \frac{a}{2} \right) \right] \\ M_{mod} &= \left(\frac{D_{mod}}{D_{ex}} \right)^{3} \cdot A_{s,ex} \cdot f_{y} \cdot \left(D_{ex} - \frac{a}{2} \right) \\ \hline \text{Therefore} \\ F_{mod} &= \frac{M_{mod}}{L_{mod}} = \left(\frac{D_{mod}}{D_{ex}} \right)^{3} \cdot \frac{M_{ex}}{L_{mod}} \\ \hline & \left[F_{mod} = \left(\frac{D_{mod}}{D_{ex}} \right)^{3} \cdot \frac{L_{ex}}{L_{mod}} \cdot F_{ex} \right] \\ \hline \end{array}$$

Displacements:

Use the actual clear height of the column for the scaling of the displacements. $L_{mod} := \frac{18.62}{2}$

$$\begin{split} \Delta_{y.ex} &= \frac{\phi_{y.ex} \cdot L_{ex}^2}{3} \qquad \Delta_{y.mod} = \frac{\phi_{y.mod} \cdot L_{mod}^2}{3} \\ \phi_{y.mod} &= \phi_{y.ex} \cdot \frac{D_{ex}}{D_{mod}} \\ \text{and} \qquad \phi_{y.ex} &= 2.25 \frac{\varepsilon_y}{D_{ex}} \qquad \phi_{y.mod} = 2.25 \frac{\varepsilon_y}{D_{mod}} \\ \Delta_{y.mod} &= \frac{D_{ex}}{D_{mod}} \cdot \left(\frac{L_{mod}^2}{L_{ex}^2}\right) \cdot \Delta_{y.ex} \qquad \qquad \frac{D_{ex}}{D_{mod}} \cdot \left(\frac{L_{mod}^2}{L_{ex}^2}\right) = 2.83 \\ \Delta_p &= \left(\frac{M_u}{M_n} - 1\right) \cdot \Delta_y + L_p \cdot \left(\phi_u - \phi_y\right) \cdot \left(L - \frac{L_p}{2}\right) \\ L_p &= 0.08 \frac{L}{2} + 0.15 \, f_y \cdot d_b \qquad L_p = 0.08 \frac{L}{2} + 0.022 \, f_y \cdot d_b \end{split}$$

Test:
$$L_{pex} := 0.08 L_{ex} \cdot ft + 0.15 \cdot 53.8 \frac{3}{8} \cdot in$$
 $L_{pex} = 5.826 in$
 $\left(L_{ex} \cdot ft - \frac{L_{pex}}{2}\right) = 32.087 in$

Model : $L_{pmod} := 0.08 L_{mod} \cdot ft + 0.15 \cdot 53.8 \cdot \frac{9}{8} \cdot in$ $L_{pmod} = 18.016in$

$$\left(\begin{array}{c} L_{mod} \cdot ft - \frac{L_{pmod}}{2} \end{array}\right) = 102.712 in$$
ratio :
$$\frac{\left(\begin{array}{c} L_{mod} \cdot ft - \frac{L_{pex}}{2} \end{array}\right)}{\left(\begin{array}{c} L_{ex} \cdot ft - \frac{L_{pmod}}{2} \end{array}\right)} = 4.186$$
ratios for Δp :
$$\frac{L_{pmod} \cdot D_{ex} \cdot \left(\begin{array}{c} L_{mod} \cdot ft - \frac{L_{pex}}{2} \end{array}\right)}{L_{pex} \cdot D_{mod} \cdot \left(\begin{array}{c} L_{ex} \cdot ft - \frac{L_{pmod}}{2} \end{array}\right)} = 3.596$$

Finally, to scale displacements, use :

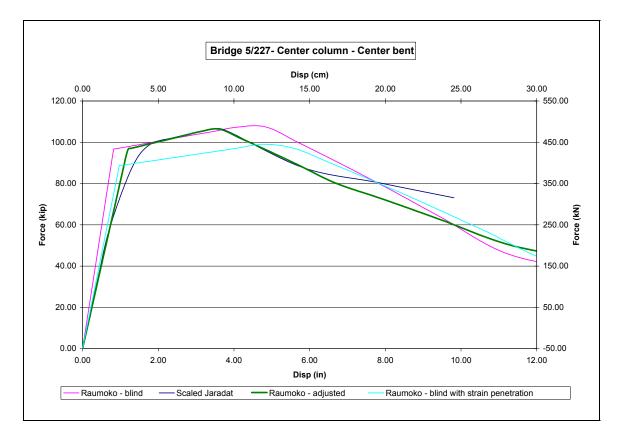
$$\begin{split} \Delta &\leq \Delta_{y} \qquad \Delta_{mod} = 2.83 \cdot \Delta_{ex} \\ \Delta &\geq \Delta_{y} \qquad \Delta_{mod} = 2.83 \cdot \Delta_{yex} + 3.596 \left(\Delta_{ex} - \Delta_{yex} \right) \end{split}$$

Axial load:

$$P_{mod} = \left(\frac{D_{mod}}{D_{ex}}\right)^2 \cdot P_{ex} \qquad \left(\frac{D_{mod}}{D_{ex}}\right)^2 = 12.96$$

Appendix A-1 Scaling calculations for the center column, center bent of Bridge 5/227.

APPENDIX A-2



Appendix A-2 Model of the center column, center bent of Bridge 5/227 fitted to Jaradat T2 specimen scaled up and blind model without adjustments to fit T2.

A-2-1 Ruaumoko 3D Input File Calculations

Ruaumoko 3D is an "Inelastic Dynamic Analysis" software developed by Carr at the University of Canterbury, New Zealand in October 2004. The input file can be divided into six parts.

- Input parameters: These define the analysis options (Pushover, time-history), the control parameters (number of nodes, elements...), the iteration parameters (duration of analysis, time-step).
- The nodes: This is where the geometry of the structure is defined: the lengths of each element through nodal coordinates and boundary conditions.
- The elements: This is where the elements are defined by using the nodes determined in the previous section, the member property each element refers to and their orientation in space.
- Member properties: Ruaumoko 3D can model several different types of elements (frame, spring, tendon, masonry...). In this section, each specific property of the member is defined: inertia, cross-sectional area, weight. Also, for a frame member for example, the P-M interaction values must be defined, the plastic hinge lengths and a loss model can be input to account for a particular strength degradation behavior.
- The weights and loads on the structure for each node.
- The excitation: Ruaumoko 3D can run earthquakes as a separate text files with accelerations and time or a standard pushover loading can also be input.

Below are examples of input files for all three bridges.

A-2-1 Bridge 5/227 Ruaumoko Input File

227 BRIDGE MODEL; k-ft; Es=6000 ksf=287.3 MPa; Peru 2 1 0 1 3 2 0 0 ! Analysis Options 1 0 0 0 1 0 0 0 1 ! EQ Trans. (Mode Shapes for 95% Mass Part.) 77 81 29 30 1 30 32.2 5 5 0.01 92 1.0 ! Frame Control Par 0 10 10 10 1 1 1 1 ! Output Control -.866 .866 0 .5 .5 1 ! Plot Axes Tran 10 0 0.001 ! Iteration Control NODES 1 0 -96.250 0 0 0 0 0 0 0 1 ! West Ramp 2 0 -88.792 0 0 0 0 0 0 0 ! West Ramp 3 0 -81.333 0 0 0 0 0 0 0 ! West Ramp 0 0 0 0 0 0 4 0 -73.875 0 ! West Ramp 0 0 0 0 0 0 5 0 -66.417 0 ! West Ramp -58.958 0 0 0 0 0 0 0 ! West Ramp 0 6 -51.5417 0 7 0 0 0 0 0 0 ! West Pier Gap (W) 0 8 0 -51.4583 0 0 0 0 0 0 0 ! West Pier Gap (E) 0 9 -42.917 0 0 0 0 0 0 0 ! West Deck 0 0 0 0 0 0 10 0 -34.333 0 ! West Deck 0 0 0 0 0 0 11 0 -25.750 0 ! West Deck 0 0 0 0 0 0 12 0 -17.167 0 ! West Deck 0 ! West Deck 13 -8.583 0 0 0 0 0 0 0 0 0 -0.0417 0 0 0 0 0 0 14 ! Cntr Pier Gap (W) 0 0 0 0 0 0 0 15 0.0417 0 ! Cntr Pier Gap (E) 7.250 16 0 0 0 0 0 0 0 0 ! East Deck 0 0 0 0 0 0 14.500 0 17 0 ! East Deck 21.75 0 0 0 0 0 0 0 18 0 ! East Deck 29.00 0 36.25 0 19 0 ! East Deck ! East Deck ! East Deck ! East Pier Gap (W) ! East Pier Gap (E) ! East Ramp 20 0 43.4583 0 0 0 0 0 0 0 21 0 0 0 0 0 0 0 22 0 43.5417 0 0 23 50.959 0 0 0 0 0 0 0 0 0 0 0 0 0 24 0 58.417 0 25 0 65.875 0 0 0 0 0 0 0 26 0 73.333 0 0 0 0 0 0 0 ! East Ramp 0 27 0 0 0 0 0 0 0 ! East Ramp 80.792 28 0 88.25 0 0 0 0 0 0 0 ! East Ramp 28 0 88.25 0 000000 ! East Ramp 29 -15.583 -51.500 -2.53 2 2 2 0 0 0 39 ! West Col Top (S) (slaved) -51.500 -2.53 2 2 2 0 0 0 40 30 0 ! West Col Top (C) (slaved) 2 2 2 0 0 0 41 ! West Col Top (N) 31 15.583 -51.500 -2.53 (slaved) 32 -15.583 0 -2.53 2 2 2 0 0 0 42 ! Cntr Col Top (S) (slaved) 33 0 0 -2.53 2 2 2 0 0 0 43 ! Cntr Col Top (C) (slaved) 34 15.583 0 -2.53 2 2 2 0 0 0 44 ! Cntr Col Top (N) (slaved)

	43.500	-2.53	2 2 2 0 0 0 45	5 ! East Col Top (S)
(slaved) 36 0 (slaved)	43.500	-2.53	2 2 2 0 0 0 46	5 ! East Col Top (C)
37 15.583	43.500	-2.53	2 2 2 0 0 0 47	/ ! East Col Top (N)
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	-51.500 -51.500 0 0 43.500 43.500 43.500 43.500 88.333 -51.500 -51.500 0 0 3 43.500 43.500 43.500 -51.500 -51.500 -51.500 3 0 0 0 3 43.500 43.500 43.500 43.500 88.333 3 -51.500 -51.500 -51.500 3 0 0 0 3 43.500 43.500 43.500 43.500 88.333 3 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.500 -51.50	$\begin{array}{c} 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 $	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	<pre>! West Abut Gap Node ! West Pier X-beam (S) ! West Pier X-beam (C) ! West Pier X-beam (N) ! Cntr Pier X-beam (C) ! Cntr Pier X-beam (C) ! East Pier X-beam (C) ! East Pier X-beam (C) ! East Pier X-beam (C) ! East Pier X-beam (N) ! East Abut Gap Node ! West Col bottom (S) ! West Col bottom (C) ! West Col bottom (C) ! West Col bottom (C) ! Cntr Col bottom (S) ! Cntr Col bottom (S) ! Cntr Col bottom (C) ! Cntr Col bottom (S) ! East Col bottom (C) ! East Col bottom (C) ! East Col bottom (C) ! East Col bottom (S) ! East Col bottom (S) ! East Col bottom (C) ! East Col bottom (S) ! East Col bottom (C) ! West Abutment Spring ! West Col Spring (S) ! West Col Spring (S) ! West Col Spring (S) ! Cntr Col Spring (S) ! Cntr Col Spring (S) ! Cntr Col Spring (S) ! East Col Spring (C) ! East Col Spring (C) ! East Col Spring (C) ! East Col Spring (S) ! East Col Spring (C) ! East Col Spring (N) ! East Col Spring (C) ! East Col Spring (N) ! East Col Spring (N) ! East Col FDN (S) ! West Col FDN (S) ! West Col FDN (S) ! Cntr Col FDN (S) ! East Col FDN (S) ! East Col FDN (S) ! East Col FDN (C) ! Ea</pre>
ELEMENTS 1 1 2 2 1	1 2 2 3	0 0 X 0 0 X	! Long Links:	Western Ramp
2 1 3 1 4 1 5 1	2 3 3 4 4 5 5 6	0 0 X 0 0 X 0 0 X 0 0 X		
6 3 7 5	6 7 8 9	0 0 X 0 0 X	! Long Links:	Western Deck
8 4 9 4	9 10 10 11			

10 11 12 13 14 15 16 17	4 6 8 7 7 7 7	11 12 12 13 13 14 15 16 16 17 17 18 18 19 19 20	0 0 X 0 0 X 0 0 X 0 0 X ! 0 0 X 0 0 X 0 0 X 0 0 X	Long Links: Eastern Deck
18	9	20 21	0 0 X	Long Links: Eastern Ramp
19	2	22 23	0 0 X !	
20	1	23 24	0 0 X	
21	1	24 25	0 0 X	
22	1	25 26	0 0 X	
23	1	26 27	0 0 X	
24	3	27 28	0 0 X	
24 25 26 27	10 10 10	27 20 39 29 40 30 41 31	0 0 Y ! 0 0 Y ! 0 0 Y !	(C)
28	10	42 32	0 0 Y !	(C)
29	10	43 33	0 0 Y !	
30	10	44 34	0 0 Y !	
31 32 33	10 10 10	45 35 46 36 47 37	0 0 Y ! 0 0 Y ! 0 0 Y !	(C) (N)
34	11	39 40	0 0 Y !	(N)
35	11	40 41	0 0 Y !	
36	12	42 43	0 0 Y !	
37	12	43 44	0 0 Y !	(N)
38	13	45 46	0 0 Y !	Cntr Bent Transverse (S)
39	13	46 47	0 0 Y !	West Column (S)
40	14	29 49	0 0 Y !	
41	15	30 50	0 0 Y !	
42 43 44 45	14 16 17 16	31 51 32 52 33 53 34 54	0 0 Y ! 0 0 Y ! 0 0 Y ! 0 0 Y ! 0 0 Y !	(N) Cntr Column (S) (C)
46 47 48	18 19 18	35 55 36 56 37 57	0 0 Y ! 0 0 Y ! 0 0 Y !	East Column (S) (C)
49	20	38 1	0 0 X !	West Abutment Bearing Pad
50	20	7 40	0 0 X !	West Bearing Pad (W)
51	20	40 8	0 0 X !	(E)
52	20	14 43	0 0 X !	(E)
53	20	43 15	0 0 X !	
54	20	21 46	0 0 X !	
54 55 56	20 20 20	46 22 28 48	0 0 X ! 0 0 X ! 0 0 X !	(E)
57	21	38 1	0 0 X !	West Gap
58	21	7 8	0 0 X !	
59	21	14 15	0 0 X !	East Gap
60	21	21 22	0 0 X !	
61	21	28 48	0 0 X !	
62	22	59 69	0 0 X !	West PIER Spring (South)
63	23	60 70	0 0 X !	
64 65 66	22 24 25	61 7162 7263 73	0 0 X ! 0 0 X ! 0 0 X !	Cntr PIER Spring (South)
			•	-1 5 (00002)

68 2 69 2 70 2 71 2 72 2 73 1 74 1 75 1 76 1 77 1 78 1 79 1 80 1	24 64 26 65 27 66 26 67 28 38 29 48 .1 49 .1 50 .1 51 .2 53 .2 53 .2 54 .3 55 .3 56 .3 57	$\begin{array}{cccc} 75 & 0 \\ 76 & 0 \\ 77 & 0 \\ 58 & 0 \\ 68 & 0 \\ 69 & 0 \\ 70 & 0 \\ 71 & 0 \\ 71 & 0 \\ 72 & 0 \\ 73 & 0 \\ 74 & 0 \\ 75 & 0 \\ 76 & 0 \end{array}$	0 X 0 X 0 X 0 X 0 X 0 Y 0 Y 0 Y 0 Y 0 Y 0 Y 0 Y 0 Y	! East ! East ! East ! West ! East ! West ! West !	PIER S PIER S Abut S Abut S Col FI	Spring Spring Spring Spring Spring ON (S) (C) (N) ON (S) (C) (N)	(Sout) (Cente (Nort) 1	1) er)
1 0 0 0 0 6.358E5 2	ns (west &) 0 0 2.54E5 33.5 Ezz,Ixx,As:	54 3161	40.401	3161 3	33.54 3	33.54	! !	Longitudinal End Properties
1 1 1 0 0 6.358E5 2	ns (west &) 0 0 2.54E5 33.5 5zz,Ixx,As	54 3161	40.401	3161 3	33.54 3	33.54	! 1 !	Longitudinal Moment releases End Properties
1 2 2 0 0 6.358E5 2	ns (west &) 0 0 2.54E5 33.5 5zz,Ixx,As	54 3161	40.401	3161 3	33.54 3	33.54	! 1 !	Longitudinal Moment released End Properties
1 0 0 0 0 6.358E5 2	ns (west do) 0 0 2.54E5 33.5 Ezz,Ixx,As:	54 3161		3161 3	33.54 3	33.54	! !	Longitudinal End Properties
1 1 1 0 0 6.358E5 2	ns (west de) 0 0 0 2.54E5 33.5 Izz,Ixx,As	54 3161		3161 3	33.54 3	33.54	! 1 !	Longitudinal Moment releases End Properties
6 FRAME Deck Beam 1 2 2 0 0	ns (west de) 0 0 0	eck)						Longitudinal Moment releases

6.358E5 2.54E5 33.54 3161 40.401 3161 33.54 33.54 ! E,G,A,J,Izz,Ixx,Asz,Asy (K,FT) 0.0 ! End Properties 7 FRAME ! Longitudinal Deck Beams (east deck) 1 0 0 0 0 0 0 1 6.358E5 2.54E5 33.54 3161 40.401 3161 33.54 33.54 1 E,G,A,J,Izz,Ixx,Asz,Asy (K,FT) 0.0 ! End Properties 8 FRAME ! Longitudinal Deck Beams (east deck) 1 1 1 0 0 0 0 0 ! Moment releases 6.358E5 2.54E5 33.54 3161 40.401 3161 33.54 33.54 1 E,G,A,J,Izz,Ixx,Asz,Asy (K,FT) 0.0 ! End Properties 9 FRAME ! Longitudinal Deck Beams (east deck) 1 2 2 0 0 0 0 0 ! Moment releases 6.358E5 2.54E5 33.54 3161 40.401 3161 33.54 33.54 ! E,G,A,J,Izz,Ixx,Asz,Asy (K,FT) 0.0 ! End Properties 10 FRAME ! Rigid Piers (Vert) 1 0 0 0 0 0 0 0 ! Linear Elastic 1E7 1E7 1E3 1E5 1E3 1E6 1E3 1E3 1 E,G,A,J,Izz,Iyy,Asz,Asy (K,FT) ! Ο 11 FRAME ! West Pier (bent) 1 0 0 0 0 0 0 0 ! Linear Elastic 1E7 1E7 1E3 1E5 1E3 1E6 1E3 1E3 1 E,G,A,J,Izz,Iyy,Asz,Asy (K,FT) ! 0 12 FRAME ! Cntr Pier (bent) 1 0 0 0 0 0 0 0 ! Linear Elastic 1E7 1E7 1E3 1E5 1E3 1E6 1E3 1E3 ! E,G,A,J,Izz,Iyy,Asz,Asy (K,FT) Ω 1 13 FRAME ! Cntr Pier (bent) 1 0 0 0 0 0 0 0 ! Linear Elastic 1E7 1E7 1E3 1E5 1E3 1E6 1E3 1E3 1 E,G,A,J,Izz,Iyy,Asz,Asy (K,FT) ! 0 14 FRAME ! West Outer Column 2 0 0 0 4 0 0 0 1 6.358E5 2.543E5 7.07 1.168 0.826 0.826 7.07 7.07 ! E,G,A,J,Izz,Iyy,Asz,Asy (.22*I) (K,FT) 0.0 0.0 0.0 0.0 ! Ends 0.04 0.04 0.04 0.04 ! r0

1.464 1.464 1.464 1.464 ! Plastic Hinge Length 0.0 0.0 1.55 1.0 0.0 ! Interaction -6612 -1575 1790 1790 445.9 ! Yield Forces/Moments ! 4.2 11 0.3 15 ! Refined Loss Model 0.5 0.1 1 1 ! Modified Takeda Hyst. 15 FRAME ! West Inner Column 2 0 0 0 4 0 0 0 ! 6.358E5 2.543E5 7.069 1.167 0.825 0.825 7.07 7.07 1 E,G,A,J,Izz,Iyy,Asz,Asy (.25*I) (K,FT) 0.0 0.0 0.0 0.0 ! Ends 0.04 0.04 0.04 0.04 ! r0 1.444 1.444 1.444 1.444 ! Plastic Hinge Length 0.0 0.0 1.5 1.15 0.0 ! Interaction -6612 -1575 1790 1790 445.9 ! Yield Forces/Moments ! 4.2 11 0.3 15 ! Refined Loss Model 0.5 0.1 1 1 ! Modified Takeda Hyst. ! Mid Outer Column 16 FRAME 2 0 0 0 4 0 0 0 1 6.358E5 2.543E5 7.069 1.169 0.827 0.827 7.07 7.07 ! E,G,A,J,Izz,Iyy,Asz,Asy (.22*I) (K,FT) 0.0 0.0 0.0 0.0 ! Ends 0.04 0.04 0.04 0.04 ! r0 1.452 1.452 1.452 1.452 ! Plastic Hinge Length 0.0 0.0 1.5 1.15 0.0 ! Interaction -6612 -1575 1790 1790 445.9 ! Yield Forces/Moments ! 4.2 11 0.3 15 ! Refined Loss Model 0.5 0.1 1 1 ! Modified Takeda Hyst. ! Mid Inner Column 17 FRAME 2 0 0 0 4 0 0 0 ! 6.358E5 2.543E5 7.069 1.169 0.827 0.827 7.07 7.07 ! E,G,A,J,Izz,Iyy,Asz,Asy (.25*I) (K,FT) 0.0 0.0 0.0 0.0 ! Ends 0.04 0.04 0.04 0.04 ! r0 1.432 1.432 1.432 1.432 ! Plastic Hinge Length 0.0 0.0 1.5 1.15 0.0 ! Interaction ! Yield -6612 -1575 1790 1790 445.9 Forces/Moments ! 4.2 11 0.3 15 ! Refined Loss Model

0.5 0.1 1 1 ! Modified Takeda Hyst. 18 FRAME ! East Outer Column 2 0 0 0 4 0 0 0 1 6.358E5 2.543E5 7.069 1.169 0.826 0.826 7.07 7.07 1 E,G,A,J,Izz,Iyy,Asz,Asy (.21*I) (K,FT) 0.0 0.0 0.0 0.0 ! Ends 0.04 0.04 0.04 0.04 ! r0 1.393 1.393 1.393 1.393 ! Plastic Hinge Length 0.0 0.0 1.5 1.15 0.0 ! Interaction -6612 -1575 1790 1790 445.9 ! Yield Forces/Moments ! 4.2 11 0.3 15 ! Refined Loss Model 0.5 0.1 1 1 ! Modified Takeda Hyst. 19 FRAME ! East Inner Column 2 0 0 0 4 0 0 0 ! 6.358E5 2.543E5 7.069 1.168 0.826 0.826 7.07 7.07 1 E,G,A,J,Izz,Iyy,Asz,Asy (.23*I) (K,FT) 0.0 0.0 0.0 0.0 ! Ends 0.04 0.04 0.04 0.04 ! r0 1.413 1.413 1.413 1.413 ! Plastic Hinge Length 0.0 0.0 1.5 1.15 0.0 ! Interaction -6612 -1575 1790 1790 445.9 ! Yield Forces/Moments ! 4.2 11 0.3 15 ! Refined Loss Model ! Modified Takeda 0.5 0.1 1 1 Hyst. 20 SPRING ! Bridge Deck Bearing Pads 1 0 0 0 0 0 ! Control Parameters 1479.6 2E7 3E6 8E7 8E4 8E4 0 .3 .3 ! Section Properties 21 MULTISPRING ! Bridge Gap Elements 1 0 0 0 10 2 31 0 ! Control Parameters 3.265E3 0 0 0 0 0 .3 ! Section Properties 0 -9.265E9 0 0 0 0 0 0 0 0 0 0 ! Section Yield Prop. 22 SPRING ! SOIL SPRING WI 1 0 0 0 0 0 ! Control Par. 1.2177E5 1.2177E5 2.0210E5 5.3777E6 3.7637E6 5.2783E6 0 .33 .33 ! Section Prop.

23 SPRING ! SOIL SPRING WO 1 0 0 0 0 0 ! Control Par. 1.2177E5 1.2177E5 2.0210E5 5.3777E6 3.7637E6 5.2783E6 0 .33 .33 ! Section Prop. 24 SPRING ! SOIL SPRING CI 1 0 0 0 0 0 ! Control Par. 1.2177E5 1.2177E5 2.0210E5 5.3777E6 3.7637E6 5.2783E6 0 .33 .33 ! Section Prop. 25 SPRING ! SOIL SPRING CO 1 0 0 0 0 0 ! Control Par. 1.2177E5 1.2177E5 2.0210E5 5.3777E6 3.7637E6 5.2783E6 0 .33 .33 ! Section Prop. 26 SPRING ! SOIL SPRING EI 1 0 0 0 0 0 ! Control Par. 1.2177E5 1.2177E5 2.0210E5 5.3777E6 3.7637E6 5.2783E6 0 .33 .33 ! Section Prop. 27 SPRING ! SOIL SPRING EO 1 0 0 0 0 0 ! Control Par. 1.2177E5 1.2177E5 2.0210E5 5.3777E6 3.7637E6 5.2783E6 0 .33 .33 ! Section Prop. 28 SPRING ! Secant SOIL SPR W abt 1 0 0 0 0 0 ! Control Par. 4.6272E5 4.6580E5 7.1459E5 3.5529E7 4.3135E7 3.74E7 0 .33 .33 ! Section Prop. 29 SPRING ! Secant SOIL SPR E abt 1 0 0 0 0 0 ! Control Par. 4.6272E5 4.6580E5 7.1459E5 3.5529E7 4.3135E7 3.74E7 0 .33 .33 ! Section Prop. WEIGHTS 0 1 17.979 17.979 17.979 ! West Ramp 2 35.958 35.958 35.958 35.958 35.958 35.958 3 4 35.958 35.958 35.958 5 35.958 35.958 35.958 6 35.958 35.958 35.958 7 17.979 17.979 17.979 8 20.73 20.73 20.73 ! West Deck 9 10 11

41.46	41.46	41.46		
41.46	41.46	41.46		
41.46	41.46	41.46		
41.46	41.46	41.46		
41.46	41.46	41.46		
20.73	20.73	20.73		
17.496	17.496	17.496	!	East Deck
34.993	34.993	34.993		
34.993	34.993	34.993		

16 17

18 19 20 21 22 23 24 25 26 27 28	34.993 34.993 34.993 17.496 17.979 35.958 35.958 35.958 35.958 35.958 35.958 17.979	34.993 34.993 34.993 17.496 17.979 35.958 35.958 35.958 35.958 35.958 35.958	34.993 34.993 34.993 17.496 17.979 ! East Ramp 35.958 35.958 35.958 35.958 35.958 35.958 35.958
29	20.591	20.591	20.591! West Column (s)20.061!20.591!
30	20.061	20.061	
31	20.591	20.591	
32	20.273	20.273	20.273 ! Cntr Column (s) 19.743 ! (c) 20.273 ! (n) 19.764 ! East Column (s)
33	19.743	19.743	
34	20.273	20.273	
35	19.764	19.764	
36	19.234	19.234	19.234 ! (c) 19.764 ! (n) 76.5 ! West Abutment
37	19.764	19.764	
38	76.5	76.5	
39	14.025	14.025	14.025 ! West X-beam
40	28.049	28.049	28.049
41	14.025	14.025	14.025
42	14.025	14.025	14.025 ! Cntr X-Beam
43	28.049	28.049	28.049
44	14.025	14.025	14.025
45	14.025	14.025	14.025 ! East X-Beam
46	28.049	28.049	28.049
47	14.025	14.025	14.025
48	76.5	76.5	76.5 ! East Abutment
77 LOADS			
1 2 3 4 5 6 7	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	-17.9799 -35.958 -35.958 -35.958 -35.958 -35.958 -35.958 -17.979	! West Ramp
8	0 0	-20.73	! West Deck
9	0 0	-41.46	
10	0 0	-41.46	
11	0 0	-41.46	
12	0 0	-41.46	
13	0 0	-41.46	
14	0 0	-20.73	
15 16 17 18 19 20 21		-17.496 -34.993 -34.993 -34.993 -34.993 -34.993 -17.496	! East Deck
22 23	0 0 0 0	-17.979	! East Ramp

24 25 26 27 28	0 0 0 0	0 0 0 0	-35.958 -35.958 -35.958 -35.958 -17.979					
29	0	0	-20.591	!	West	Column	(s)	
30	0	0	-20.061	!			(C)	
31	0	0	-20.591	!	<u>a</u> .	a 1	(n)	
32 33	0 0	0	-20.273	!	Cntr	Column	(s)	
33	0	0 0	-19.743 -20.273	! !			(c) (n)	
35	0	0	-19.764	:	East	Column	(II) (s)	
36	0	0	-19.234	!	Labe	001 unin	(C)	
37	0	0	-19.764	!			(n)	
38	0	0	-76.5	!	West	Abutmer	nt	
39	0	0	-14.025	!	West	X-beam		
40	0	0	-28.049					
41	0	0	-14.025					
42	0	0	-14.025	!	Cntr	X-Beam		
43 44	0	0	-28.049					
44 45	0 0	0 0	-14.025 -14.025		Fact	X-Beam		
45	0	0	-28.049	÷	East	A-Dealli		
47	0	0	-14.025					
48	0	0	-76.5	!	East	Abutmer	nt	
77								
EQUAKE NS 5 1 0.0		9.txt -1				!	File	Parameters
EQUAKE EW 5 1 0.0		9.txt -1				!	File	Parameters
EQUAKE UP 5 1 0.0						!	File	Parameters

A-2-2 Bridge 512/19 Ruamoko Input File

43 44 45 46 47 48	0.483 0.161 0.161 0.161 -0.483 -0.483	-35.5 -11.83 -11.83 -11.83 11.83 11.83	6.18 26.2	75 875 875 75	2 2 2 0 0 0 0 0 0 2 2 2	0 0 0 0 0 0 0 0 0 0 0 0	<pre>!col footing 20 !mme col top !col bot !col footing 22 !mmw col top !col bot</pre>
49 50 51 52	-0.483 -0.483 -0.483 -0.483	11.83 35.5 35.5 35.5	27.2 6.18 26.2 27.2	875 75 875	0 0 0 2 2 2 0 0 0 0 0 0	0 0 0 0 0 0 0 0 0	!col footing
53 54 55	76.483 76.483 76.483	-35.5 -35.5 -35.5	6.18 26.2 27.2	75 875 875	2 2 2 0 0 0 0 0 0	0 0 0 0 0 0 0 0 0	24 !se col top !col bot !col footing
56 57 58 59	76.161 76.161 76.161 75.839	-11.83 -11.83 -11.83 11.83	26.2	875 875	2 2 2 0 0 0 0 0 0 2 2 2	0 0 0 0 0 0	<pre>!col bot !col footing</pre>
60 61 62	75.839 75.839 75.839 75.517 75.517	11.83 11.83 11.83 35.5 35.5	26.2 27.2 6.18	875 875 75	0 0 0 0 0 0 2 2 2	0 0 0 0 0 0 0 0 0	<pre>!col bot !col footing</pre>
63 64 65 66	75.517 -125.5 123.500	35.5 0 0	26.2 27.2 0	875	0 0 0 1 1 1 1 1 1	0 0 0 1 1 1 1 1 1	<pre>!col footing !north abutment spring !south abutment spring</pre>
67 68 69	-75.517 -75.839 -76.161		27.2 27.2 27.2	875	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	1 1 1	<pre>!col footing spring !col footing spring !col footing spring</pre>
70 71 72	-76.483 0.483 0.161	35.5 -35.5 -11.83	27.2 27.2 27.2	875		1 1 1	<pre>!col footing spring !col footing spring !col footing spring</pre>
73 74	-0.483 -0.483	11.83 35.5	27.2	875	1 1 1		<pre>!col footing spring</pre>
75	76.483	-35.5	27.2	875	1 1 1	1 1 1	!col footing spring
76 77	75.839	-11.83 11.83	27.2	875	1 1 1		!col footing spring
78	75.517	35.5	27.2	875	1 1 1	1 1 1	<pre>!col footing spring</pre>
Ele 1	ments 1 1	65	2	0	0	Y	!north abutment
2	1	2	3	0	0	Y	!north deck
3 4	1 1		4 5	0 0	0 0	Y Y	
5 6	1		6	0	0	Y	
7	1 1		7 8	0 0	0 0	Y Y	!south deck
8 9	1 1		9 10	0 0	0 0	Y Y	
10	1	10	11	0	0	Y	
11 12	1 1		12 66	0 0	0 0	Y Y	!south abutment
13	2	14	15	0	0	Х	!north bent
14 15	2 2		16 17	0 0	0 0	X X	
16 17	2 2		18 20	0 0	0 0	X X	!middle bent
18	2	20	21	0	0	Х	. MIUUIE DENU
19	2	21	22	0	0	Х	

20 21 22 23	2 2 2 2	22 24 25 26	23 25 26 27	0 0 0	0 0 0 0	X X X X	!south bent
24 25 26 27	2 3 3 5	27 4 14 29	28 16 29 30	0 0 0	0 0 0 0	X X X X	<pre>!vert link deck-bent (N) !vert link cap-col (Ne) ! Col (Ne)</pre>
28 29 30 31	4 3 5 4	30 15 32 33	31 32 33 34	0 0 0 0	0 0 0 0	X X X X	<pre>!vert link col-foot (Ne) !vert link cap-col (Nme) ! Col (Nme) !vert link col-foot (Nme)</pre>
32 33 34 35	3 5 4 3	17 35 36 18	35 36 37 38	0 0 0 0	0 0 0 0	X X X X	<pre>!vert link cap-col (Nmw) ! Col (Nmw) !vert link col-foot (Nmw) !vert link cap-col (Nw))</pre>
36 37 38 39	5 4 3 3	38 39 7 19	39 40 21 41	0 0 0 0	0 0 0 0	X X X X	! Col (Nw) !vert link col-foot (Nw) !vert link deck-bent (M) !vert link cap-col (Me)
40 41 42 43	5 4 3 5	41 42 20 44	42 43 44 45	0 0 0	0 0 0 0	X X X X	! Col (Me) !vert link col-foot (Me) !vert link cap-col (Mme) ! Col (Mme)
44 45 46 47	4 3 5 4	45 22 47 48	46 47 48 49	0 0 0 0	0 0 0 0	X X X X	<pre>!vert link col-foot (Mme) !vert link cap-col (Mmw) ! Col (Mmw) !vert link col-foot (Mmw)</pre>
48 49 50 51	3 5 4 3	23 50 51 10	50 51 52 26	0 0 0 0	0 0 0 0	X X X X	<pre>!vert link cap-col (Mw) ! Col (Mw) !vert link col-foot (Mw) !vert link deck-bent (S)</pre>
52 53 54 55	3 5 4 3	24 53 54 25	53 54 55 56	0 0 0 0	0 0 0 0	X X X X X	<pre>!vert link cap-col (Se) ! Col (Se) !vert link col-foot (Se) !vert link cap-col (Sme)</pre>
56 57 58 59	5 4 3 5	56 57 27 59	57 58 59 60	0 0 0 0	0 0 0 0	X X X X X	<pre>! Col (Sme) !vert link col-foot (Sme) !vert link cap-col (Smw) ! Col (Smw)</pre>
60 61 62	4 3 5	60 28 62	61 62 63	0 0 0	0 0 0	X X X	<pre>!vert link col-foot (Smw) !vert link cap-col (Sw) ! Col (Sw)</pre>
63 64 65 66	4 12 13 6	63 65 66 31	64 1 13 67	0 0 0	0 0 0 0	X X X X	<pre>!vert link col-foot (Sw) !north abutment spring !south abutment spring !col footing spring</pre>
67 68 69 70	7 7 6 8	34 37 40 43	68 69 70 71	0 0 0	0 0 0	X X X X	<pre>!col footing spring !col footing spring !col footing spring !col footing spring</pre>
71 72 73 74 75	9 9 8 10	46 49 52 55 58	72 73 74 75 76	0 0 0 0	0 0 0 0	X X X X X	<pre>!col footing spring !col footing spring !col footing spring !col footing spring !col footing spring</pre>
75 76	11 11	58 61	76 77	0 0	0 0	X X	<pre>!col footing spring !col footing spring</pre>

77 10 64 78 0 0 X !col footing spring PROPS 1 FRAME ! Deck 1 0 0 0 0 0 0 1 6.358E5 2.54E5 86.755 56170 56170 231.802 ! E,G,A,J,IZZ,IYY (K,FT) 0 2 FRAME ! Capbeam 1 0 0 0 0 0 0 ! 6.358E5 2.54E5 1E10 1E10 1E10 1E10 ! E,G,A,J,Izz,Iyy (K,FT) 0 3 FRAME ! Vertical links btw deck+col 1 0 0 0 0 0 0 1 1E10 1E10 1E4 2E7 1E7 1E2 ! E,G,A,J,Izz,Iyy (K,FT) \cap 4 FRAME ! vertical links btw col+footing 1 0 0 0 0 0 0 ! 1E10 1E10 1E4 2E7 1E7 1E2 ! E,G,A,J,Izz,Iyy (K,FT) 0 5 FRAME 2000400 !14a. Section Control 6.35E5 2.54E5 7.069 1.205 0.852 0.852 !14b. Section prop E,G,A,J,Izz,Iyy !14c. End Properties 0.0 0.04 0.04 0.04 0.04 !14d. Member bilinear factor 1.423 1.423 1.423 1.423 !14e. Plastic Hinge Length 0 0 1.0 1.0 0 !141. Interaction param -4900 -1203 1475 1475 591.4 !14m. P-M interaction ! 5.5 17 0.9 0 ! Loss Model(page 145appendix A) 0.5 0.1 1 1 6 SPRING ! SOIL SPRING NO 1 0 0 0 0 0 ! Control Par. 9.4921E4 9.4921E4 9.8085E4 4.4837E6 2.7516E6 4.9144E6 0 .33 .33 ! Section Prop. 7 SPRING ! SOIL SPRING NI 1 0 0 0 0 0 ! Control Par. 9.4921E4 9.4921E4 9.8085E4 4.4837E6 2.7516E6 4.9144E6 0 .33 .33 ! Section Prop. 8 SPRING ! SOIL SPRING CO 1 0 0 0 0 0 ! Control Par.

9.8059E4 9.8059E4 1.0320E5 4.8277E6 3.5006E6 4.6821E6 0 .33 .33 ! Section Prop. 9 SPRING ! SOIL SPRING CI 1 0 0 0 0 0 ! Control Par. 9.8059E4 9.8059E4 1.0320E5 4.8277E6 3.5006E6 4.6821E6 0 .33 .33 1 Section Prop. 10 SPRING ! SOIL SPRING SO 1 0 0 0 0 0 ! Control Par. 9.1220E4 9.1220E4 9.4760E4 4.1780E6 2.0881E6 4.4245E6 0 .33 .33 ! Section Prop. 11 SPRING ! SOIL SPRING SI 1 0 0 0 0 0 ! Control Par. 9.1220E4 9.1220E4 9.4760E4 4.1780E6 2.0881E6 4.4245E6 0 .33 .33 ! Section Prop. 12 SPRING ! SOIL SPRING N Abt. 1 0 0 0 0 0 ! Control Par. 8.4002E5 8.4002E5 8.7782E5 2.4497E7 6.7001E7 5.1069E7 0 .33 .33 1 Section Prop. 13 SPRING ! SOIL SPRING S Abt. 1 0 0 0 0 0 ! Control Par. 3.3819E5 3.3819E5 3.5341E5 9.8626E6 2.6974E7 2.0560E7 0 .33 .33 ____! Section Prop. Weights 0 1 1.767 1.767 1.767 !north abutment 88.359 88.359 2 88.359 !north ramp 3 173.184 173.184 173.184 4 176.12 176.12 176.12 !north deck 179.051 5 179.051 179.051 6 179.051 179.051 179.051 7 179.051 179.051 179.051 !middle deck 8 179.051 179.051 179.051 !south deck 9 179.051 179.051 179.051 10 172.584 172.584 172.584 !south ramp 166.116 166.116 166.116 11 12 84.825 84.825 84.825 13 1.767 1.767 1.767 !south abutment 165.881 165.881 118.857 118.857 14 165.881 !north bent 15 118.857 16 107.97 107.97 107.97 118.857 17 118.857 118.857 18 165.881 165.881 165.881

19 20 21 22 23 24 25 26 27 28 30 33 36 39 42 45 48 51 54 57 60 63 77	149.534 107.959 97.071 107.959 149.534 162.909 116.875 105.988 116.875 162.909 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312	149.534 107.959 97.071 107.959 149.534 162.909 116.875 105.988 116.875 162.909 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312	149.534 107.959 97.071 107.959 149.534 162.909 116.875 105.988 116.875 162.909 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312 21.312	<pre>!middle bent !south bent !column bot</pre>
Loads				
1 2	0 0	0 0	-1.767 -88.359	!north abutment !north ramp
3 4	0 0	0 0	-173.184 -176.118	!north deck
5	0	0	-179.051	
6 7	0 0	0 0	-179.051 -179.051	!middle deck
8	0	0	-179.051	!south deck
9 10	0 0	0 0	-179.051 -172.584	!south ramp
11	0	0	-166.116	-
12 13	0 0	0 0	-84.825 -1.767	!south abutment
14	0	0	-165.881	!north bent
15 16	0 0	0 0	-118.857 -107.97	
17	0	0	-118.857	
18 19	0 0	0 0	-165.881 -149.534	!middle bent
20	0	0	-107.959	
21 22	0 0	0 0	-97.071 -107.959	
23	0	0	-149.534	
24 25	0 0	0 0	-162.909 -116.875	!south bent
26	0	0	-105.988	
27	0	0	-116.875	
28 30	0 0	0 0	-162.909 -21.312	!column bot
33	0	0	-21.312	
36 39	0 0	0 0	-21.312 -21.312	

42	0	0	-21.312
45	0	0	-21.312
48	0	0	-21.312
51	0	0	-21.312
54	0	0	-21.312
57	0	0	-21.312
60	0	0	-21.312
63	0	0	-21.312
77			

EQUAKE NSPERU9.TXT			
5 1 0.01 1 -1	!	File	Parameters
EQUAKE EWPERU9.TXT			
5 1 0.01 1 -1	!	File	Parameters
EOUAKE UPPERU9.TXT			
5 1 0.01 1 -1	!	File	Parameters
	•		

A-2-3 Bridge 5/649 Ruaumoko Input File

	<pre>skew;units kip-ft; Es=6000 ksf=287.3 MPa; Peru;</pre>
Half Data 2 1 0 0 3 2 0 0 -1 0 0 0 -1 0 0 0 -1 57 60 25 30 1 30 32.2 5 0 20 10 10 3 1 1 .866866 055 -1 10 0 0.0001	1 ! Output Control
NODES 1	
1 0.000 0.000	0.000 0 0 0 0 0 0 0 !deck (north half)
2 12.00 0.000 3 24.00 0.000	
3 24.00 0.000 4 36.00 0.000	$\begin{array}{cccccccccccccccccccccccccccccccccccc$
5 47.91 0.000	0.000 0 0 0 0 0 0 0 !north ramp exp joint
6 48.09 0.000	0.000 0 0 0 0 0 0 0 !north ramp
7 67.25 0.000	0.000 0 0 0 0 0 0
8 86.50 0.000	0.000 0 0 0 0 0 0
9 105.75 0.000	0.000 0 0 0 0 0 0
10 125.00 0.000	0.000 0 0 0 0 0 0 0 !north abutment
11 125.05 0.000 12 -120.05 0.000	0.000 1 1 1 1 1 1 1 !north abutment gap 0.000 1 1 1 1 1 1 !south abutment gap
12 -120.00 0.000	0.000 0 0 0 0 0 0 0 !south abutment
14 -102.00 0.000	0.000 0 0 0 0 0 0 0 !south ramp
15 -84.000 0.000	0.000 0 0 0 0 0 0
16 -66.000 0.000	0.000 0 0 0 0 0 0
17 -47.906 0.000	0.000 0 0 0 0 0 0 0 !south ramp exp joint
18 -48.094 0.000	0.000 0 0 0 0 0 0 0 !deck (south half)
19 -36.000 0.000	$\begin{array}{cccccccccccccccccccccccccccccccccccc$
20 -24.000 0.000 21 -12.000 0.000	$\begin{array}{cccccccccccccccccccccccccccccccccccc$
22 -67.450 -20.142	0.000 0 0 0 0 0 0 0 !south-west bent
23 -57.725 -10.071	0.000 0 0 0 0 0 0 0 !mid south-west bent
24 -48.000 0.000	0.000 0 0 0 0 0 0 0 !center south bent
25 -38.275 10.071	0.000 0 0 0 0 0 0 0 !mid south-east bent
26 -28.550 20.142	0.000 0 0 0 0 0 0 0 !mid south-east bent
27 28.550 -20.142	0.000 0 0 0 0 0 0 0 !north-west bent
28 38.275 -10.071 29 48.000 0.000	0.000 0 0 0 0 0 0 0 !mid north-west bent 0.000 0 0 0 0 0 0 !center north bent
30 57.725 10.071	
	0.000 0 0 0 0 0 0 0 0 1 Imid horth-east bent
32 -67.450 -20.142	
(slaved)	
33 -67.450 -20.142	
34 -67.450 -20.142	27.959 1 1 1 1 1 1 1 !west col south bent ft
35 -48.000 0.000	8.354 2 2 2 0 0 0 24 !mid col south bent top
(slaved) 36 -48.000 0.000	27.054 0 0 0 0 0 0 0 !mid col south bent bot
37 -48.000 0.000	
38 -28.550 20.142	8.354 2 2 2 0 0 0 26 !east col south bent to
(slaved)	
39 -28.550 20.142	
40 -28.550 20.142	29.209 1 1 1 1 1 1 1 !east col south bent ft

41 (slav	28.55	io -20	0.142	8.354	2	2	2	0	0	0	27	!west col north bent top
(314) 42 43 44	28.55 28.55 48.00	0 -20).142).142)00	24.70 26.32 8.354	91	1	1	1	1	1	29	<pre>!west col north bent bot !west col north bent ftg !mid col north bent top</pre>
45 46 47 (slav	48.00 48.00 67.45	0.0		25.50 27.12 8.354	91		1	1	1	1	31	<pre>!mid col north bent bot !mid col north bent ftg !east col north bent top</pre>
48 49 50 51 52 53 54 55 56 57	67.45 67.45 -67.4 -48.0 -28.5 28.55 48.00 67.45 125.0		000 142 142 00 142 000	26.09 27.71 27.95 28.67 29.20 26.32 27.12 27.71 0.000 0.000	9 1 9 0 9 0 9 0 9 0 9 0 9 0 9 0	1 0 0 0 0	1 0 0 0 0 0 0	1 0 0 0 0 0 0	1 0 0 0 0 0 0	1 0 0 0 0 0 0		<pre>!east col north bent bot !east col north bent ftg !west col south bent sp !mid col south bent sp !east col south bent sp !west col north bent sp !mid col north bent sp !east col north bent sp !north abutment spring !south abutment spring</pre>
	INTS 1	1	2	0	0		7	7			Inorth	dock
1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22	6 6 5 1 3 2 1 3 2 4 6 6 7 7 7 7 7 7 7 7 7	1 2 3 4 6 7 8 9 13 14 15 16 18 19 20 21 24 23 24 25 29 28	2 3 4 5 7 8 9 10 14 15 16 17 19 20 21 1 23 22 25 26 28 27		0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0		> > > > > > > > > > > > > > > > > > >	2 2 2			<pre>!north !north !north !north !north !north !south !south !south !south !south !south !south !south</pre>	<pre>h deck h deck h deck h deck h ramp h deck h deck h deck h deck h deck h bent h-east bent h-west bent</pre>
23 24 25 26 27 28 29 30 31 32 33 34 35	7 7 8 10 9 8 11 9 8 12 9 8 13	29 30 22 32 33 24 35 36 26 38 39 27 41	30 31 32 33 50 35 36 51 38 39 52 41 42				>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>				!vert !vert !vert !mid c !vert !vert !vert !vert !vert	link deck-col col south bent link col-foot link deck-col col south bent link col-foot link deck-col col south bent link col-foot link deck-col col north bent

36 37 38 39 40 41 42 43 44 45 46 47 48 49 50 51 52 53 54 55 55	9 8 14 9 8 15 9 16 16 16 16 16 16 16 16 17 17 17 21 22 23 10	42 29 44 45 31 47 48 5 29 17 24 10 13 5 17 10 13 34 37 40	$53 \\ 44 \\ 54 \\ 45 \\ 29 \\ 6 \\ 48 \\ 529 \\ 6 \\ 24 \\ 56 \\ 7 \\ 6 \\ 186 \\ 57 \\ 51 \\ 22 \\ 25 \\ 55 \\ 51 \\ 22 \\ 55 \\ 55$	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0		X X X X X X Y Y Y Y Y Y Y Y Y X X X X	<pre>!vert link col-foot !vert link deck-col !mid col north bent !vert link col-foot !vert link deck-col !east col north bent !vert link col-foot !north bent bearing pad (S) !north bent bearing pad (S) !south bent bearing pad (S) !south bent bearing pad (S) !south bent bearing pad !south abutment bearing pad !north abutment bearing pad !north bent gap !south bent gap !south bent gap !south abutment gap !south abutment gap !west col south bent footing !mid col south bent sp ftg !east col south bent sp ftg</pre>
56 57 58 59	18 19 20 24	43 46 49 11	53 54 55 56	0 0 0 0	0 0 0 0	X X X Y	<pre>!west col north bent sp ftg !mid col north bent sp ftg !east col north bent sp ftg !north abutment spring</pre>
60	25	12	57	0	0	Y	!south abutment spring
1 1 1 6.358 (K,FT	elease 0 0 0 E5 2.5	0 4E5 63	3177	3176	237.5	63 63	! Deck 72ft (south ramp) w/ ! Deck 77ft (north ramp) ! E,G,A,J,Izz,Iyy,Asy,Asz
1 2 2 6.358 (K,FT	elease 0 0 0 E5 2.5	4E5 63	3177	3176	237.5	63 63	<pre>! Deck 72ft (south ramp) w/ ! Deck 77ft (north ramp) ! E,G,A,J,Izz,Iyy,Asy,Asz</pre>
6.358 (K,FT	0 0 0 E5 2.5	4E5 63	3177	3176	237.5	63 63	<pre>! Deck 72ft (south ramp) ! Deck 77ft (north ramp) ! E,G,A,J,Izz,Iyy,Asy,Asz</pre>
1 1 1 6.358 E,G,A	se end 0 0 0 E5 2.5	0 4E5 70 ,Iyy,A				92.334	! Deck 96ft (deck) w/ mbr 70.6 70.6 !
5 FRA relea	ME se end	2					! Deck 96ft (deck) w/ mbr

1 2 2 0 0 0 0 1 6.358E5 2.54E5 70.6 34330 34330 292.334 70.6 70.6 ! E,G,A,J,Izz,Iyy,Asy,Asz (K,FT) 0.0 0.0 0.0 0.0 6 FRAME ! Deck 96ft (deck) 1 0 0 0 0 0 0 I. 6.358E5 2.54E5 70.6 34330 34330 292.334 70.6 70.6 1 E,G,A,J,Izz,Iyy,Asy,Asz (K,FT) 0.0 0.0 0.0 0.0 7 FRAME ! Capbeam 1 0 0 0 0 0 0 ! 6.358E5 2.54E5 1E2 1E4 1E2 1E5 1E2 1E2 ! E,G,A,J,Izz,Iyy,Asy,Asz (K,FT) 0.0 0.0 0.0 0.0 8 FRAME ! Vertical links btw deck+col 1 0 0 0 0 0 0 ! linear elastic 1E7 1E7 1E3 1E5 1E3 1E6 1E3 1E3 1 E,G,A,J,Izz,Iyy,Asy,Asz (K,FT) 0.0 0.0 0.0 0.0 9 FRAME ! vertical links btw col+footing 1 0 0 0 0 0 0 ! linear elastic 1E7 1E7 1E3 1E5 1E3 1E6 1E3 1E3 1 E,G,A,J,Izz,Iyy,Asy,Asz (K,FT) 0.0 0.0 0.0 0.0 10 FRAME !South-west column 2 0 0 0 4 0 0 0 !14a. Section Control 6.358E5 2.543E5 7.069 1.168 0.826 0.826 7.069 7.069 !14b. Section prop E,G,A,J,Izz,Iyy 0.0 0.0 0.0 0.0 !14c. End Properties 0.07 0.07 0.07 0.07 !14d. Member bilinear factor 1.338 1.338 1.338 1.338 !14e. Plastic Hinge Length 0 0 1.0 1.1 0.0 !141. Interaction param -6556 -1555 1770 1770 483.7 !14m. P-M interaction ! 5 8 0.7 ! Loss Model (appendix A) 0.5 0.1 1 1 ! Modified Takeda 11 FRAME !South-mid column 2 0 0 0 4 0 0 0 !14a. Section Control 6.358E5 2.543E5 7.069 1.168 0.826 0.826 7.069 7.069 !14b. Section prop E,G,A,J,Izz,Iyy 0.0 0.0 0.0 0.0 !14c. End Properties 0.07 0.07 0.07 0.07 !14d. Member bilinear factor 1.367 1.367 1.367 1.367 !14e. Plastic Hinge Length 0 0 1.0 1.1 0.0 !141. Interaction param -6556 -1555 1770 1770 483.7 !14m. P-M interaction ! 5 8 0.7 ! Loss Model (appendix A) 0.5 0.1 1 1 ! Modified Takeda

 12 FRAME
 ! South-east Column

 2 0 0 0 4 0 0 0
 !14a. Section Control

6.358E5 2.543E5 7.069 1.168 0.826 0.826 7.069 7.069 !14b. Section prop E,G,A,J,Izz,Iyy 0.0 0.0 0.0 0.0 !14c. End Properties 0.07 0.07 0.07 0.07 !14d. Member bilinear factor 0.07 0.07 0.07 0.07 1.388 1.388 1.388 1.388 !14e. Plastic Hinge Length !141. Interaction param 0 0 1.0 1.1 0.0 -6556 -1555 1770 1770 483.7 !14m. P-M interaction 1580.7 ! Loss Model(appendix A) 0.5 0.1 1 1 ! Modified Takeda 13 FRAME !North-west Column 2 0 0 0 4 0 0 0 !14a. Section Control 6.358E5 2.543E5 7.069 1.168 0.826 0.826 7.069 7.069 !14b. Section prop E,G,A,J,Izz,Iyy 0.0 0.0 0.0 0.0 !14c. End Properties 0.07 0.07 0.07 0.07 !14d. Member bilinear factor 1.273 1.273 1.273 1.273 !14e. Plastic Hinge Length 0 0 1.0 1.1 0.0 !141. Interaction param -6556 -1555 1770 1770 483.7 !14m. P-M interaction ! 5 8 0.7 ! Loss Model (appendix A) 0.5 0.1 1 1 ! Modified Takeda 14 FRAME !North-Mid Column 20004000 !14a. Section Control 6.358E5 2.543E5 7.069 1.168 0.826 0.826 7.069 7.069 !14b. Section prop E,G,A,J,Izz,Ivy 0.0 0.0 0.0 0.0 !14c. End Properties 0.07 0.07 0.07 0.07 !14d. Member bilinear factor 1.305 1.305 1.305 1.305 !14e. Plastic Hinge Length !141. Interaction param 0 0 1.0 1.1 0.0 -6556 -1555 1770 1770 483.7 !14m. P-M interaction ! Loss Model(appendix A) ! 5 8 0.7 0.5 0.1 1 1 ! Modified Takeda 15 FRAME !North-East Column 2 0 0 0 4 0 0 0 !14a. Section Control 6.358E5 2.543E5 7.069 1.168 0.826 0.826 7.069 7.069 !14b. Section prop E,G,A,J,Izz,Ivv 0.0 0.0 0.0 0.0 !14c. End Properties 0.07 0.07 0.07 0.07 !14d. Member bilinear factor 1.328 1.328 1.328 1.328 !14e. Plastic Hinge Length !141. Interaction param 0 0 1.0 1.1 0.0 -6556 -1555 1770 1770 483.7 !14m. P-M interaction ! 5 8 0.7 ! Loss Model(appendix A) 0.5 0.1 1 1 ! Modified Takeda 16 SPRING ! Bridge Deck Bearing Pads 1 0 0 0 0 0 ! Control Parameters 1479.6 2E7 3E6 8E6 8E4 8E4 0 .3 .3 ! Section Properties 17 MULTISPRING ! Bridge Gap Elements 1 0 0 0 10 2 31 0 ! Control Parameters 3.265E3 0 0 0 0 0 .3 ! Section Properties 0 -9.265E15 0 0 0 0 0 0 0 0 0 ! SOIL SPRING NW 18 SPRING 1 0 0 0 0 0 ! Control Par.

1.2091E5 1.2091E5 1.6626E5 7.3084E6 7.3084E6 1.0268E7 0 .33 .33 ! Section Prop. 19 SPRING ! SOIL SPRING NM 1 0 0 0 0 0 ! Control Par. 1.2091E5 1.2091E5 1.6626E5 7.3084E6 7.3084E6 1.0268E7 0 .33 .33 1 Section Prop. 20 SPRING ! SOIL SPRING NE 1 0 0 0 0 0 ! Control Par. 1.2091E5 1.2091E5 1.6626E5 7.3084E6 7.3084E6 1.0268E7 0 .33 .33 1 Section Prop. 21 SPRING ! SOIL SPRING SW 1 0 0 0 0 0 ! Control Par. 1.3339E5 1.3339E5 1.6626E5 7.3106E6 7.3106E6 1.0268E7 0 .33 .33 1 Section Prop. 22 SPRING ! SOIL SPRING SM 1 0 0 0 0 0 ! Control Par. 1.3339E5 1.3339E5 1.6626E5 7.3106E6 7.3106E6 1.0268E7 0 .33 .33 ! Section Prop. 23 SPRING ! SOIL SPRING SE 1 0 0 0 0 0 ! Control Par. 1.3339E5 1.3339E5 1.6626E5 7.3106E6 7.3106E6 1.0268E7 0 .33 .33 1 Section Prop. 24 SPRING ! Secant SOIL SPRING BENT North 1 0 0 0 0 0 ! Control Par. 2.0057E5 2.0718E5 3.3608E5 3.5240E6 6.0453E7 4.7215E7 0 .33 .33 ! Section Prop. 25 SPRING ! Secant SOIL SPRING BENT South 1 0 0 0 0 0 ! Control Par. 1.8966E5 1.9628E5 3.2071E5 3.5198E6 6.0449E7 4.7215E7 0 .33 .33 ! Section Prop. WEIGHTS 1 127.126 127.126 1 127.126 2 127.126 127.126 127.126 3 127.126 127.126 127.126 127.126 127.126 127.126 4 63.563 5 63.563 63.563 6 91 91 91 182.014 182.014 7 182.014 8 182.014 182.014 182.014 9 182.014 182.014 182.014 10 91 91 91 85.1 85.1 85.1 13 170.195 170.195 14 170.195 170.195 170.195 170.195 15 170.195 16 170.195 170.195 17 85.10 85.10 85.10 18 63.563 63.563 63.563 127.126 19 127.126 127.126 127.126 127.126 20 127.126

137

21	127.126	127.126	127.126
22	13.65	13.65	13.65
23	27.3	27.3	27.3
24	27.3	27.3	27.3
25	27.3	27.3	27.3
26	13.65	13.65	13.65
27	13.65	13.65	13.65
28	27.3	27.3	27.3
29	27.3	27.3	27.3
30	27.3	27.3	27.3
31	13.65	13.65	13.65
32	19.064	19.064	19.064
35	19.827	19.827	19.827
38	20.389	20.389	20.389
41	17.336	17.336	17.336
44	18.184	18.184	18.184
47	18.81	18.81	18.81
56	321.294	321.294	321.294
57	309.244	309.244	309.244

LOADS

1 2 3 4 5	0 0 0 0 0	0 0 0 0	-127.126 -127.126 -127.126 -127.126 -63.563
6	0	0	-91
7	0	0	-182.014
8	0	0	-182.014
9	0	0	-182.014
10	0	0	-91
13	0	0	-85.1
14	0	0	-170.195
15	0	0	-170.195
16	0	0	-170.195
17	0	0	-85.097
18 19	0 0	0 0	-63.563 -127.126
20	0	0	-127.126
20	0	0	-127.126
22	0	0	-13.65
23	0	0	-27.3
24	0	0	-27.3
25	0	0	-27.3
26	0	0	-13.65
27	0	0	-13.65
28	0	0	-27.3
29	0	0	-27.3
30	0	0	-27.3
31	0	0	-13.65
32	0	0	-19.064
35	0	0	-19.827
38	0	0	-20.389
41	0	0	-17.336
44	0	0	-18.184
47	0	0	-18.81

56 57	-	0 0	-321.294 -309.244			
		Peru9.t		!	File	Parameters
~		eru9.t 1 -		!	File	Parameters
EQUA 5 1		Peru9.t		!	File	Parameters

Once Ruaumoko has been run a '*filename*'.RAS is generated and another software is used to sort the data: pwave. This software was developed by Visual Numerics, Inc. in 1997. It reads a script (reader_'*filename*'.pro) which will read the unformatted data of the .RAS file and store it as a matrix in a .txt file. The .pro file can be modified to fit the geometry of the analyzed structure (Enter the node, member numbers that define the structure, enter the number defining the analyses to be run (1=X-disp, 27=Z-shear at top, etc...)). Two commands need to be entered to run pwave:

At the prompt: WAVE>

Type: .rnew reader_'filename' (without the .pro extension)

Type: 'filename' (without the .RAS extension)

This will execute the .pro file and create a 'filename'.txt file. After that, this text file can be used as a matrix of data in any program to plot and sort the data. S-Plus 2000 (MathSoft, Inc.) is a powerful software to plot numerous data variables at once, once an S-Plus script has been created.

APPENDIX A-3

	Spring stiffness values for all bridges in US units.									
		Tra	nslational Spr	inas	Rotational Springs					
		K11 (Trans)	K22 (Long.)		K44 (Trans.)	K55 (Long.)	K66 (Vert.)			
Bridge 512	Es (ksf)	k/ft	k/ft	k/ft	k-ft/rad	k-ft/rad	k-ft/rad			
	1000	1.40E+05	1.40E+05	1.46E+05	4.08E+06	1.12E+07	8.51E+06			
North Abut	6000	8.40E+05	8.40E+05	8.78E+05	2.45E+07	6.70E+07	5.11E+07			
	18000	2.52E+06	2.52E+06	2.63E+06	7.35E+07	2.01E+08	1.53E+08			
	1000	1.58E+04	1.58E+04	1.63E+04	7.47E+05	4.59E+05	8.19E+05			
North Pier	6000	9.49E+04	9.49E+04	9.81E+04	4.48E+06	2.75E+06	4.91E+06			
	18000	2.85E+05	2.85E+05	2.94E+05	1.35E+07	8.25E+06	1.47E+07			
	1000	1.63E+04	1.63E+04	1.72E+04	8.05E+05	5.83E+05	7.80E+05			
Center Pier	6000	9.81E+04	9.81E+04	1.03E+05	4.83E+06	3.50E+06	4.68E+06			
	18000	2.94E+05	2.94E+05	3.10E+05	1.45E+07	1.05E+07	1.40E+07			
	1000	1.52E+04	1.52E+04	1.58E+04	6.96E+05	3.48E+05	7.37E+05			
South Pier	6000	9.12E+04	9.12E+04	9.48E+04	4.18E+06	2.09E+06	4.42E+06			
	18000	2.74E+05	2.74E+05	2.84E+05	1.25E+07	6.26E+06	1.33E+07			
	1000	5.64E+04	5.64E+04	5.89E+04	1.64E+06	4.50E+06	3.43E+06			
South Abut	6000	3.38E+05	3.38E+05	3.53E+05	9.86E+06	2.70E+07	2.06E+07			
	18000	1.01E+06	1.01E+06	1.06E+06	2.96E+07	8.09E+07	6.17E+07			
				•						
Bridge 227	Es (ksf)	Tra	nslational Spr	ings	R	totational Spring	s			
West Abut	5	7.87E+04	8.48E+04	3.20E+05	1.38E+07	1.38E+07	3.12E+04			
	1000	1.42E+05	1.48E+05	3.85E+05	1.74E+07	1.86E+07	6.23E+06			
WCSI Abui	6000	4.63E+05	4.66E+05	7.15E+05	3.55E+07	4.31E+07	3.74E+07			
	18000	1.23E+06	1.23E+06	1.50E+06	7.91E+07	1.02E+08	1.12E+08			
	5	1.98E+04	1.98E+04	9.33E+04	5.34E+05	5.33E+05	4.40E+03			
West Pier	1000	3.68E+04	3.68E+04	1.11E+05	1.34E+06	1.07E+06	8.80E+05			
Westhich	6000	1.22E+05	1.22E+05	2.02E+05	5.38E+06	3.76E+06	5.28E+06			
	18000	3.26E+05	3.26E+05	4.20E+05	1.51E+07	1.02E+07	1.58E+07			
	5	1.98E+04	1.98E+04	9.33E+04	5.34E+05	5.33E+05	4.40E+03			
Center Pier	1000	3.68E+04	3.68E+04	1.11E+05	1.34E+06	1.07E+06	8.80E+05			
	6000	1.22E+05	1.22E+05	2.02E+05	5.38E+06	3.76E+06	5.28E+06			
	18000	3.26E+05	3.26E+05	4.20E+05	1.51E+07	1.02E+07	1.58E+07			
	5	1.98E+04	1.98E+04	9.33E+04	5.34E+05	5.33E+05	4.40E+03			
East Pier	1000	3.68E+04	3.68E+04	1.11E+05	1.34E+06	1.07E+06	8.80E+05			
2001110	6000	1.22E+05	1.22E+05	2.02E+05	5.38E+06	3.76E+06	5.28E+06			
	18000	3.26E+05	3.26E+05	4.20E+05	1.51E+07	1.02E+07	1.58E+07			
	5	7.87E+04	8.48E+04	3.20E+05	1.38E+07	1.38E+07	3.12E+04			
East Abut	1000	1.42E+05	1.48E+05	3.85E+05	1.74E+07	1.86E+07	6.23E+06			
	6000	4.63E+05	4.66E+05	7.15E+05	3.55E+07	4.31E+07	3.74E+07			
	18000	1.23E+06	1.23E+06	1.50E+06	7.91E+07	1.02E+08	1.12E+08			
Bridge 649	Es (ksf)	Tra	nslational Spr	ings	R	otational Spring	s			
	1000	7.43E+04	8.09E+04	1.82E+05	6.15E+05	1.01E+07	7.87E+06			
South Abut	6000	1.90E+05	1.96E+05	3.21E+05	3.52E+06	6.04E+07	4.72E+07			
	18000	4.67E+05	4.73E+05	6.55E+05	1.05E+07	1.81E+08	1.42E+08			
	1000	3.37E+04	3.37E+04	6.36E+04	1.22E+06	1.22E+06	1.71E+06			
South Pier	6000	1.33E+05	1.33E+05	1.66E+05	7.31E+06	7.31E+06	1.03E+07			
	18000	3.73E+05	3.73E+05	4.13E+05	2.19E+07	2.19E+07	3.08E+07			
	1000	2.12E+04	2.12E+04	6.36E+04	1.22E+06	1.22E+06	1.71E+06			
North Pier	6000	1.21E+05	1.21E+05	1.66E+05	7.31E+06	7.31E+06	1.03E+07			
	18000	3.60E+05	3.60E+05	4.13E+05	2.19E+07	2.19E+07	3.08E+07			
	1000	8.52E+04	9.18E+04	1.97E+05	6.19E+05	1.01E+07	7.87E+06			
North Abut	6000	2.01E+05	2.07E+05	3.36E+05	3.52E+06	6.05E+07	4.72E+07			
	18000	4 77E+05	4 84F+05	6 70E+05	1.05E+07	1.81E+08	1 42E+08			

 10101/1001
 2.012/03
 2.012/03
 0.002/03
 0.002/07
 4.722/07

 18000
 4.77E+05
 4.84E+05
 6.70E+05
 1.05E+07
 1.81E+08
 1.42E+08

 Appendix A-3 Spring values for all bridges in US units

APPENDIX A-4

1. Bridge 5/227

Fo	otings - Tra	nsverse Sh	near Force	Demands		Longitu	idinal Shea	r Force De	mands		
	Bridge 22	27 - Φ Vn = 16	641 kN (369 k	ips)		Bridge	227 - Φ Vn =	2185 kN (492	2 kips)		
		Ce	nter bent - Ce	enter Colum	n	Center bent - Center Column					
EQ	Spring Es values (MPa)	North dir. Shear (kips)	North dir. Shear (kN)	South dir. Shear	South dir. Shear (kN)	North dir. Shear (kips)	North dir. Shear (kN)	South dir. Shear (kips)	South dir. Shear (kN)		
Kobe 475	47.9 861.9	65 66	289 295	-69 -77	-309 -345	42	187 175	-36 -40	-160 -179		
	fixed 47.9	65 60	290	-85 -64	-377	62 37	277	-60 -44	-269		
Mexico 475	861.9	56	269 249	-60	-287 -268	49	167 220	-50	-195 -221		
	fixed 47.9	71 43	314 191	-59 -52	-263 -232	54 28	239 124	-42 -37	-186 -163		
Olympia 475	861.9 fixed	70	312 296	-72 -52	-320 -230	35 20	156	-47 -57	-210		
	47.9	59	263	-66	-292	30	133	-36	-161		
Chile 475	861.9 fixed	80 41	355 181	-67 -33	-297 -145	<u>33</u> 46	146 203	- <u>38</u> -50	-171 -220		
Peru 475	47.9 861.9	47 49	207 218	-52 -59	-230 -264	38 42	169 189	-48 -47	-215 -207		
Felu 475	fixed	94	417	-62	-204	86	383	-44	-207		
Kobe 975	47.9 861.9	58 63	256 278	-68 -58	-303 -258	67 66	298 293	-75 -66	-334 -291		
	fixed 47.9	81 66	362	-80 -69	-354	83 40	371	-56 -30	-248		
Mexico 975	861.9	62	292 276	-66	-308 -292	41	178 181	-66	-135 -292		
	fixed 47.9	71 61	315 271	-94 -65	-418 -288	46 42	205 185	-89 -47	-395 -208		
Olympia 975	861.9 fixed	58 73	259 325	-56 -60	-251 -266	44 50	197 223	-46 -54	-204 -242		
01 11 0 17-	47.9	66	295	-62	-275	49	217	-51	-228		
Chile 2475	861.9 fixed	72 45	321 199	-68 -56	-303 -249	51 52	225 230	-52 -54	-230 -241		
Doru 2475	47.9	79 89	352	-75 -89	-335	52 59	231	-53 -62	-237		
Peru 2475	861.9 fixed	<u>89</u> 90	395 400	-89 -75	-394 -334	59 107	263 476	-62 -62	-278 -276		

Transverse Shear Force in Girder-webs at the Abutments

	Bridge 227 - Φ Vn = 1312 kN (295 kips)									
West abut East Abut.										
EQ	Spring Es	Nort	h dir.	Sout	h dir.	Nor	h dir.	Sout	h dir.	
LQ	values	kips	kN	kips	kN	kips	kN	kips	kN	
Kobe975	47.9	51	227	-51	-225	55	243	-48	-215	
	861.9	58	258	-56	-249	55	246	-39	-172	
Mexico 975	47.9	39	174	-48	-214	52	229	-52	-230	
IVIEXICO 975	861.9	40	178	-48	-213	48	214	-54	-242	
Olympia 975	47.9	51	226	-51	-228	53	235	-51	-227	
Olympia 975	861.9	45	198	-54	-239	45	200	-43	-191	
Peru 2475	47.9	72	322	-72	-320	70	313	-59	-262	
Felu 2475	861.9	61	271	-53	-236	72	320	-64	-286	
Chile 2475	47.9	76	338	-60	-266	72	320	-49	-219	
01116 2475	861.9	65	291	-52	-231	65	289	-54	-242	

2. Bridge 512/19

Footings - Transverse Shear Force Demands

Bridge 512 - Φ Vn = 972 kN (219 kips)

		Center bent - Middle-East Column						
50	Spring Es	West dir.	West dir.	East dir.	East dir.			
EQ	values (ksf)	Shear (kips)	Shear (kN)	Shear (kips)	Shear (kN)			
	1000	57	252	-52	-231			
Kobe 475	18000	48	214	-47	-207			
	fixed	34	152	-37	-163			
	6000	51	228	-49	-216			
Mexico 475	18000	52	230	-47	-210			
	fixed	37	165	-38	-170			
	1000	54	239	-56	-251			
Olympia 475	18000	45	201	-45	-198			
	fixed	40	177	-32	-141			
	6000	51	226	-53	-237			
Chile 475	18000	51	226	-52	-233			
	fixed	49	218	-40	-180			
	6000	52	229	-50	-223			
Peru 475	18000	50	224	-48	-215			
	fixed	36	160	-60	-268			
	6000	60	268	-58	-257			
Kobe 975	18000	54	239	-53	-235			
	fixed	49	218	-46	-205			
	6000	53	237	-61	-270			
Mexico 975	18000	51	225	-54	-239			
	fixed	51	228	-32	-142			
	6000	49	217	-65	-290			
Olympia 975	18000	61	273	-51	-225			
	fixed	34	152	-48	-214			
	6000	62	276	-65	-288			
Chile 2475	18000	65	291	-73	-326			
	fixed	63	280	-63	-278			
	6000	74	330	-79	-350			
Peru 2475	18000	76	338	-83	-367			
	fixed	79	350	-91	-404			

Longitudinal Shear Force Demands

Bridge 512 - Φ Vn = 972 kN (219 kips)

Center bent - Middle-East Column										
West dir	West dir. West dir. East dir. East dir.									
	Shear (kN)									
1	2	-1	-3							
3	12	-2	-11							
34	150	-36	-161							
7	32	-1	-4							
3	14	-4	-17							
28	124	-37	-166							
1	4	-1	-6							
1	4	-9	-38							
28	125	-41	-181							
1	5	-1	-4							
8	36	-1	-5							
32	142	-41	-182							
1	3	-1	-5							
1	4	-1	-5							
45	199	-58	-259							
1	6	-12	-55							
1	6	-2	-7							
40	177	-31	-139							
8	37	-7	-33							
12	52	-9	-40							
34	149	-39	-176							
11	48	-2	-8							
2	7	-8	-36							
36	160	-39	-175							
2	7	-23	-100							
13	56	-15	-69							
84	372	-64	-286							
17	76	-10	-45							
3	15	-13	-58							
73	324	-82	-365							

Transverse Shear Force in Girder-webs at the Abutments

Bridge 512 - Φ Vn = 2096 kN (471 kips)

		North abut				South Abut.				
EQ	Spring Es	West dir. Shear		East dir.		West dir.		East dir. Shear		
	values	kips	kN	kips	kN	kips	kN	kips	kN	
Peru 2475	47.9	309	1372	-272	-1208	273	1213	-270	-1203	
	861.9	304	1351	-282	-1254	261	1162	-269	-1198	

3. Bridge 5/649

F	ootings - Tr	ansverse S	hear Force	Demands		Longit	udinal She	ar Force D	emands		
	Bridge 649 w	ith skew - Φ	/n = 1876 kN	(422 kips)		Bridge 649	with skew - 0	Φ Vn = 1876 I	«N (422 kips)		
South bent - Center Column (54 - 28)						South bent - Center Column (54 - 28)					
EQ	Spring Es values (ksf)	West dir. Shear (kips)	West dir. Shear (kN)	East dir. East dir. Shear (kips) Shear (kN)		West dir. Shear (kips)	West dir. Shear (kN)		East dir. Shear (kN)		
	6000	34	152	-24	-107	<u>16</u> 16	72 69	-13 -11	-58 -49		
Kobe 475	18000	34	151	-21	-94	34	150	-23	-103		
	fixed	42	188	-22	-96	21	93	-17	-77		
	6000	27	122	-21	-95	19	85	-11	-49		
Mexico 475	18000	24	108	-21	-91	30	135	-19	-45		
	fixed	25	111	-37	-164	22	98	-14	-62		
	6000	21	92	-29	-129	25	111	-8	-36		
Olympia 475	18000	26	116	-26	-114	29	129	-31	-137		
	fixed	31	136	-32	-141	12	53	-29	-137		
Chile 475	6000	37	166	-42	-187	23	102	-29	-96		
	18000	38	170	-33	-146	42	185	-77	-341		
	fixed	45	198	-55	-245	32	144	-21	-92		
	6000	39	172	-41	-182	30	133	-21	-92		
Peru 475	18000	47	208	-30	-132	54	238	-25	-201		
	fixed	46	206	-46	-203	28	126	-43	-201		
	6000	45	199	-33	-145		120	-18			
Kobe 975	18000	42	189	-33	-147	28 37		-17 -34	-75 -152		
	fixed	51	227	-35	-156		163		-		
	6000	36	160	-29	-127	37	166	-20	-89		
Mexico 975	18000	25	111	-37	-165	22 50	96	- <u>32</u> -31	-141		
	fixed	25	112	-53	-237		223		-136		
	6000	34	153	-38	-170	27	122	-15	-64		
Olympia 975	18000	48	215	-36	-161	25	109	-22	-98		
	fixed	41	184	-48	-214	36	158	-39	-173		
Chile 2475	6000	87	386	-91	-405	44	195	-55	-243		
	18000	102	452	-60	-265	31	140	-57	-252		
	fixed	89	395	-88	-391	106	471	-142	-632		
	6000	83	371	-73	-322	57	253	-63	-281		
Peru 2475	18000	81	360	-89	-396	56	251	-60	-265		
	fixed	102	452	-83	-369	122	544	-91	-406		

Transverse Shear Force in Girder-webs at the Abutments

Bridge 649 - Φ Vn = 2041 kN (548.76 kips)

		North abut				South Abut.			
EQ	Spring Es	West dir. Shear		East dir.		West dir.		East dir. Shear	
	values	kips	kN	kips	kN	kips	kN	kips	kN
Kobe975	47.9	32	144	-23	-102	41	182	-32	-143
	861.9	30	132	-22	-100	38	171	-31	-138
Mexico 975	47.9	20	91	-42	-186	18	80	-27	-118
IVIEXICO 975	861.9	22	97	-40	-177	18	79	-27	-120
Olympia 975	47.9	33	146	-29	-131	33	148	-32	-143
	861.9	30	132	-27	-121	29	128	-29	-130
Peru 2475	47.9	34	149	-32	-141	37	162	-43	-192
	861.9	29	131	-27	-120	33	148	-38	-168
Chile 2475	47.9	35	156	-27	-120	38	167	-32	-143
	861.9	35	156	-27	-120	38	167	-32	-143